Meson production reactions for investigating hadron structure: New opportunities at J-PARC

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Light-flavor baryon spectroscopy : Physics of broad & overlapping resonances



✓ Width: a few hundred MeV.

- ✓ Resonances are highly overlapping in energy except ∆(1232).
- ✓ Width: ~10 keV to ~10 MeV
- Each resonance peak is clearly separated.

N* states and PDG *s

	Status									
Particle J^P	overa	$1 \pi N$	γN	$N\eta$	$N\sigma$	$N\omega$	ΛK	ΣK	$N\rho$	$\Delta \pi$
$N = 1/2^+$	****									
$N(1440) 1/2^+$	****	****	****		***				*	***
$N(1520) 3/2^-$	****	****	****	***					***	***
$N(1535)1/2^-$	****	****	****	****					**	*
$N(1650) 1/2^{-}$	****	****	***	***			***	**	**	***
$N(1675) 5/2^-$	****	****	***	*			*		*	***
$N(1680) 5/2^+$	****	****	****	*	**				***	***
N(1685) ??	*									
$N(1700) 3/2^-$	***	***	**	?			*	*	*	***
$N(1710) 1/2^+$	***	***	***	***		**	***	**	*	**
$N(1720) 3/2^+$	****	****	***	***			**	**	**	*
$N(1860) 5/2^+$	**	**							*	*
$N(1875) 3/2^{-}$	***	*	***			**	***	**		***
$N(1880) 1/2^+$	**	*	*		**		*			
$N(1895) 1/2^{-}$	**	*	**	2*			**	*		
$N(1900) 3/2^+$	***	**	***	**		**	***	**	*	**
$N(1990) 7/2^+$	**	**	**					*		
$N(2000) 5/2^+$	**	*	**	**			**	*	**	
$\Delta(1232) \ 3/2^+$	****	****	****	F						
$\Delta(1600) \ 3/2^+$	***	***	***	7 0)				*	***
$\Delta(1620) \ 1/2^{-}$	****	****	***		r				***	***
$\Delta(1700) \ 3/2^{-}$	****	****	****		b				**	***
$\Delta(1750) 1/2^+$	*	*		2		i				
$\Delta(1900) \ 1/2^{-}$	**	**	**	•		d		**	**	**
$\Delta(1905) 5/2^+$	****	****	****			d		***	**	**
$\Delta(1910) 1/2^+$	****	****	**				e	*	*	**
$\Delta(1920) \ 3/2^+$	***	***	**				n	***		**
$\Delta(1930) \; 5/2^-$	***	***		?						
$\Delta(1940) \ 3/2^{-}$	**	*	**	F				(see	en in	$\Delta \eta$
$\Delta(1950) \ 7/2^+$	****	****	****	0)			***	*	***
$\Delta(2000) 5/2^+$	**			?	r					**

N* states and PDG *s

		Statu	3			-/					
Particle J^P	overa	ll πN	γN	$N\eta$	$N\sigma$	N		A	ll o	of the	se studies o
$N = 1/2^+$	****						(mo	st) r	prope	rties of the
$N(1440) 1/2^+$	****	****	****		***			toto	h		ior over a
$N(1520) 3/2^{-}$	****	****	****	***			8	lale	з, п	lowev	vel, even a
$N(1535) 1/2^{-}$	****	****	****	****	k						
$N(1650) 1/2^{-}$	****	****	***	***							Arndt, Brisc
$N(1675) 5/2^-$	****	****	***	*							
$N(1680) 5/2^+$	****	****	****	*	**		_		***		
N(1685) ??	*										
$N(1700) 3/2^-$	***	***	**	?			*	*	*	***	
$N(1710) 1/2^+$	***	***	***	***		**	***	**	*	**	
$N(1720) 3/2^+$	****	****	***	***			**	**	**	*	
$N(1860) 5/2^+$	**	**							*	*	1000
$N(1875) 3/2^{-}$	***	*	***			**	***	**		***	
$N(1880) 1/2^+$	**	*	*		**		*				
$N(1895) 1/2^{-}$	**	*	**	2*			**	*			
$N(1900) 3/2^+$	***	**	***	**		**	***	**	*	**	
$N(1990) 7/2^+$	**	**	**					*			
$N(2000) 5/2^+$	**	*	**	**			**	*	**		1.
$\Delta(1232) \ 3/2^+$	****	****	****	F							
$\Delta(1600) \ 3/2^+$	***	***	***	?	0				*	***	
$\Delta(1620) 1/2^{-1}$	****	****	***	-	r				***	***	
$\Delta(1700) \ 3/2^{-1}$	****	****	****		b				**	***	1.0
$\Delta(1750) 1/2^+$	*	*		2		i					
$\Delta(1900) 1/2^{-1}$	**	**	**	Ē		d		**	**	**	10.0
$\Delta(1905) 5/2^+$	****	****	****			d		***	**	**	
$\Delta(1910) 1/2^+$	****	****	**				e	*	*	**	
$\Delta(1920) \ 3/2^+$	***	***	**				n	***		**	1.00
$\Delta(1930) 5/2^{-1}$	***	***		2							
$\Delta(1940) \ 3/2^{-1}$	**	*	**	F				(se	en ir	$\Delta \eta$	and the second
$\Delta(1950) 7/2^+$	****	****	****		0			***	*	***	
$\Delta(2000) 5/2^+$	**			?	r					**	

All of these studies essentially agree on the existence and most) properties of the 4-star states. For the 3-star and lower tates, however, even a statement of existence is problematic.

Arndt, Briscoe, Strakovsky, Workman PRC 74 045205 (2006)

N* states and PDG *s



Hadron spectrum and reaction dynamics

- Various static hadron models have been proposed to calculate hadron spectrum and form factors.
 - Quark models, Bag models, Dyson-Schwinger approaches, Holographic QCD,...
- In reality, excited hadrons are "unstable" and can exist only as resonance states in hadron reactions.



Constituent quark model

Hadron spectrum and reaction dynamics

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 - Excited hadrons are treated as stable particles. > The resulting masses are real.
- In reality, excited hadrons are "unstable" and can exist only as resonance states in hadron reactions.

1*

"molecule-like" states

"Mass" becomes complex !! → "pole mass"



core (bare state) + meson cloud



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What is the role of reaction dynamics in interpreting the hadron spectrum, structures, and dynamical origins ??

Approaches to N* spectroscopy



For details see Matsuyama, Sato, Lee, Phys. Rep. 439 (2007)193 HK, Nakamura, Lee, Sato, PRC88 (2013) 035209

✓ Partial wave (LSJ) amplitudes of $a \rightarrow b$ reaction:

$$T_{a,b}^{(LSJ)}(p_a, p_b; E) = V_{a,b}^{(LSJ)}(p_a, p_b; E) + \sum_c \int_0^\infty q^2 dq V_{a,c}^{(LSJ)}(p_a, q; E) G_c(q; E) T_{c,b}^{(LSJ)}(q, p_b; E)$$

coupled-channels effect

Reaction channels:

$$a, b, c = (\gamma^{(*)}N, \pi N, \eta N, \pi \Delta, \sigma N, \rho N, K \Lambda, K \Sigma, \omega N \cdots)$$
$$\pi \pi N$$

Transition Potentials:

$$V_{a,b} = v_{a,b} + Z_{a,b} + \sum_{N^*} \frac{\Gamma_{N^*,a}^{\dagger} \Gamma_{N^*,b}}{E - M_{N^*}}$$

Exchange potentials Z-diagrams bare N* states

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coupled-channels effect

Meson-Baryon Green functions G_{MB}

$$MB = \pi N, \eta N, K \Lambda, K \Sigma, \omega N$$

$$MB = \pi \Delta, \rho N, \sigma N$$
Stable channels
$$MB = \pi \Delta, \rho N, \sigma N$$

$$MB = \pi \Delta, \rho N$$

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coupled-channels effect

Reaction channels:

 $a, b, c = (\gamma^{(*)}N)$

Would be related with hadron states of the static hadron models (quark models, DSE, etc.) excluding meson-baryon continuums.

Transition Potentials:

$$V_{a,b} = v_{a,b} + Z_{a,b} + \sum_{N^*} \frac{\Gamma_{N^*,a}^{\dagger} \Gamma_{N^*,b}}{E - M_{N^*}}$$

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Physical N*s will be a "mixture" of the two pictures:



Strategy for the N* spectroscopy Couplings, cutoffs, masses of bare N*s, etc. Step 1 Determine model parameters by performing χ^2 -fit of the world data of meson production reactions. Step 2 Extract resonance parameters (pole masses, form factors etc.) from the constructed model by making the analytic continuation of the amplitudes to the complex energy plane. Step 3 Examine role of multichannel reaction dynamics in understanding

the spectrum, internal structure and production mechanisms of the N* resonances.

Our analyses of meson production reactions

Fully	/ combined ana	lysis of πN ,	γ $N \rightarrow \pi N$, τ	ןN , KΛ	, <mark>KΣ</mark> reactions !!
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	2006 – 2009	2010 – 2013
	(EBAC/JLab)	(ANL-Osaka)
✓ # of coupled	6 channels	8 channels
channels	(γΝ,πΝ,ηΝ,πΔ,ρΝ,σΝ)	(γΝ,πΝ,ηΝ,πΔ,ρΝ,σΝ, <mark>ΚΛ,ΚΣ</mark>)
✓ $\pi p \rightarrow \pi N$	< 2 GeV	< 2.3 GeV
✓ γp → πN	< 1.6 GeV	< 2.1 GeV
✓ πp → ηN	< 2 GeV	< 2.1 GeV
✓ γ p → η p		< 2.1 GeV
✓ π $p \rightarrow K$ Λ, ΚΣ	—	< 2.1 GeV
✓ γ $p \rightarrow K^+\Lambda, K\Sigma$	Julia-Diaz, Lee, Matsuyama, Sato, PRC76 (2007) 065201;	< 2.1 GeV HK, Nakamura, Lee, Sato

Database for ANL-Osaka DCC analysis

$\pi N \rightarrow \pi N$ PWA from SAID

πp → ηN, KΛ, KΣ observables

Partial wave		Partial wave				$d\sigma/d\Omega$	Р	β	Sum
$ \begin{array}{r} S_{11} \\ P_{11} \\ P_{13} \\ D_{13} \\ D_{15} \\ F_{15} \\ F_{15}$	65×2 65×2 61×2 61×2 61×2 48×2 20	S_{31} P_{31} P_{33} D_{33} D_{35} F_{35}	65×2 61×2 65×2 59×2 40×2 43×2		$\pi^{-}p \to \eta p$ $\pi^{-}p \to K^{0}\Lambda$ $\pi^{-}p \to K^{0}\Sigma^{0}$ $\pi^{+}p \to K^{+}\Sigma^{+}$ Sum	294 544 160 552	262 70 312 644	- 43 - 7 50	294 849 230 871 2244
F_{17} G_{17} G_{19} H_{19} Sum	32×2 42×2 28×2 34×2 994	$F_{37} \\ G_{37} \\ G_{39} \\ H_{39}$	44×2 32×2 32×2 31×2 944	1938	<u></u>		HK, Nak PRC	amura, Le 88 (2013)	e, Sato 035209

22,348 data of unpolarized & polarized observables to fit !!

γp → πN, ηp, KΛ, KΣ observables

	$d\sigma/d\Omega$	Σ	Т	Р	Ê	G	Н	$O_{x'}$	$O_{z'}$	C_x	C_z	Sum
$\gamma p \rightarrow \pi^0 p$	4381	1128	380	589	140	125	49	7	7	_	_	6806
$\gamma p \rightarrow \pi^+ n$	2315	747	678	222	231	86	128	_	_	_	_	4407
$\gamma p \rightarrow \eta p$	3221	235	50	_	_	_	_	_	_	_	_	3506
$\gamma p \rightarrow K^+ \Lambda$	800	86	66	865	_	_	_	66	66	79	79	2107
$\gamma p \rightarrow K^+ \Sigma^0$	758	62	_	169	_	_	_	_	_	40	40	1069
$\gamma p \rightarrow K^0 \Sigma^+$	220	15	_	36	_	_	_	_	_	_	_	271
Sum	11 695	2273	1174	1881	371	211	177	73	73	119	119	18166

Partial wave amplitudes of πN scattering



W (MeV)

P₁₃

F₁₅

G

2100

Partial wave amplitudes of πN scattering



W (MeV)

$\gamma p \rightarrow \pi^0 p$ reaction

Differential cross section (W = 1.08-2.1 GeV)



1.6 GeV

1.9 GeV

8ch DCC-analysis [HK, Nakamura, Lee, Sato, PRC88 (2013) 035209]

previous 6ch DCC-analysis (fitted to $\gamma N \rightarrow \pi N$ data only up to W = 1.6 GeV) [Julia-Diaz et al., PRC77 (2008) 045205]

$\gamma p \rightarrow K^+ \Sigma^0$ reaction





8ch DCC-analysis [HK, Nakamura, Lee, Sato, PRC88 (2013) 035209]



Cx'





At present, NO data are available for the other 11 observables: T, E, F, G, H, Ox', Oz', Lx', Lz', Tx', Tz'

$\gamma p \rightarrow K^+ \Sigma^0$ reaction



Coupled-channels effect on observables



Coupled-channels effect on observables





Extracting N* resonance parameters

Definitions of

- ✓ N* masses (spectrum) → Pole positions of the amplitudes
- ✓ N^{*} → MB, γ N coupling constants → Residues^{1/2} at the pole



Extracting N* resonance parameters

Definitions of

- ✓ N* masses (spectrum) → Pole positions of the amplitudes
- ✓ N^{*} → MB, γ N coupling constants → Residues^{1/2} at the pole

Consistent with the resonance theory based on Gamow vectors

G. Gamow (1928), R. E. Peierls (1959), ... For a brief introduction of Gamov vectors, see, e.g., de la Madrid et al, quant-ph/0201091

→ Resonances are (complex-energy) eigenstates of the Hamiltonian of the underlying fundamental theory with the purely outgoing boundary condition !!

(complex) energy eigenvalues = pole values

transition matrix elements = $(residue)^{1/2}$ of the poles



















Extending DCC analysis	2006-2009 [P	2010-2013 RC88(2013)035209	2014-]
 ✓ # of coupled channels 	6 channels (γΝ,πΝ,ηΝ,πΔ,ρΝ,σΝ)	8 channels (6ch + KΛ, KΣ)	9 channels (8ch + ωN)
✓ πp→ πN	< 2 GeV	< 2.3 GeV	< <mark>2.5</mark> GeV
✓ γp → πN	< 1.6 GeV	< 2.1 GeV	< <mark>2.3</mark> GeV
√ πр → ηр	< 2 GeV	< 2.1 GeV	< <mark>2.3</mark> GeV
✓ үр → ηр	_	< 2.1 GeV	< <mark>2.3</mark> GeV
✓ πp → KΛ, KΣ	_	< 2.1 GeV	< <mark>2.3</mark> GeV
✓ γp → KΛ, KΣ	_	< 2.1 GeV	< <mark>2.3</mark> GeV
√ π ⁻ p → ωn	_	_	< 2.3 GeV
√ γp → ωp	_	_	< <mark>2.3</mark> GeV



After the 9-channel analysis, next task is to include $\pi\pi N$ data !!

- > $\pi\pi N$ has the largest cross section in πN and γN reactions above W = 1.6 GeV.
- > Most N*s decay dominantly to $\pi\pi N$.



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Measurements of $\pi N \rightarrow \pi \pi N$ has been approved at J-PARC !!! [K. Hicks and H. Sako et al., J-PARC E45]

New opportunity at J-PARC

Need more extensive and accurate data of

 $πN \rightarrow ππN$ $πN \rightarrow KΛ$ (~ 1,000 data points) $πN \rightarrow KΣ$ (~ 2,200) $πN \rightarrow nN$ (~ 350) Approved (J-PARC E45 K. Hicks & H. Sako et al.)

- πN → ηN (~ 350) πN → ωN (~ 200)
 - > Much less than $\pi N \rightarrow \pi N$ (~ 30,000)
 - Lack of sufficient data leaves sizable uncertainty in pinning down N* mass spectrum and N* → ηN, ωN, KY, ππN decay dynamics

J-PARC is a unique facility to resolve this issue !!

New opportunity at J-PARC: Y* spectroscopy with Kaon beams

Y* spectroscopy with *Kaon*-induced reactions

- The simplest reactions for studying Y*.
- Deuteron reactions allow direct access to Λ(1405) region and study of YN and YY interactions.



New opportunity at J-PARC: Y* spectroscopy with Kaon beams

Y* spectroscopy with *Kaon*-induced reactions



New opportunity at J-PARC: Y* spectroscopy with Kaon beams

Y* spectroscopy with *Kaon*-induced reactions



Extensive and accurate data are highly desirable for inelastic reactions: $K^- p \rightarrow \eta \Lambda$, $\omega \Lambda$, $K\Xi$, $\overline{K}\pi N...!!$



Conclusion

- 1. To establish N* spectrum, extensive and accurate data of $\pi N \rightarrow \eta N$, ωN , KY... are necessary.
- 2. To establish Y* spectrum, extensive and accurate data of KN and Kd reactions are necessary.

We rely on J-PARC for measuring these crucial reactions !!