

COSY-Experiments: A general overview and selected results

February 11, 2014 | Michael Hartmann (FZ Jülich)



Physics program
(ANKE, PAX, TOF, WASA)

Preparatory work for FAIR
(HESR and PANDA, CBM, NUSTAR, ...)

Future plans
(EDM)

COSY Overview

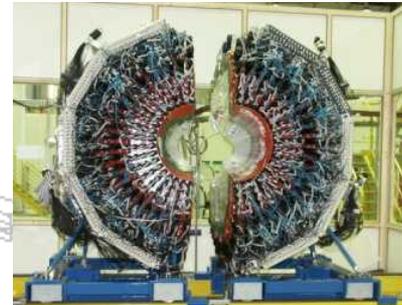
Circumference: 183 m, max. beam momentum 3.7 GeV/c

Polarized proton and deuteron beams

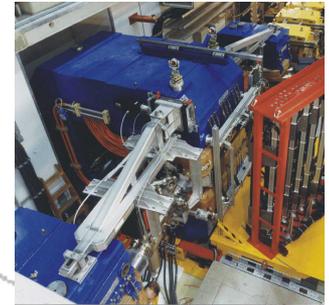
Electron and stochastic cooling



EDDA
polarimeter



WASA



ANKE

COSY

TOF

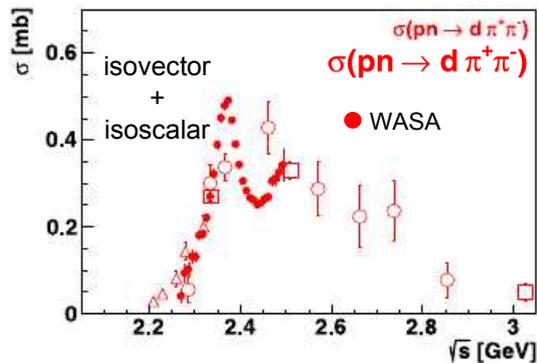
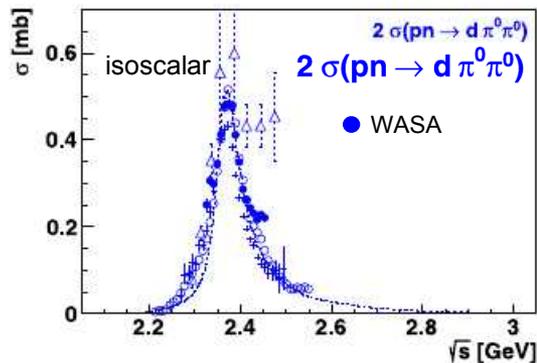
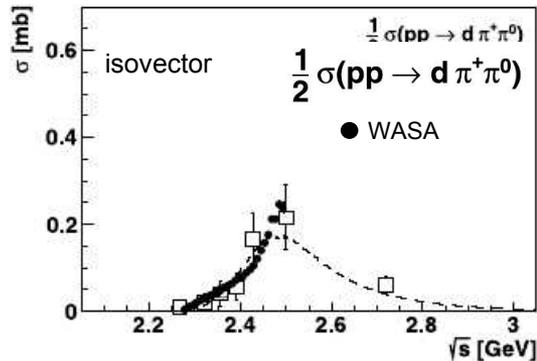


PAX



... *the machine for hadron spin physics*

WASA: ABC structure



Isospin decomposition of ABC resonance structure

Phys. Lett. B 721 (2013) 229

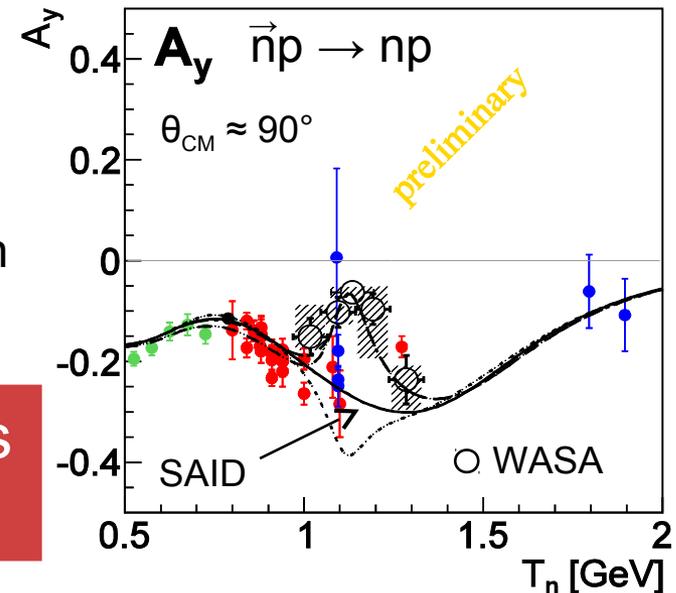
→ pure isoscalar effect

If resonance in np system:

→ effect should be present in np scattering

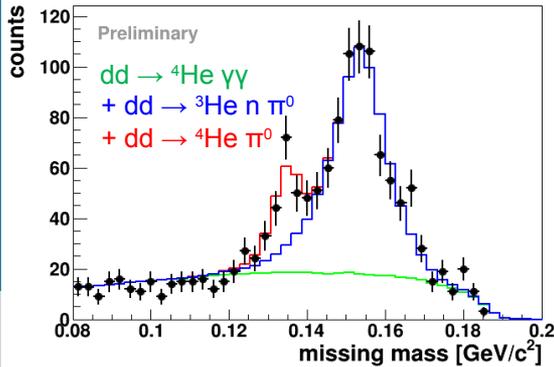
Most sensitive observable in np scattering:
 analyzing power A_y and its energy dependence
 near $\theta_{\text{CM}} \approx 90^\circ$

First result:
 corresponding signal
 at resonance position



Further analysis
 needed

WASA: CSB in $dd \rightarrow {}^4\text{He} \pi^0$



Probing hadronic effects of the u- and d-quark mass difference

Charge Symmetry: $u \leftrightarrow d$, subgroup of Isospin Symmetry
insensitive to charge difference

$dd \rightarrow {}^4\text{He} \pi^0$: CS: $\sigma = 0$ ~~CS~~: $\sigma \sim |M_{\text{CSB}}|^2 \neq 0$

Stephenson et al.: $\sigma_{\text{tot}}(Q = 1.4 \text{ MeV}) = 12.7 \pm 2.2 \text{ pb}$
(PRL 91 (2003) 142302) $\sigma_{\text{tot}}(Q = 3.0 \text{ MeV}) = 15.1 \pm 3.1 \text{ pb}$
→ consistent with s-wave π -production

↓ theoretical analysis & prediction ↓

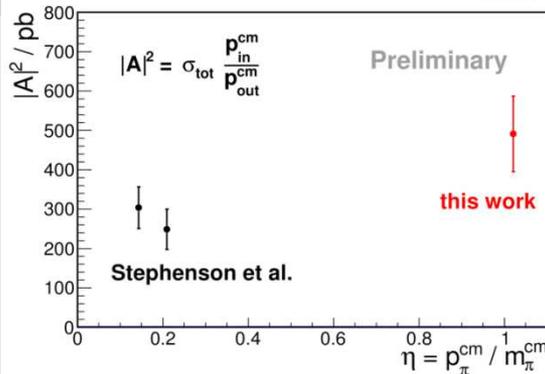
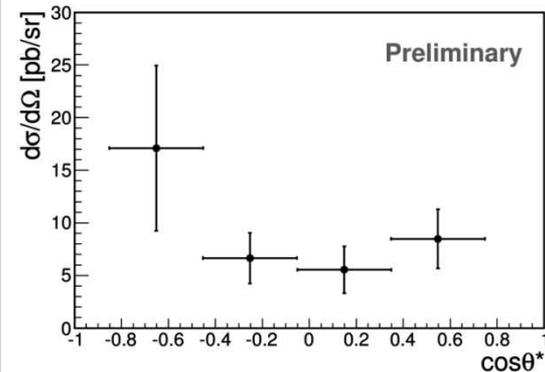
Contribution of p-wave at higher energies ($Q = 60 \text{ MeV}$)

Experimental challenges:

${}^3\text{He}/{}^4\text{He}$ separation
 $\sigma_{\text{tot}}({}^3\text{He} n \pi^0) \approx 3 \cdot 10^4 \sigma_{\text{tot}}({}^4\text{He} \pi^0)$

Pilot run:

$\sigma_{\text{tot, prelim.}} = (118 \pm 18_{\text{stat}} \pm 13_{\text{sys}} \pm 8_{\text{norm}}) \text{ pb}$
first differential cross section



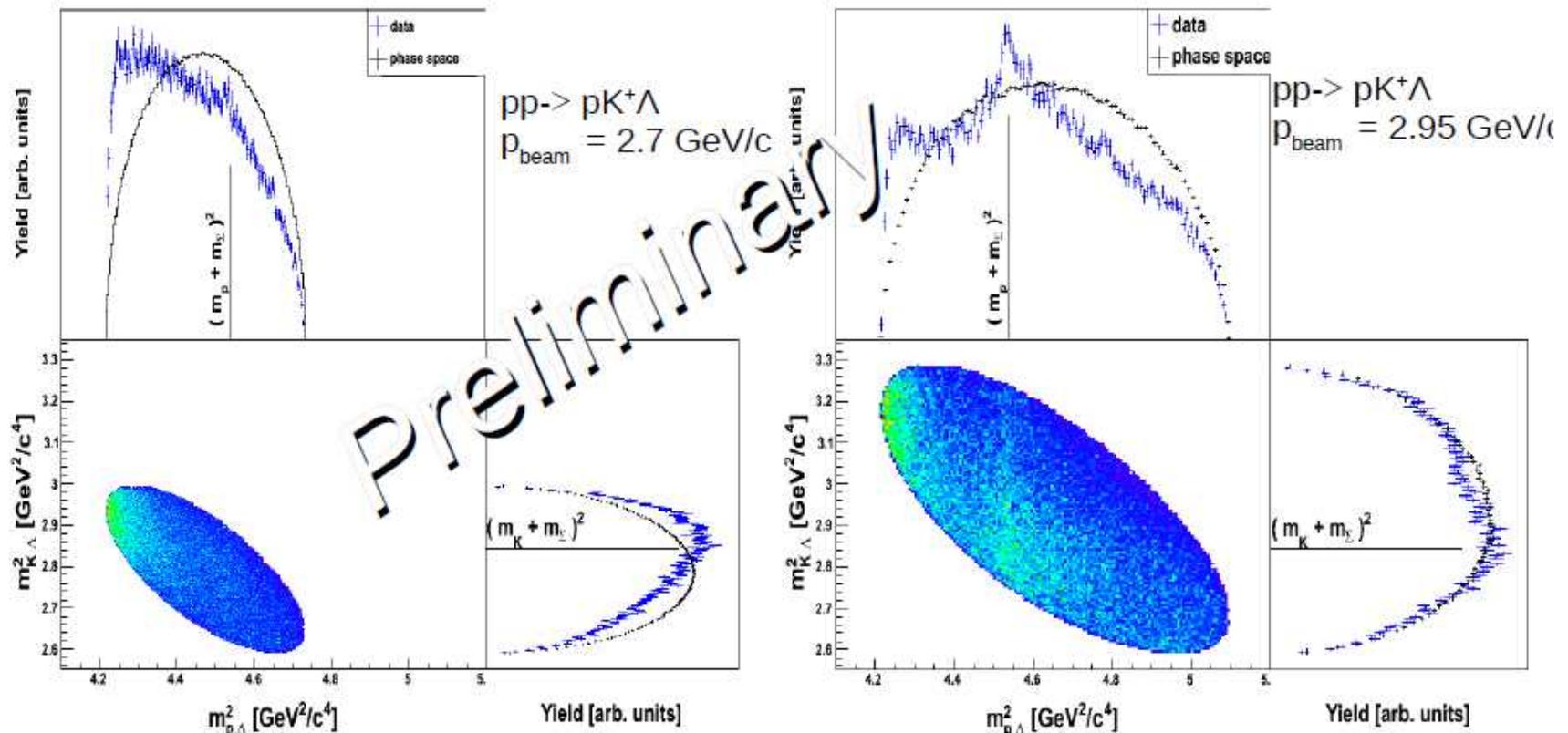
→ more precise data needed:

8 week production run with optimized setup (Feb/Mar 2014)

TOF: Hyperon production

COSY-TOF high statistic data of $pN \rightarrow pK\Lambda$ – exclusive and kinematically complete - allow examination of influence of N^* resonances, coupled channel effects, and N – hyperon interactions.

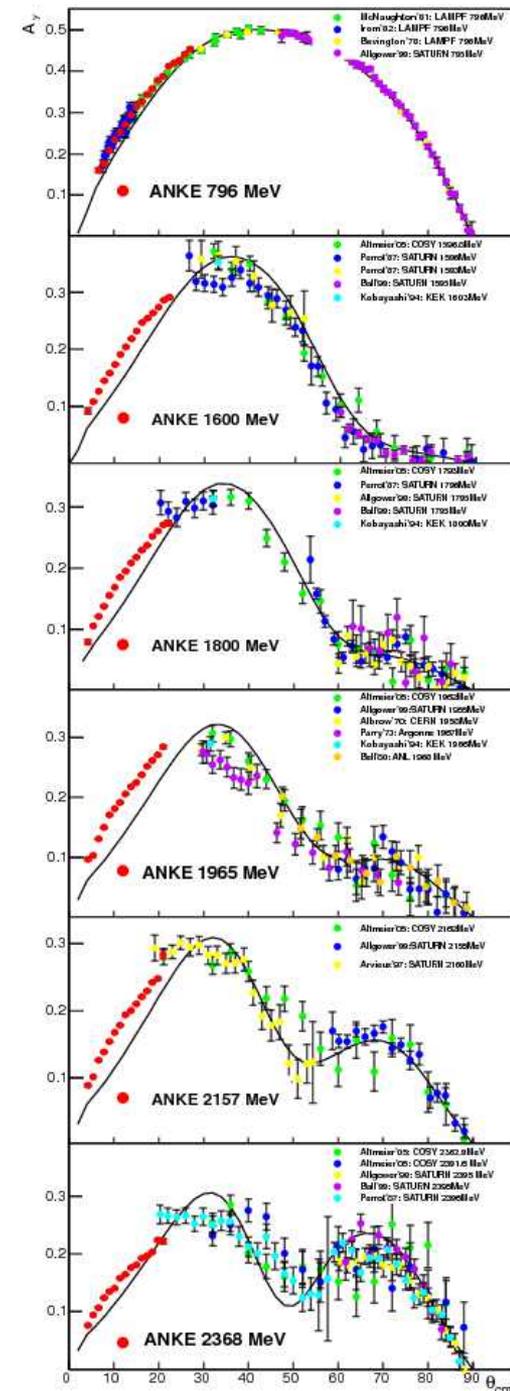
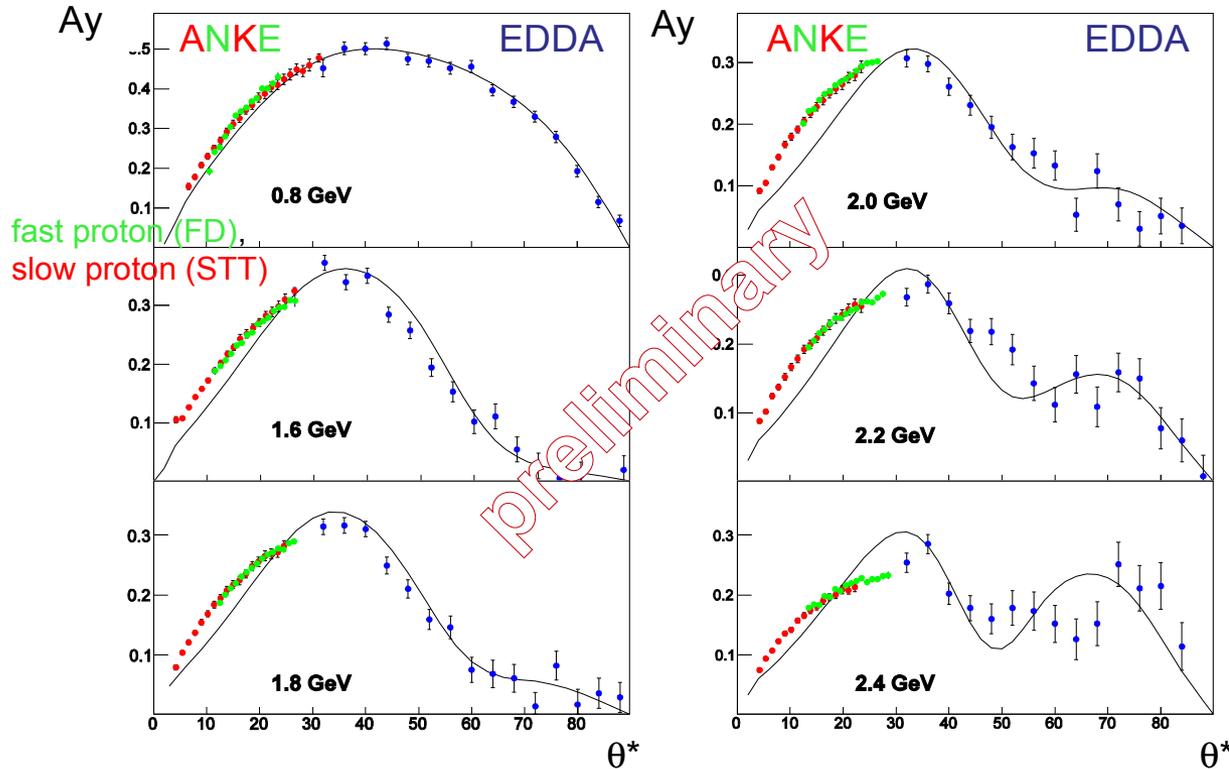
(see e.g.: EPJA 49 (2013)157, PLB 688 (2010) 142)



Separation of singlet and triplet scattering length

EDDA → ANKE: NN-scattering

Recent precision data (pp elastic scattering; A_y)



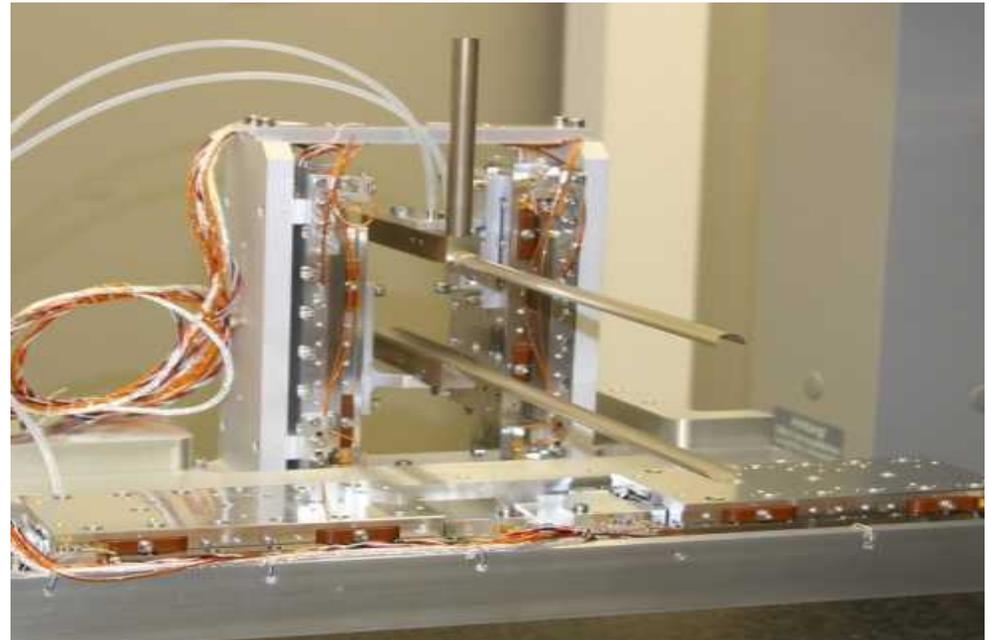
great impact on NN phase shifts (SAID group)
fundamental quantities for nuclear physics
Ongoing: double polarized measurements (np system)

ANKE: Double-polarized experiments

ABS: Openable storage cell
(luminosity factor 5 more)

- (i) $\vec{p} \vec{n} \rightarrow n p$ ($A_I, A_{I,J}$)
- (ii) $\vec{p} \vec{n} \rightarrow \{pp\}_s \pi^-$ (A_{XZ} parameter)
- (iii) $\vec{p} \vec{p} \rightarrow K^+ \Lambda p$ (C_{YY} coefficient)

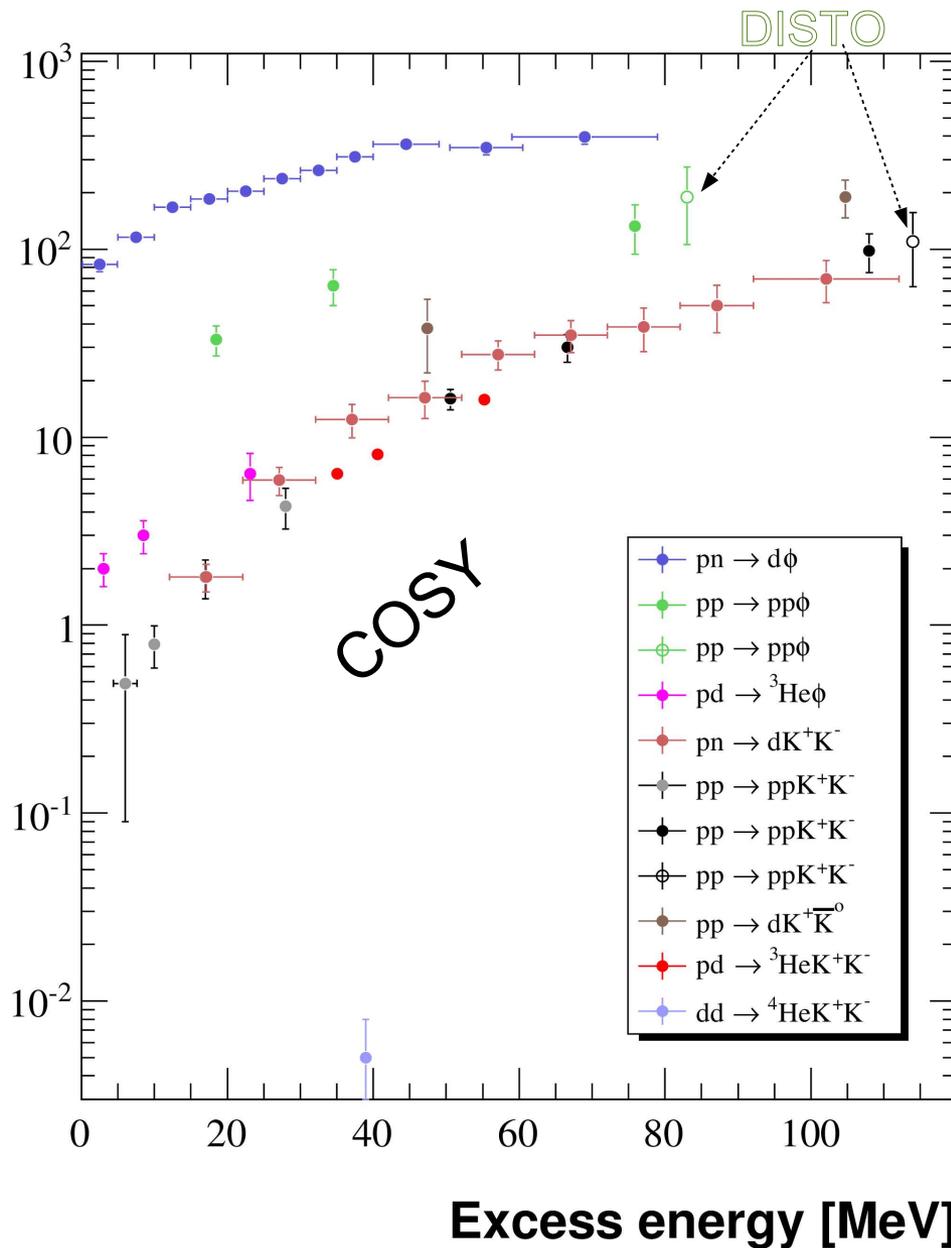
<http://collaborations.fz-juelich.de/ikp/anke/proposals.shtml>



down to 10 mm diameter,
about 85% polarization

Double-polarized experiments approved

total cross section [nb]



COSY: $K\bar{K}/\phi$ production (ANKE, ...)

(www.fz-juelich.de/ikp or
MH, PoS 057 (2011))

$K\bar{K}$ & ϕ production in pp , pd
& dd (world data)

ANKE: $pp \rightarrow ppK^+K^-$ at $\epsilon_{KK} = 51 \text{ MeV}$

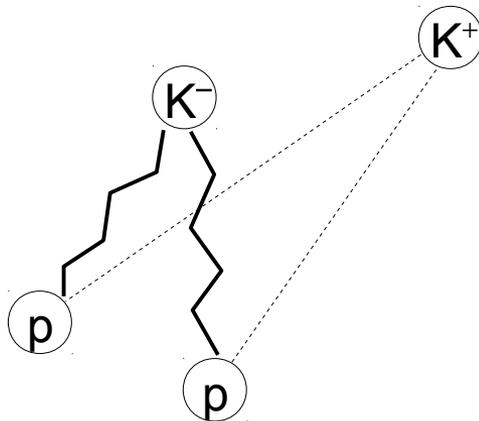
Assumption: K^-p FSI effect

$f(q) = 1/(1-iaq)$, q : relative momentum

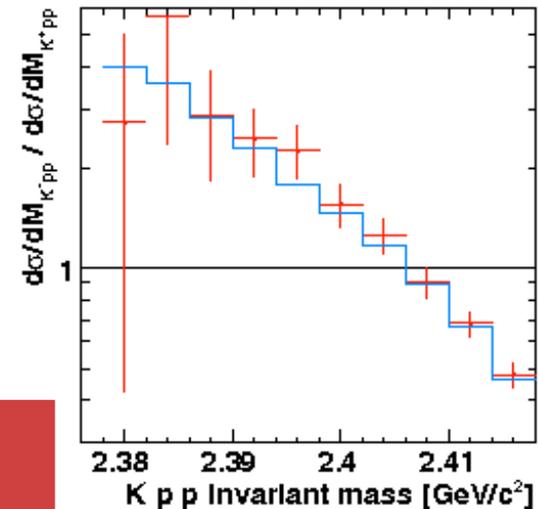
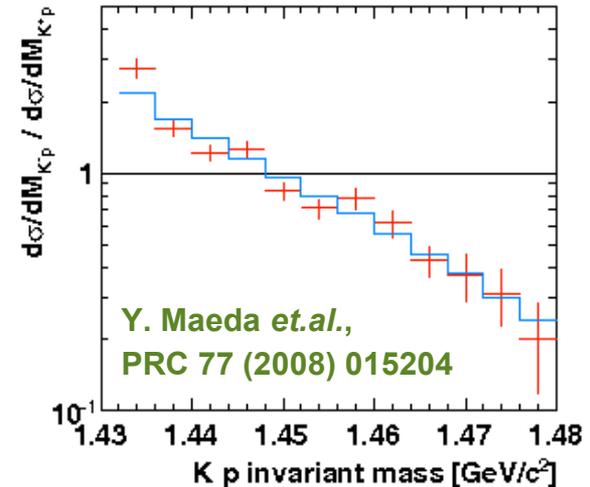
a : scattering length

“3-body-FSI” $\leftrightarrow f(q_1) \times f(q_2)$,

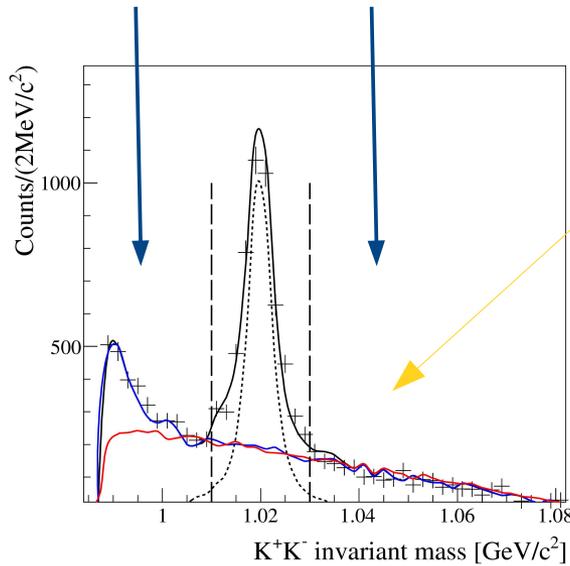
$|a| \approx 1.5 \text{ fm}$



strong K^-p and/or K^-pp FSI is visible

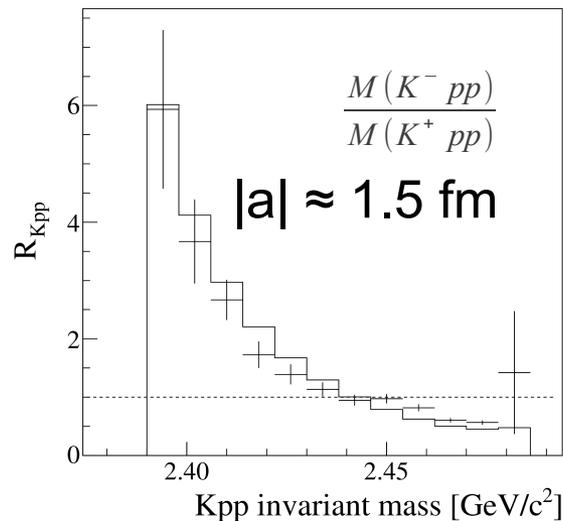


ANKE: ppK^+K^- production at $\epsilon_{KK} = 108 \text{ MeV}$



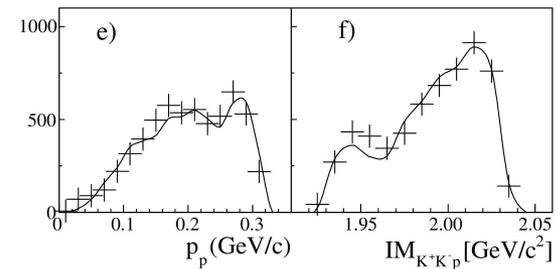
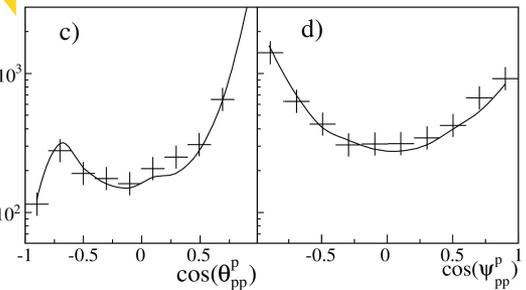
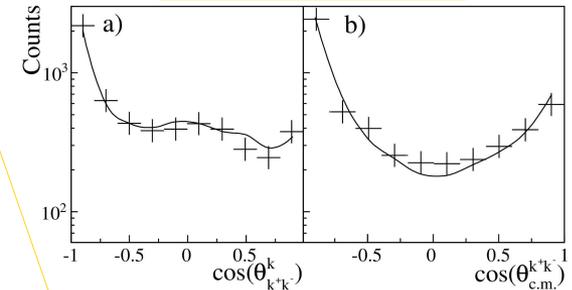
no acceptance correction

Q.J. Ye *et al.*, PRC 85
(2012) 035211



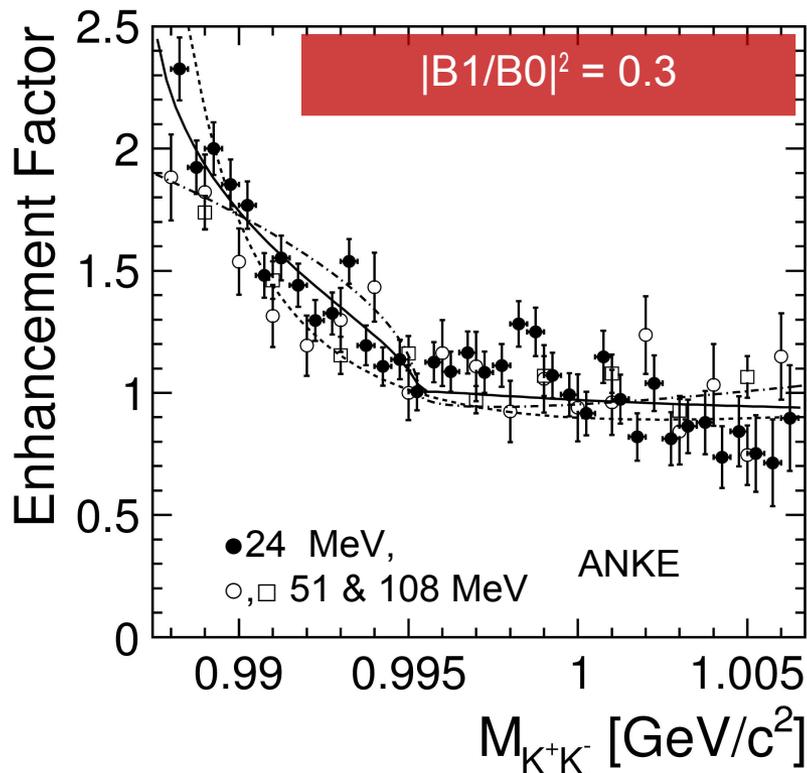
$$\begin{aligned}
 F &= F_{pp}(q_{pp}) \times \\
 &F_{\bar{K}p}(q_{\bar{K}p_1}) \times \\
 &F_{\bar{K}p}(q_{\bar{K}p_2}) \times \\
 &F_{K\bar{K}}(q_{K\bar{K}})
 \end{aligned}$$

“outside Φ ”

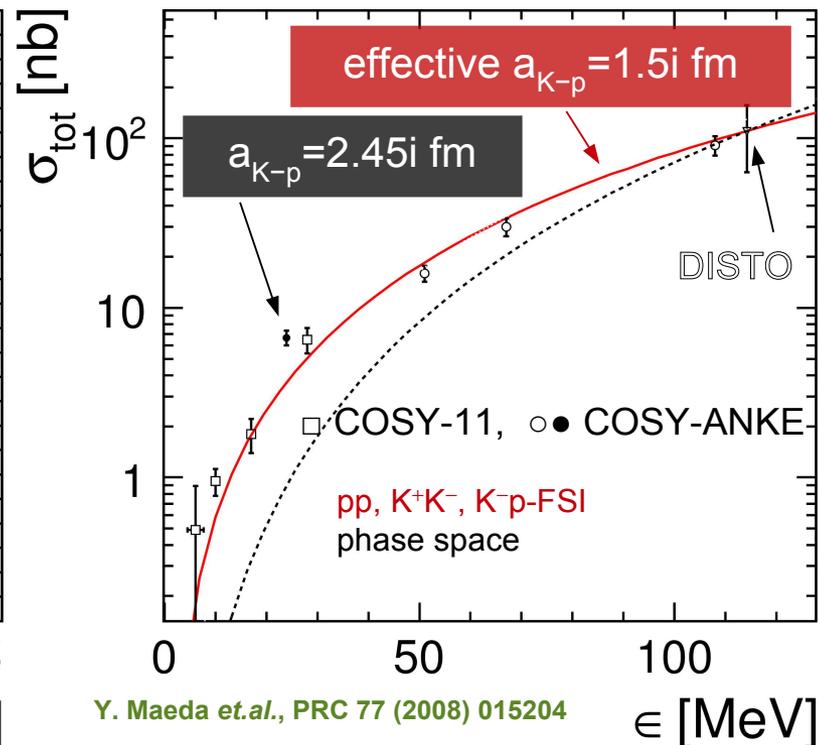


ratio of exp. K^+K^- inv. mass to MC (without $K\bar{K}$ interaction)

$pp \rightarrow ppK^+K^-$
(total cross section)



$K\bar{K}$ production amplitudes ($l=0,1$)



Y. Maeda *et al.*, PRC 77 (2008) 015204

A. Dzyuba *et al.*, PLB 668 (2008) 315

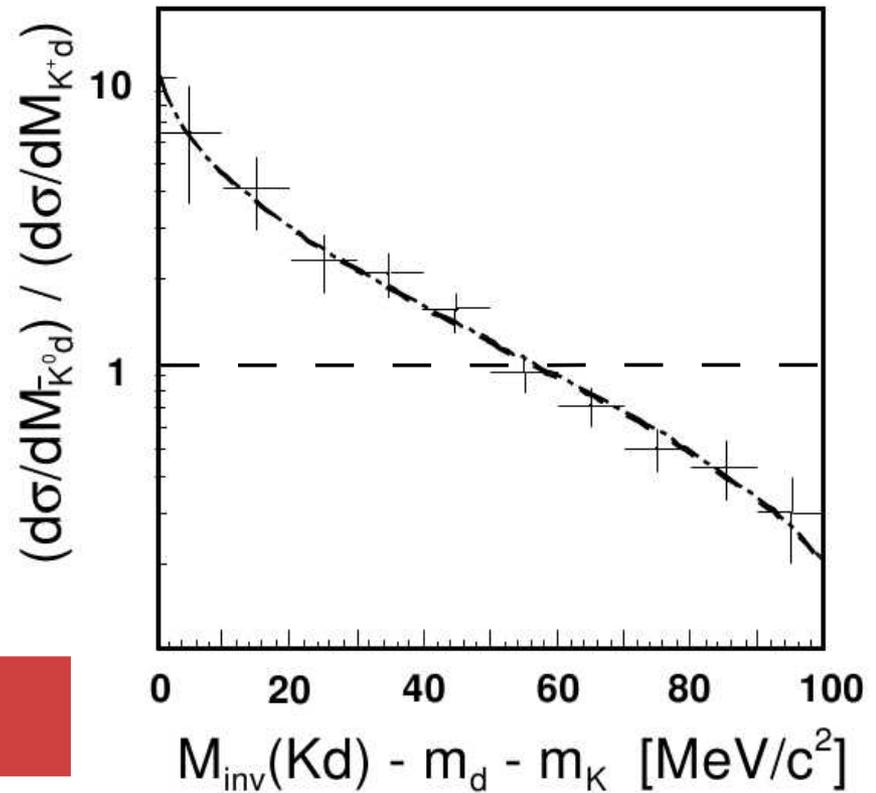
M. Silarski *et al.*, PRC 80 (2009) 045202, 88 (2013) 025205

Q.J. Ye *et al.*, PRC 85 (2012) 035211

Q.J. Ye *et al.*, PRC 87 (2013) 065203

ANKE: $pp \rightarrow dK^+\bar{K}^0$

$$a = (-1.0 + i1.2) \text{ fm}$$

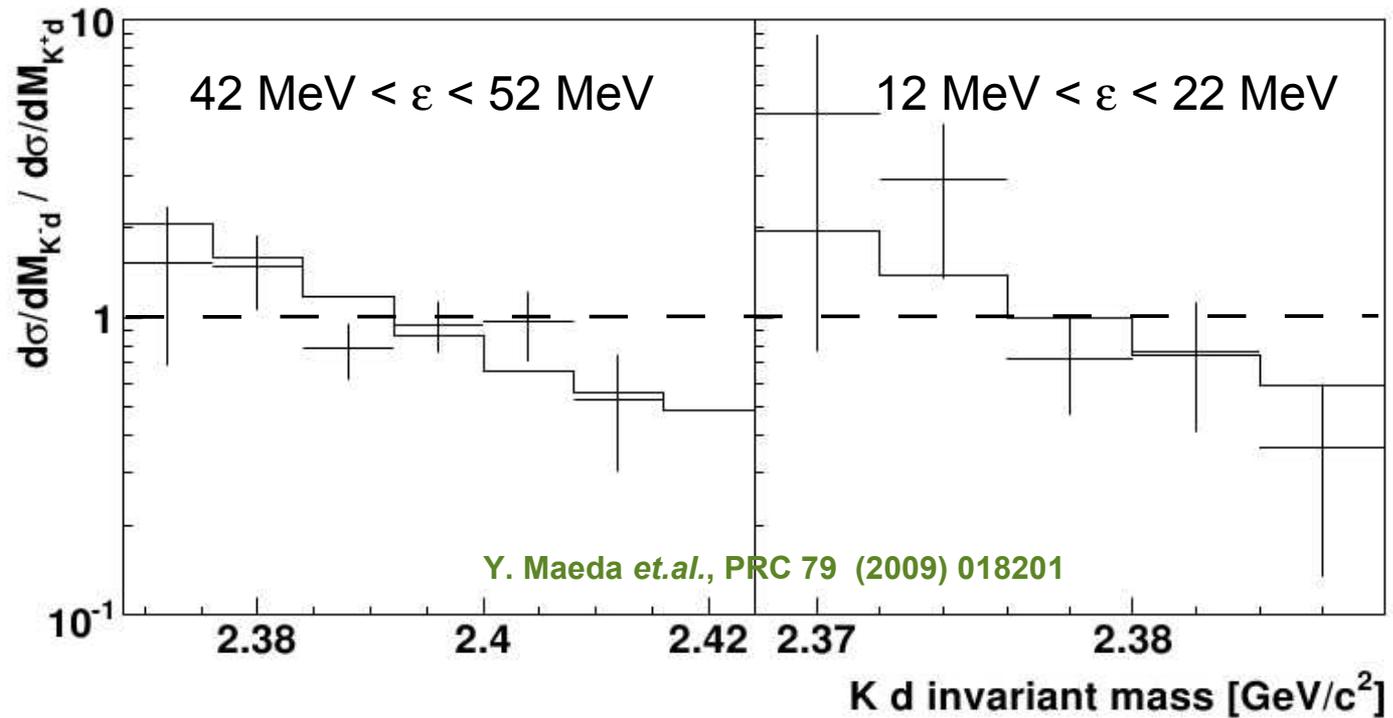


$d\bar{K}^0$ FSI is visible

A. Dzyuba *et al.*, EPJ A 38 (2008) 1

ANKE: $pn \rightarrow dK^+K^-$

$$a = (-1.0 + i1.2) \text{ fm}$$



dK⁻ FSI is visible

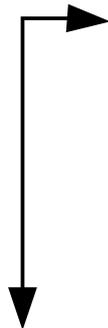
Proton & deuteron induced $K\bar{K}$ production (world data)



PRC 75 (2007) 015204

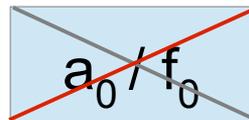


EPJ A 42 (2009) 1

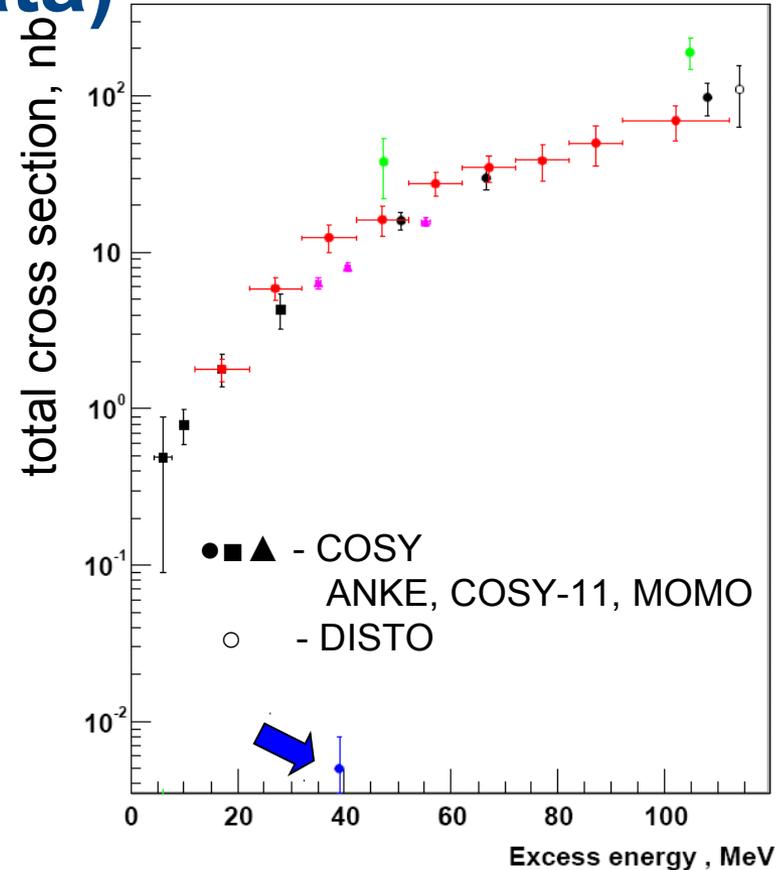


↳ $\pi^0\eta$ BR \approx 90%, weak signal (\sim 1nb @ $\epsilon=256$ MeV, preliminary)

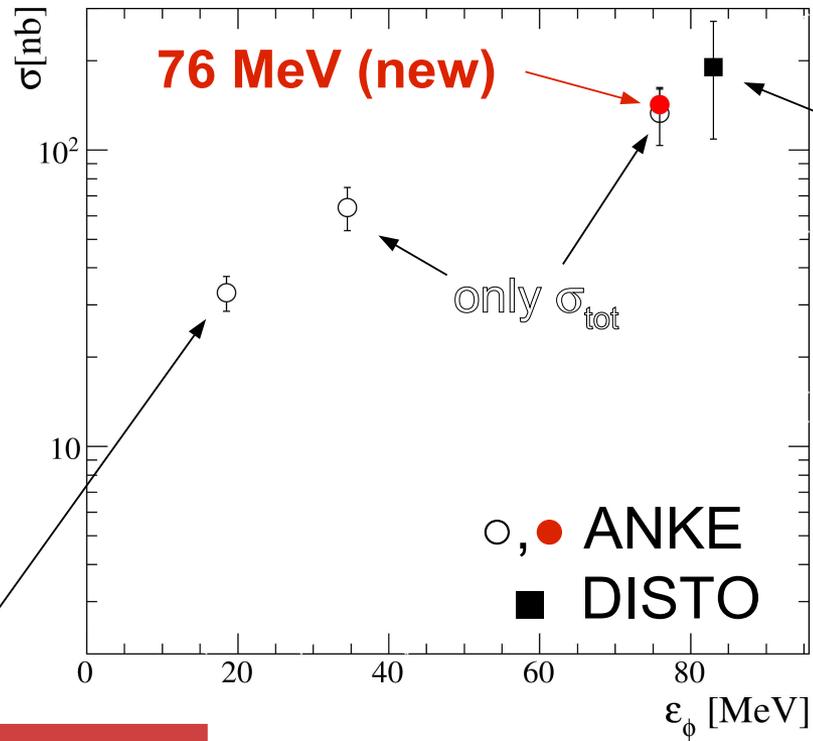
↳ K^+K^- BR \approx 10%,



J-PARC workshop



ANKE: $pp \rightarrow pp\Phi$ total cross sections



DISTO:
higher PW,
no pp-FSI ?

“Ss” + pp-FSI

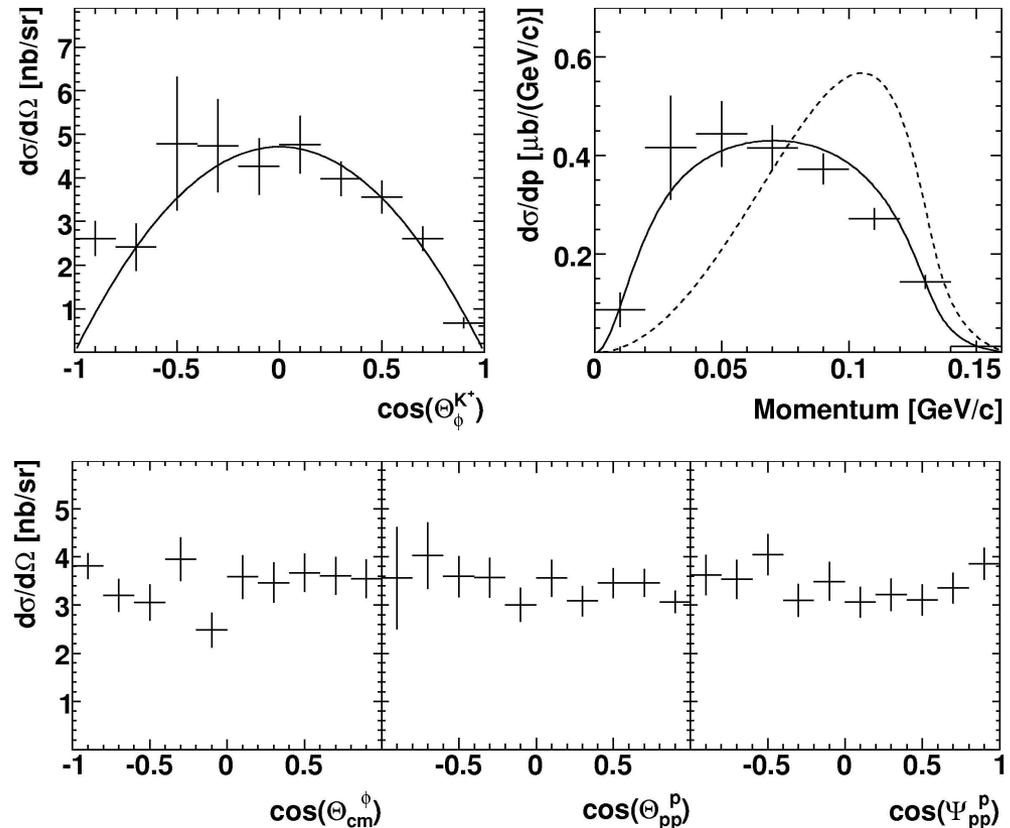
ANKE: $pp \rightarrow pp\Phi$ (differential cross sections) at $\epsilon_\Phi = 18.5$ MeV

close to threshold the angular decay distribution must display a $\sin^2\theta_\Phi^{K^+}$

Φ in relative S-wave

transition from 3P_1 (pp)-entrance channel to 1S_0 (pp) final-state

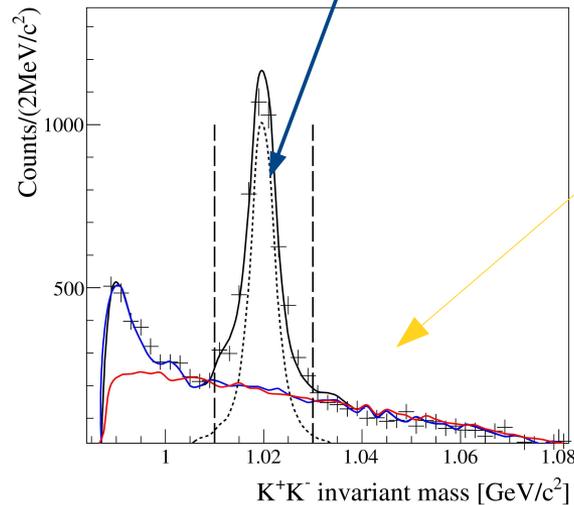
clear effect of pp-FSI



MH *et.al.* PRL 96 (2006) 242301

ANKE: $pp \rightarrow pp\Phi$ production at

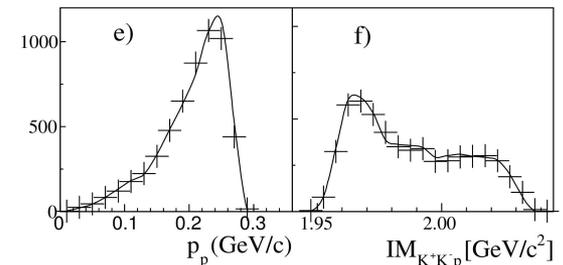
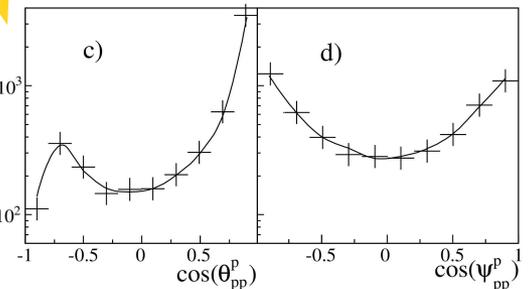
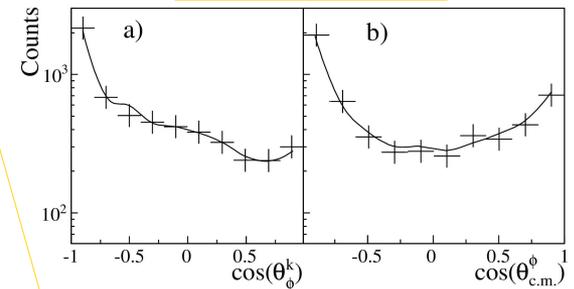
$\epsilon_\Phi = 76 \text{ MeV} \dots$



no acceptance correction

Q.J. Ye *et al.*, PRC 85
(2012) 035211

“inside Φ ”

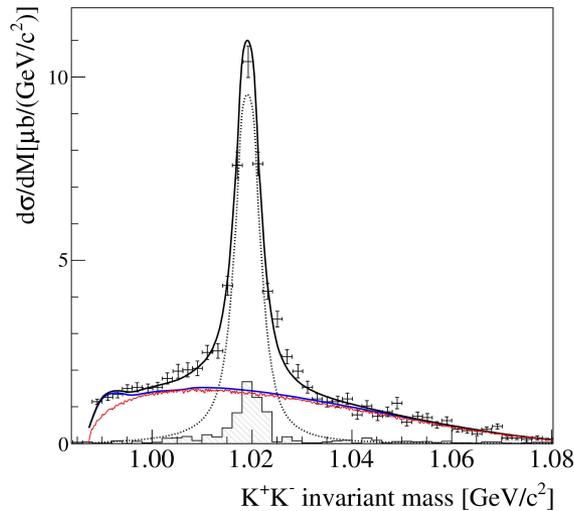


spin-averaged squared transition matrix element

$$\begin{aligned}
 \overline{|M|^2} = & A_{Ss} (\hat{k} \times \hat{K})^2 + A_{Ps} \vec{p}^2 + A_{Pp} (\vec{q} \cdot \vec{p})^2 \\
 & + A_{Sp} [3(\vec{q} \cdot \hat{K})^2 - \vec{q}^2].
 \end{aligned}$$

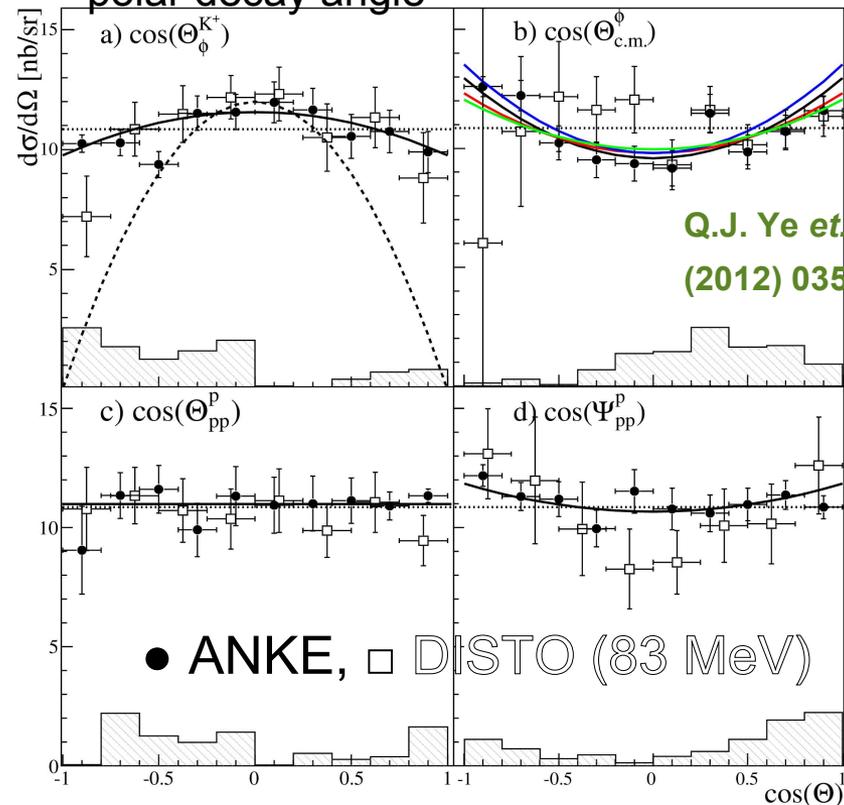
multiplied by pp-FSI (Jost function)

... and final differential distributions at 76 MeV



$$\frac{d\sigma}{d\Omega} \propto [(1 - \rho_{00}) \sin^2 \theta_{\phi}^K + 2\rho_{00} \cos^2 \theta_{\phi}^K],$$

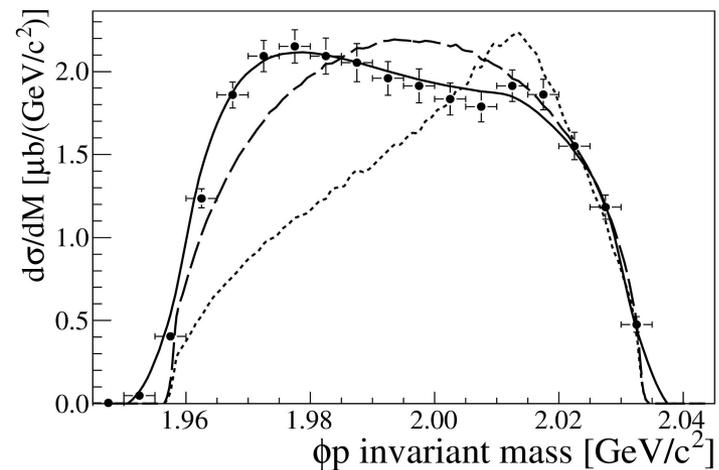
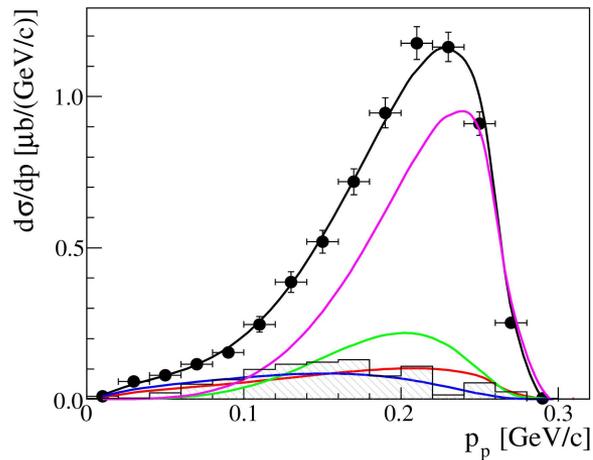
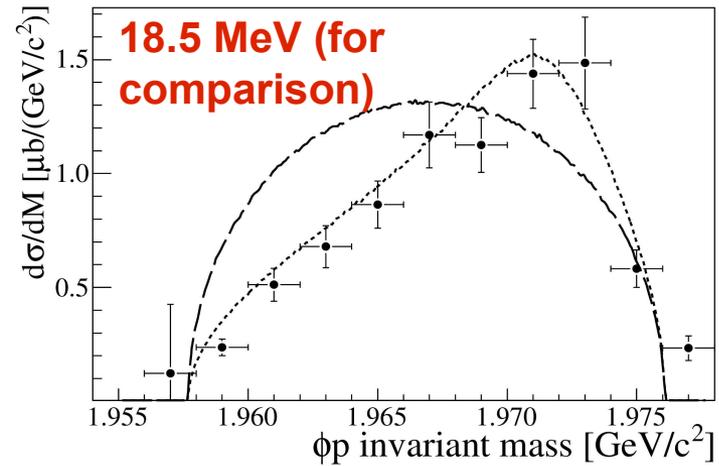
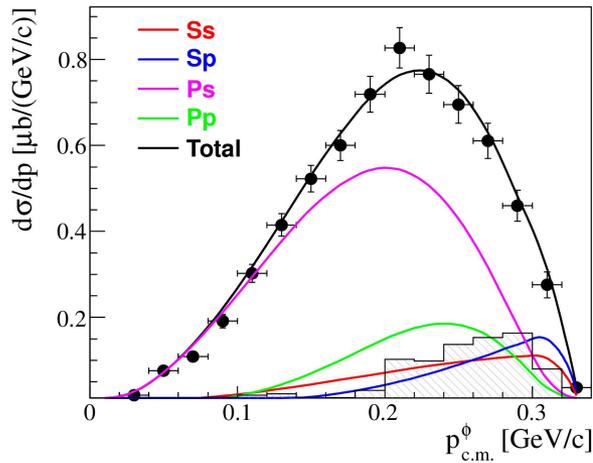
polar decay angle



angular distributions (symmetric about $\cos \theta = 0$)

$$\frac{d\sigma}{d\Omega} = a [1 + b P_2(\cos \theta)].$$

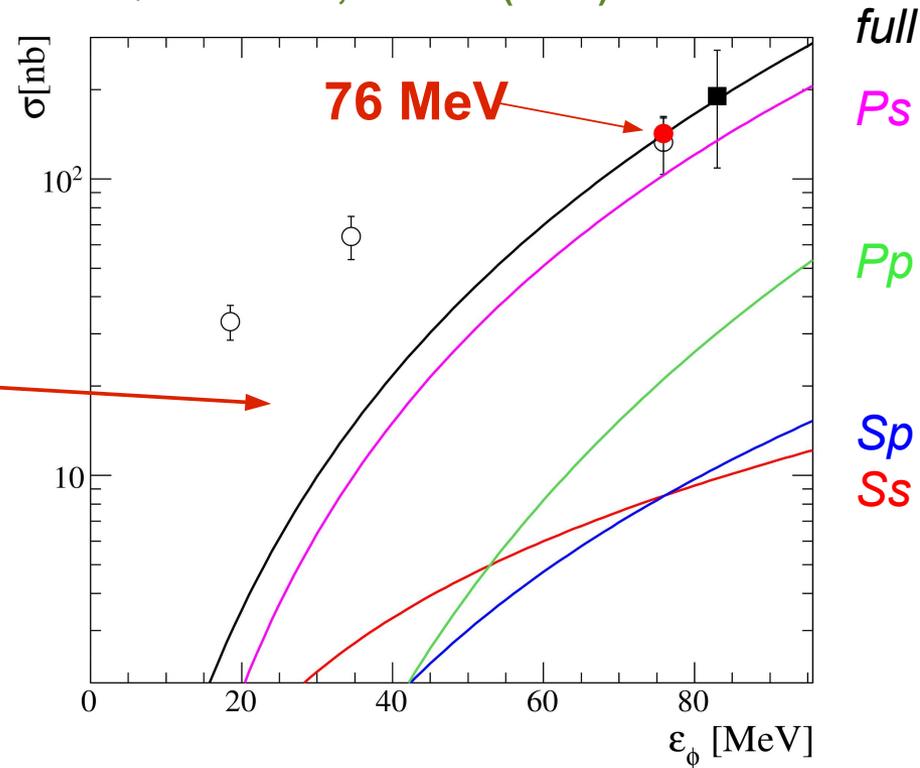
... and final differential distributions at 76 MeV



Q.J. Ye *et al.*, PRC 85 (2012) 035211

... and $pp\Phi$ total cross section dilemma

Q.J. Ye *et.al.*, PRC 85 (2012) 035211



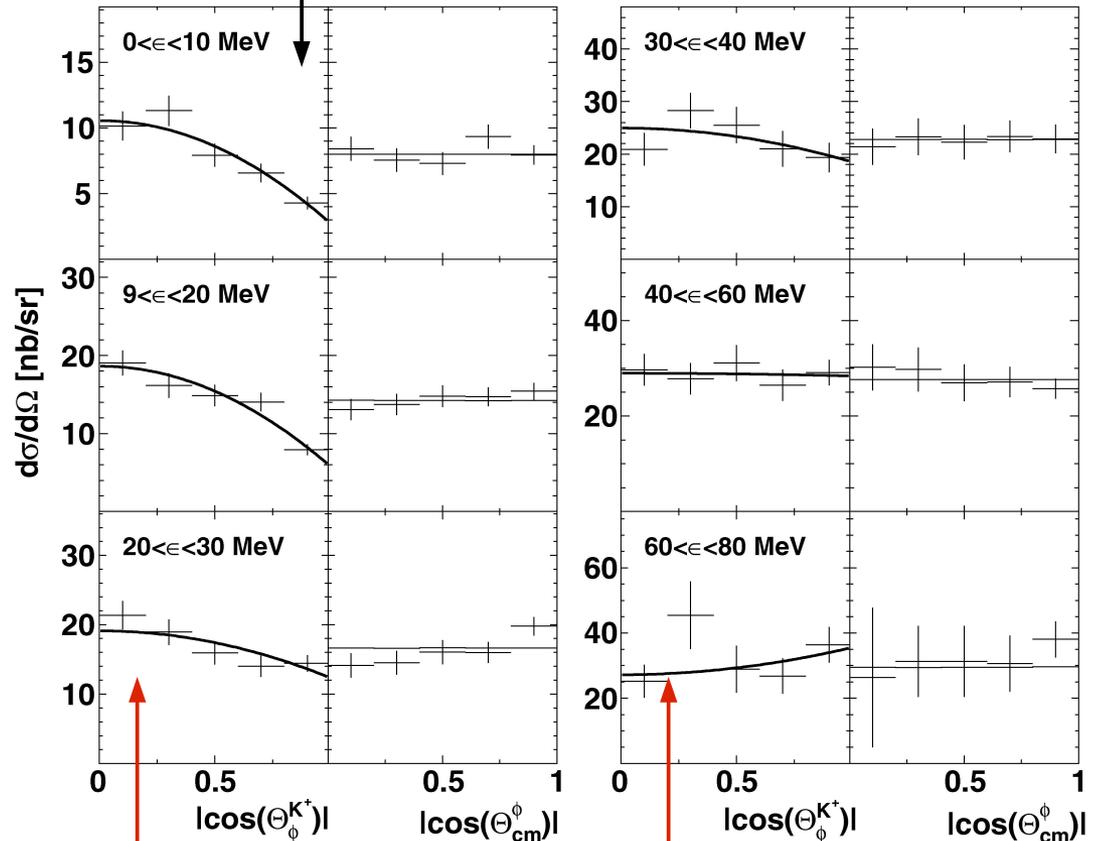
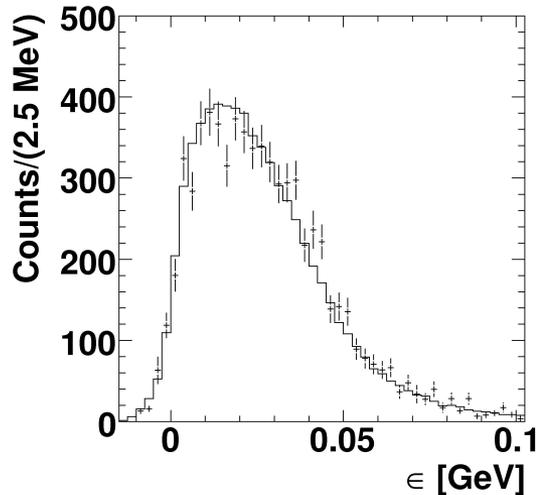
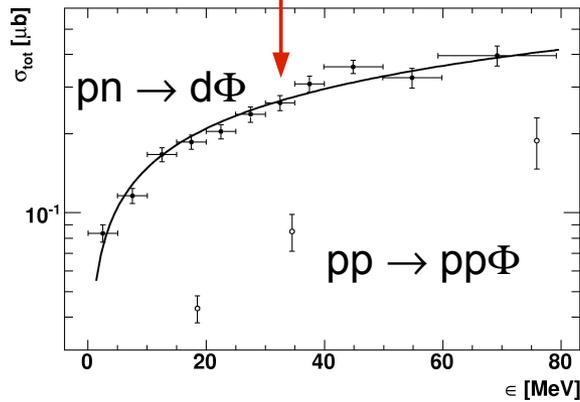
Simplest way out: A Φp threshold enhancement leads to a significant energy dependence of some of the A_{Ll} coefficients.

ANKE: $pn \rightarrow d\Phi$ (differential & total cross sections)

Y. Maeda *et.al.*, PRL 97 (2006) 142301

σ_{tot} follows phase space

$$d\sigma/d\Omega_{\Phi}^{K^+} = 3(a \cdot \sin^2\Theta_{\Phi}^{K^+} + 2b \cdot \cos^2\Theta_{\Phi}^{K^+})/8\pi, \sigma_{tot} = a+b$$



higher PW

ANKE: $\Phi(\rightarrow K^+K^-)$ production in pA - Φ -width measurement

Method: Attenuation measurements of the Φ flux

SPring-8 photo-production,
later also by CLAS.

$$D = \exp\left(-\int_z^\infty dl \frac{\Gamma^*(\rho(r)) M_0}{p_\Phi}\right), \rho(r) - \text{local nuclear density}$$

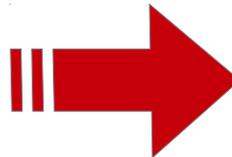
Φ survival probability in the nucleus matter rest frame:
In-medium width deduced from the target mass dependence.

dominate K^+K^- BR = 0.49

We present the A-dependence of the Φ production in the following form:

$$R = \frac{T_A}{T_C} = \frac{12}{A} \frac{\sigma_\Phi^A}{\sigma_\Phi^C}, \quad T_A = \frac{\sigma_\Phi^A}{A \sigma_\Phi^N}$$

nuclear transparency ratio

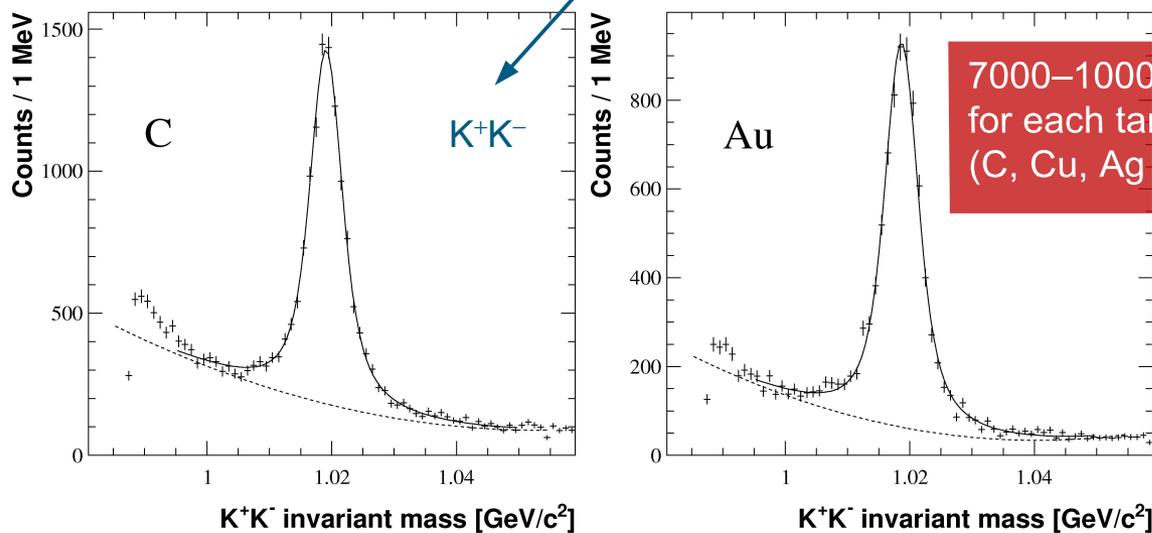
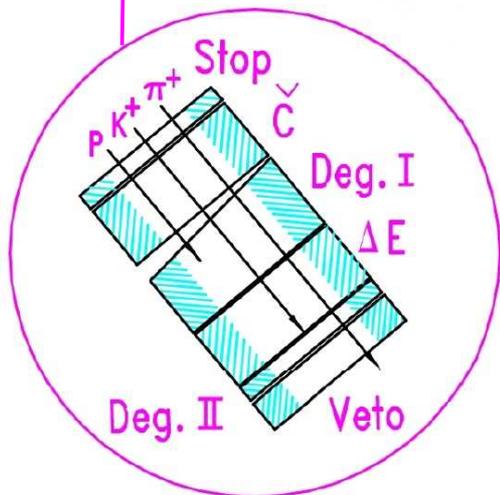
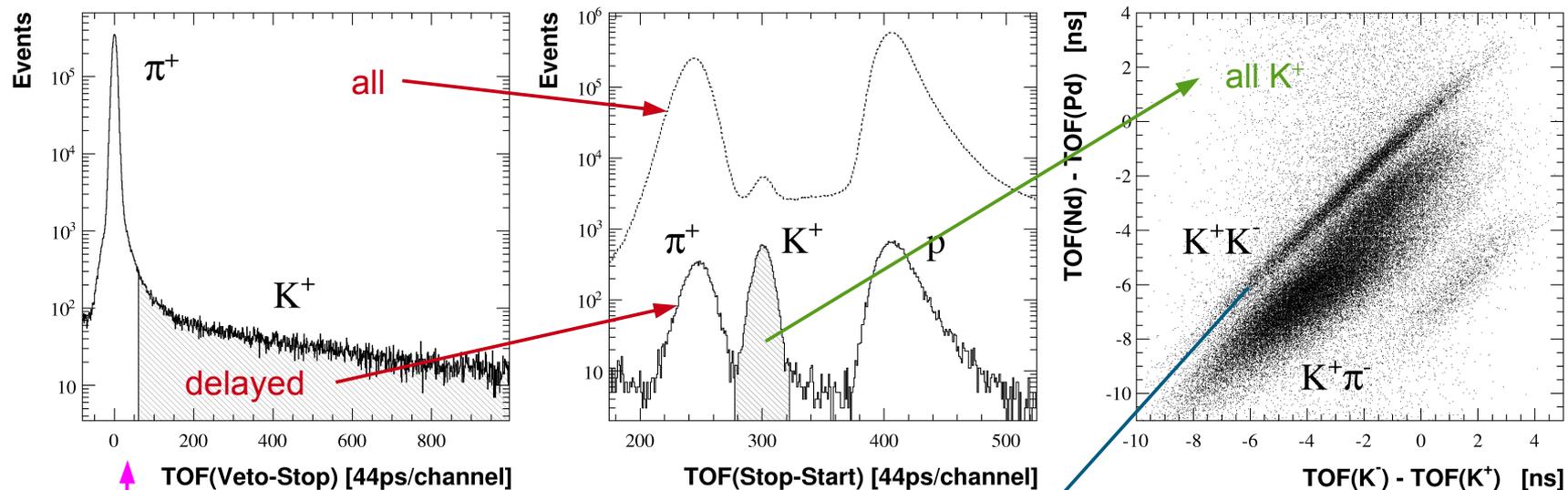
experiment at ANKE 

Reaction: pA $\rightarrow \Phi X$, via K^+K^- decay
p-Energy: 2.83 GeV ($\epsilon_{\text{free NN}} \approx 76\text{MeV}$)

Targets: C, Cu, Ag, Au

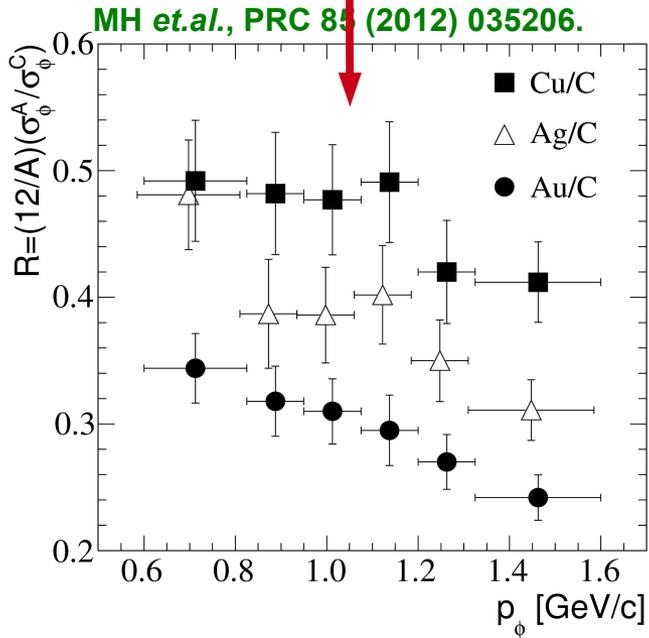
Momentum and angular range: (0.6 — 1.6) GeV/c,
 $0^\circ \leq \Theta_\Phi \leq 8^\circ$

Φ / K^+K^- selection



Transparency ratios:

experiment



Relevant features for models:

forward acceptance

two-step production processes

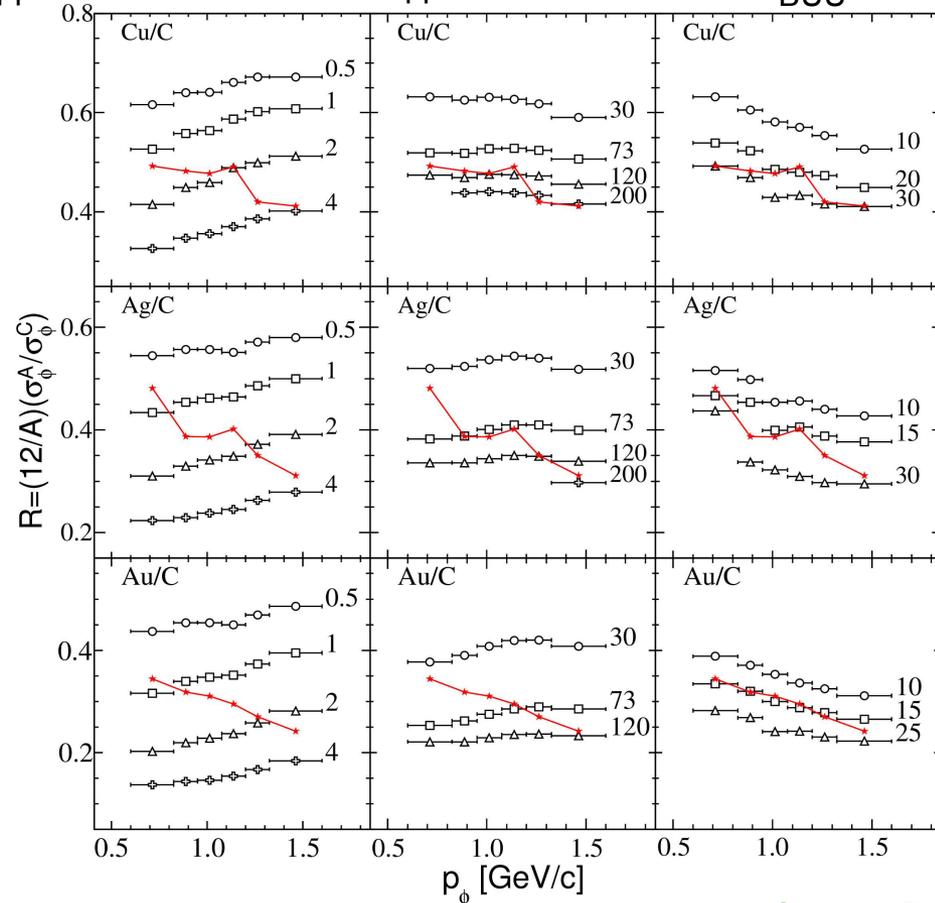
$$\frac{\sigma_{pn \rightarrow pn\Phi}}{\sigma_{pp \rightarrow pp\Phi}} \approx 4$$

and models

Valencia/E.Oset *et al.*
MC & Chiral Unitary
Approach

Moscow/E.Paryev
Nuclear Spectral Function
Approach

Rosendorf/
B.Kämpfer *et al.*
BUU



V.Magas *et al.*, PRC
71 (2005) 065202;
L.Roca (private
communication)

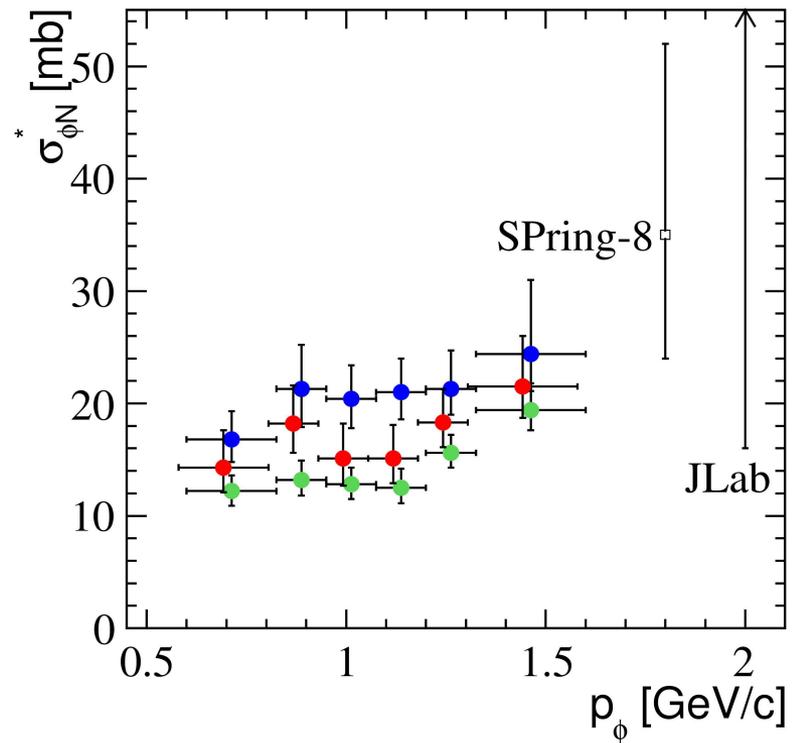
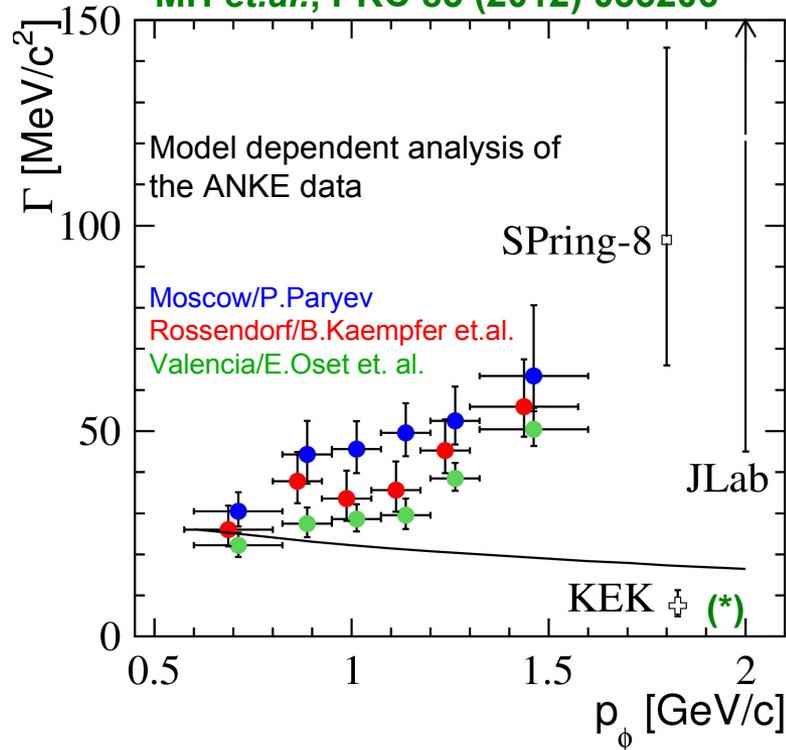
E.Paryev, J.Phys. G
36 (2009) 015103

H.Schade, B.Kämpfer
(private communication);
cf. PRC 81 (2010) 034902;

In-medium width Γ_ϕ and $\sigma_{\phi N}^*$ cross section

$$\text{LDA: } \Gamma_\phi^{\text{lab}}(\rho_0) = \frac{p_\phi}{E} \sigma_{\phi N}^* \rho_0$$

MH *et.al.*, PRC 85 (2012) 035206



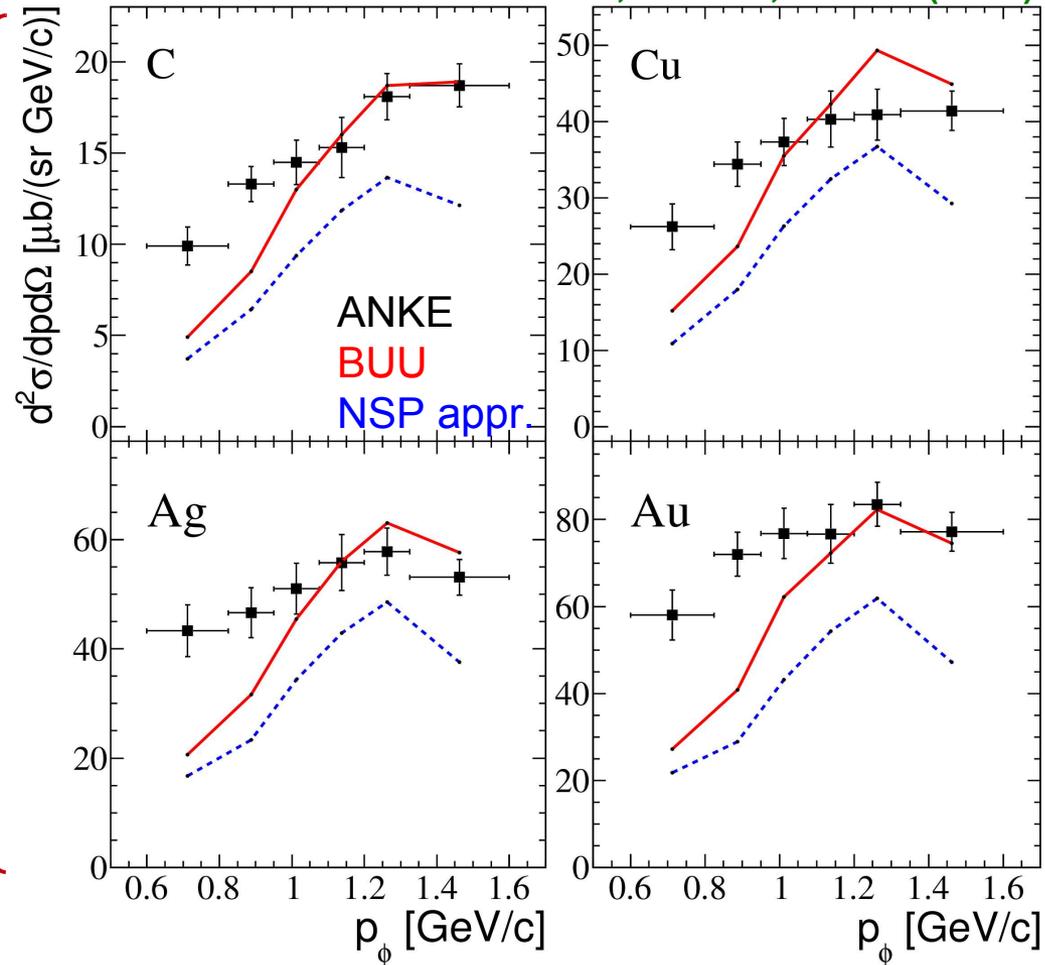
significant momentum dependence

cf. A. Polyanskiy *et.al.*, PLB 695 (2011) 74, (*) MH *et.al.*, EPJ Web Conf. 36 (2012) 00011

Double differential cross section of Φ production

MH *et al.*, PRC 85, 035206 (2012).

Excess in low momentum part



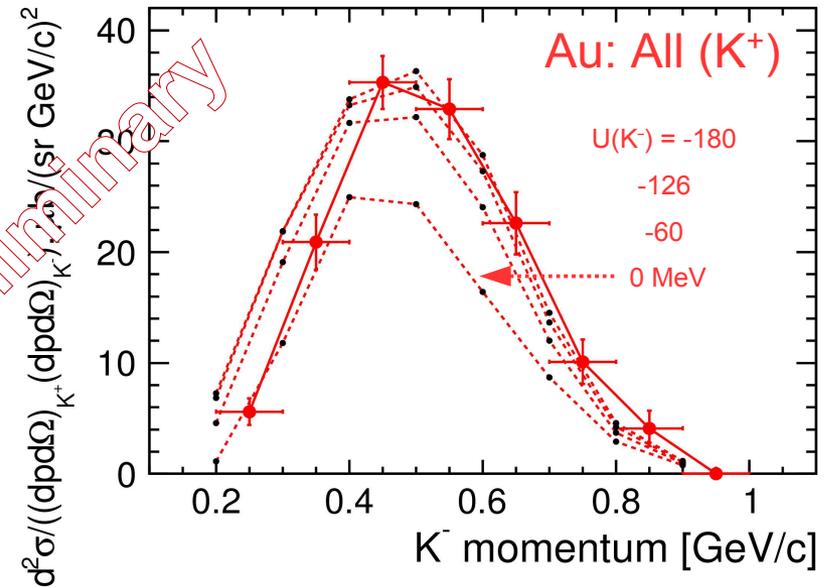
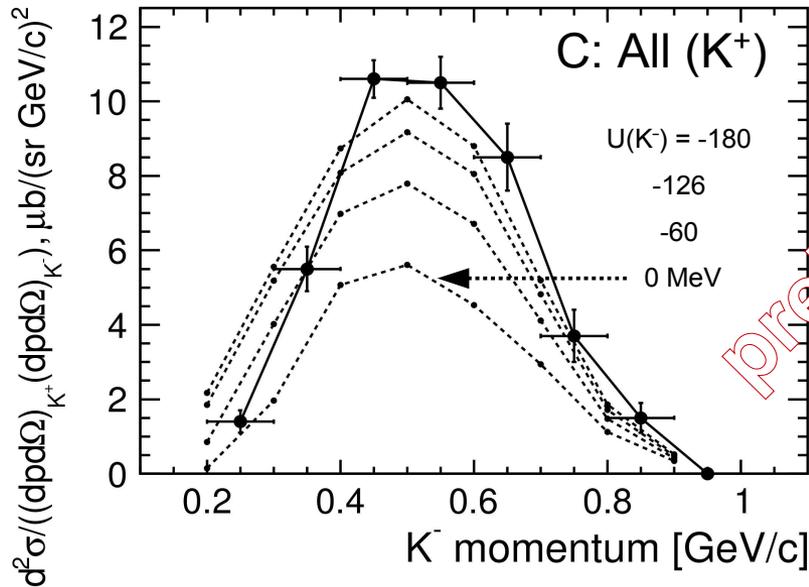
+ common systematics $\sim 20\%$

ANKE: (non- Φ) K^+K^- production in pA

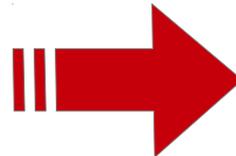
- first look/preliminary!

$0.2 < p(K^+) < 0.6 \text{ GeV}/c$, $\theta(K^+,K^-) < 12^\circ$, $IM(K^+,K^-) < 1.005 \text{ GeV}$

model calculation (NSP appr. / E. Paryev), absorption from KN scatt. data

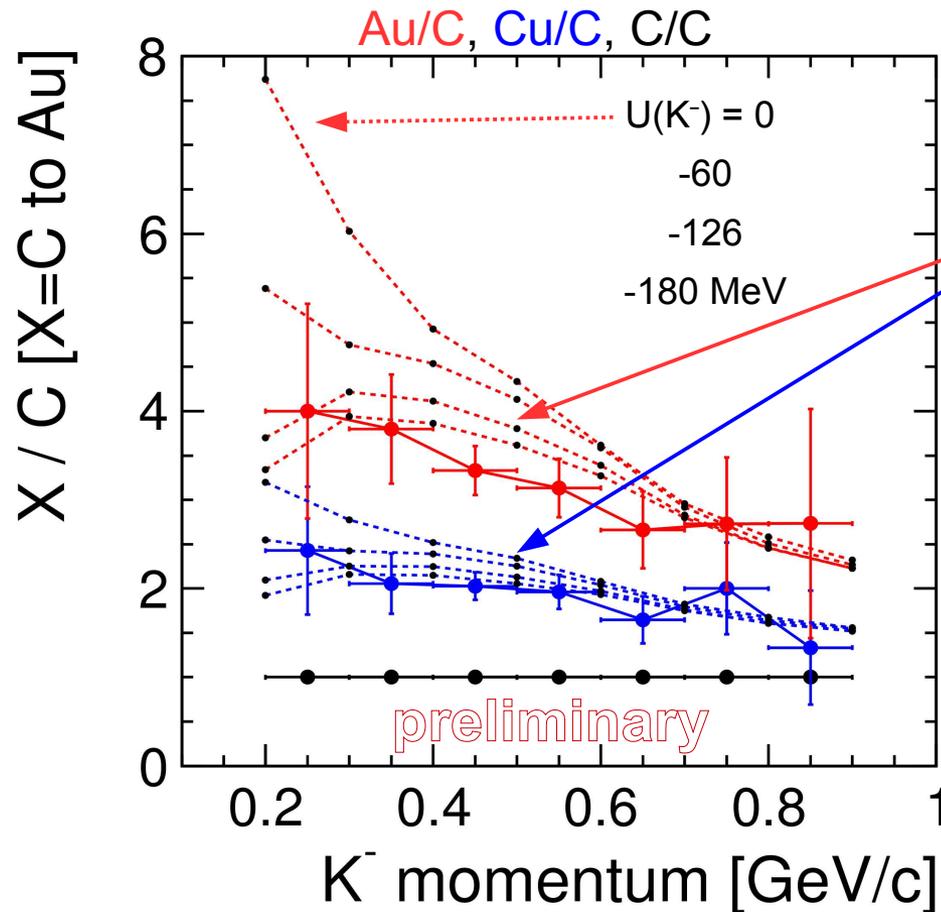


go to ratios



ANKE: (non- Φ) K^+K^- production in pA

- first look/preliminary!

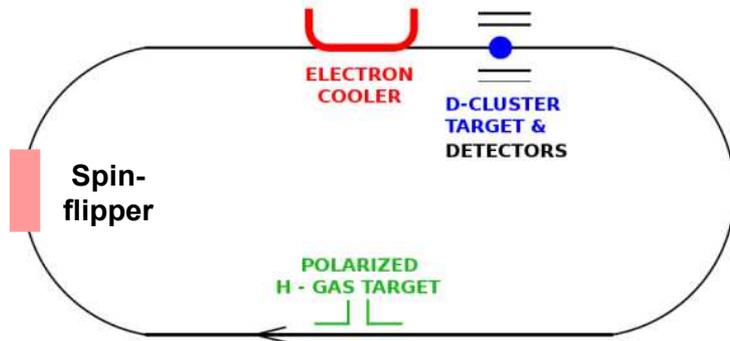


Underway / calculations from
Valencia group (Eulogio Oset):
Angels Ramos & Luis Roca

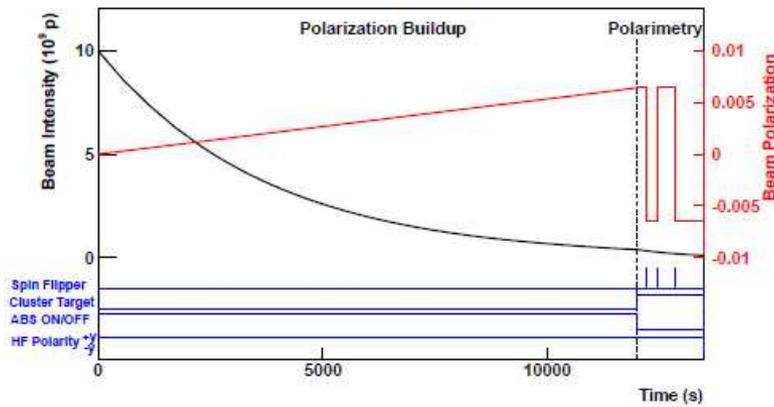
finalization of exp. data; in-depth model analysis needed

PAX: Transverse polarization buildup of a stored beam by Spin-Filtering

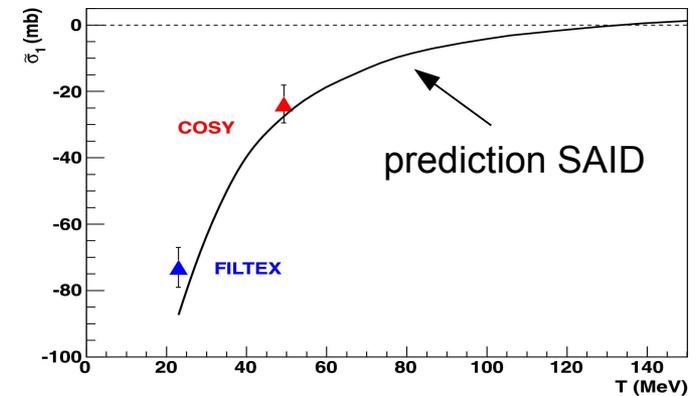
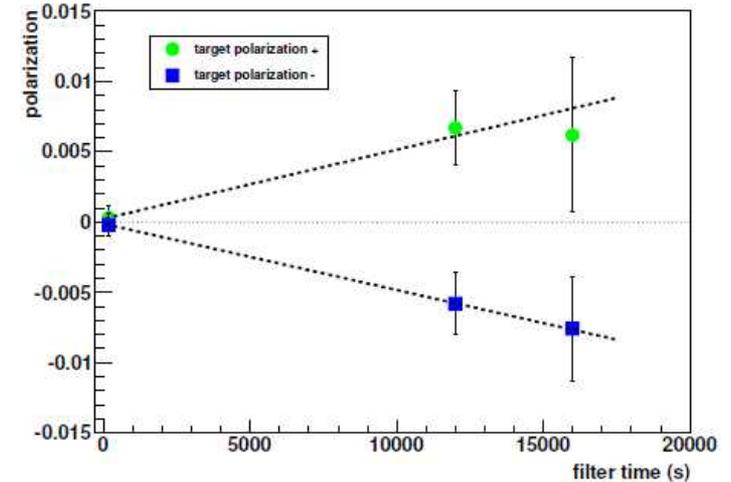
Experiment with COSY / schematic



COSY Cycle / schematic



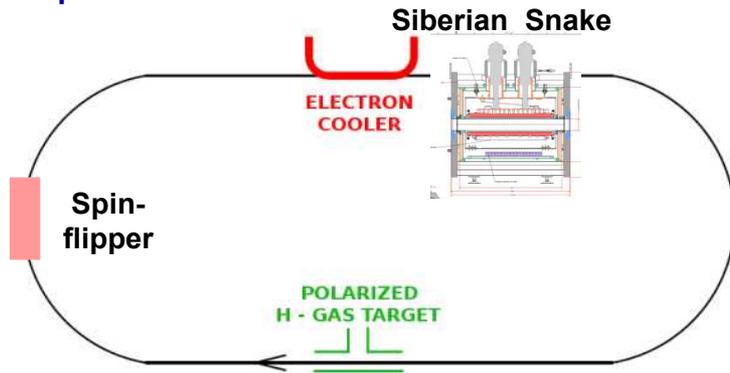
Results



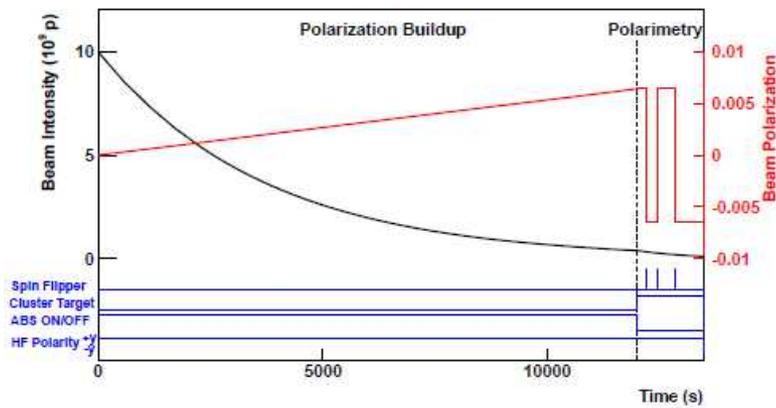
W. Augustyniak *et al.*, PLB 718 (2012) 64

PAX: Transverse polarization buildup of a stored beam by Spin-Filtering

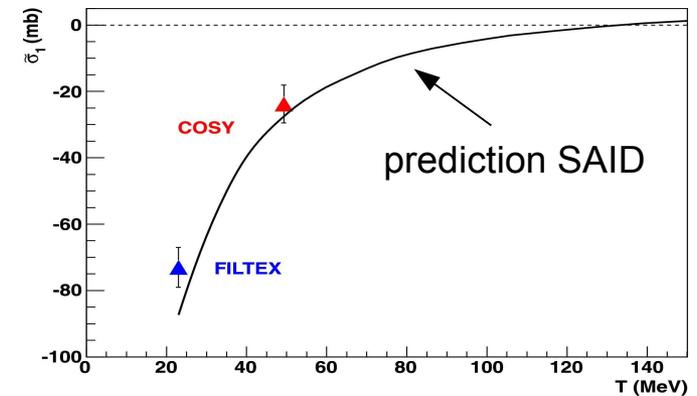
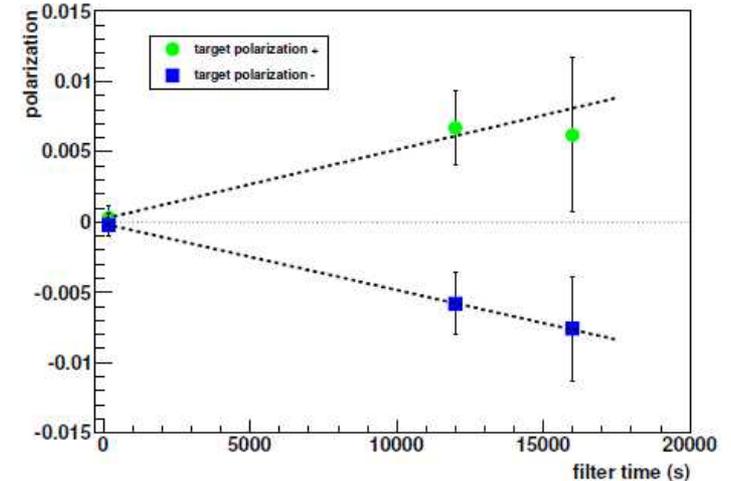
Experiment with COSY / schematic



COSY Cycle / schematic



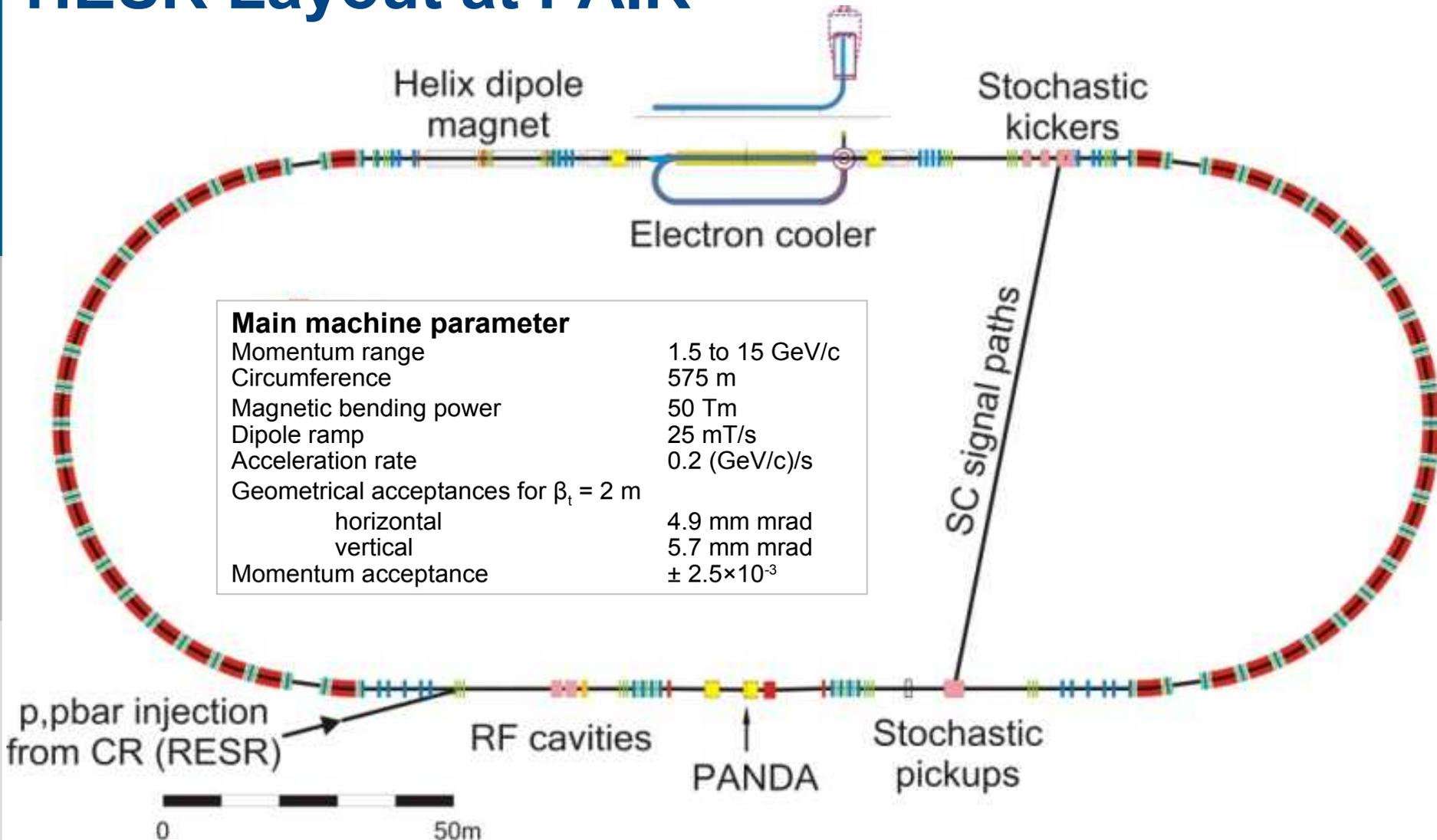
Results



W. Augustyniak *et al.*, PLB 718 (2012) 64

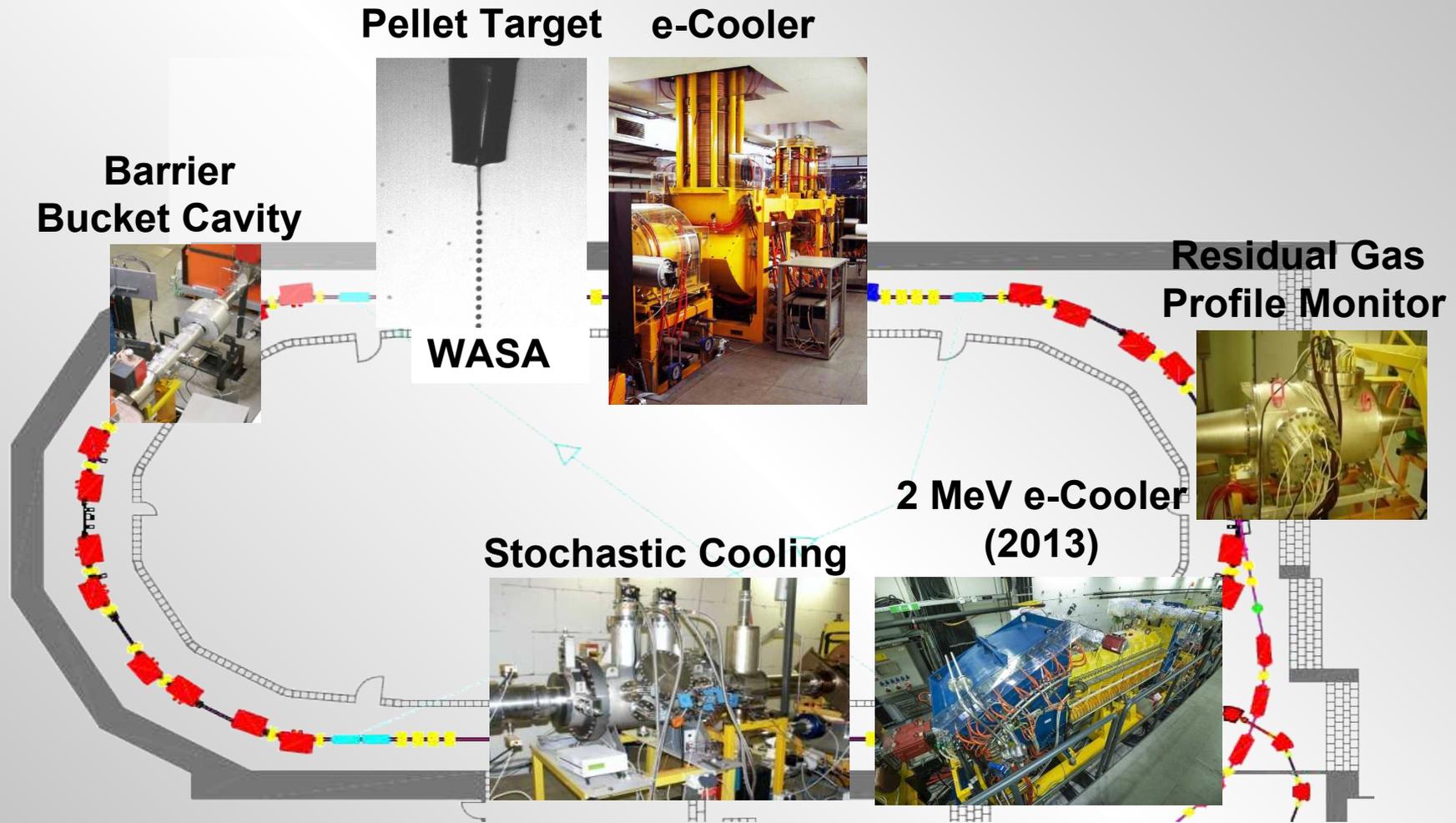
Preparation for longitudinal polarization build-up at COSY and PAX-at-CERN/AD

HESR Layout at FAIR



Jülich is leading lab for design and construction

HESR Prototyping and Beam Physics



HESR accelerator component tests

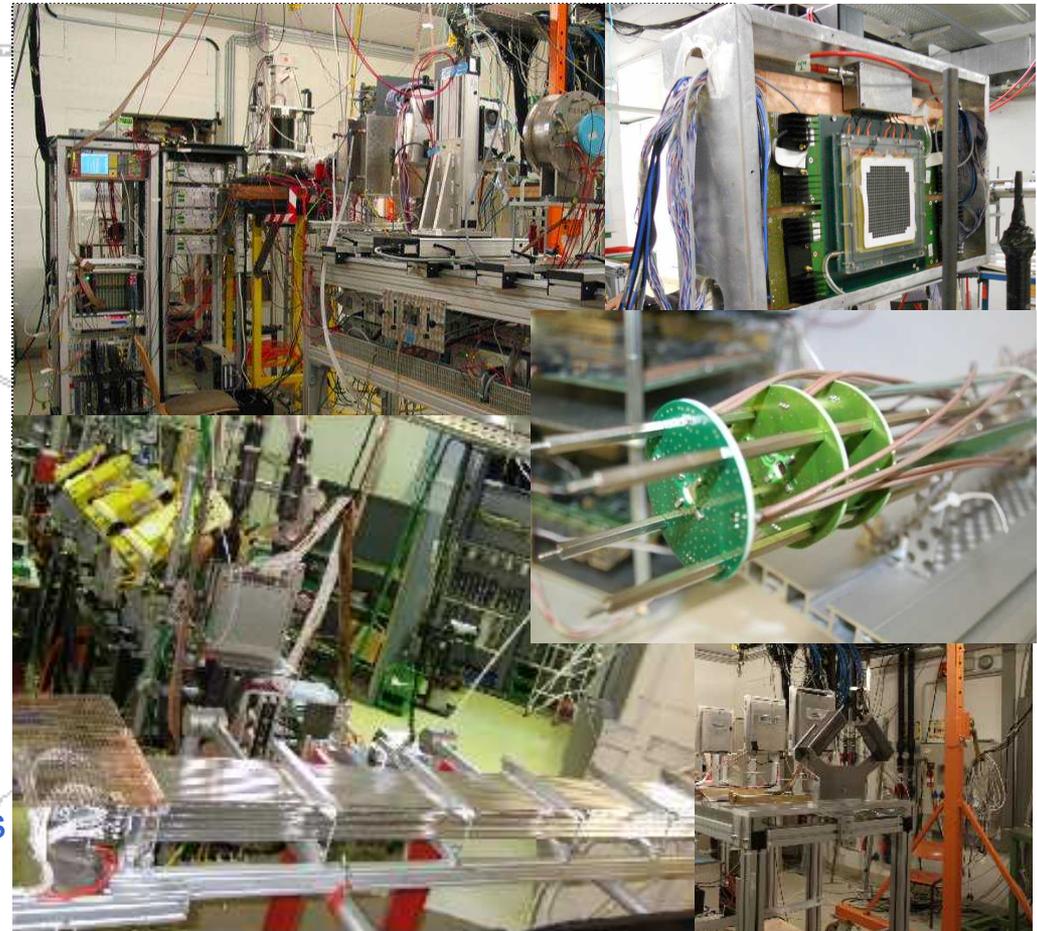
Preparatory Work for FAIR Detectors

CBM, PANDA

CBM: Silicon Tracker Tests
 GEM Detector Tests
 RPC ToF-Detector Tests

HADES: Diamond Detector Tests

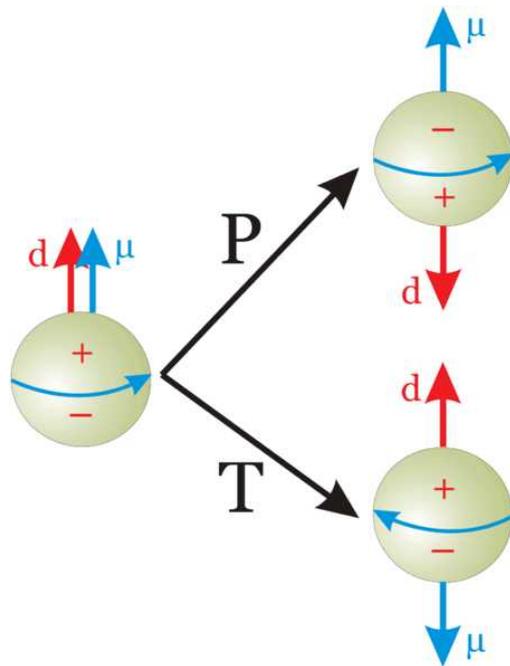
PANDA: Straw-tube Tests
 Micro-vertex Detector Tests
 (Disk DIRC Tests)



„Preassembly“ of PANDA parts (TOF area)

Electric Dipole Moments

EDM: Permanent spatial separation of positive and negative charges



Permanent EDMs violate parity P and time reversal symmetry T

Assuming CPT to hold, combined symmetry CP violated as well.

EDMs are candidates to solve mystery of matter-antimatter asymmetry

EDMs – Ongoing / Planned

• Neutrons ~200

- @ILL
- @ILL, @PNPI
- @PSI
- @FRM-2
- @RCNP, @TRIUMF
- @SNS
- @J-PARC

• Molecules ~50

- YbF@Imperial
- PbO@Yale
- ThO@Harvard
- HfF+@JILA
- WC@UMich
- PbF@Oklahoma

• Atoms ~100

- Hg@UWash
- Xe@Princeton
- Xe@TokyoTech
- Xe@TUM
- Xe@Mainz
- Cs@Penn
- Cs@Texas
- Fr@RCNP/CYRIC
- Rn@TRIUMF
- Ra@ANL
- Ra@KVI
- Yb@Kyoto

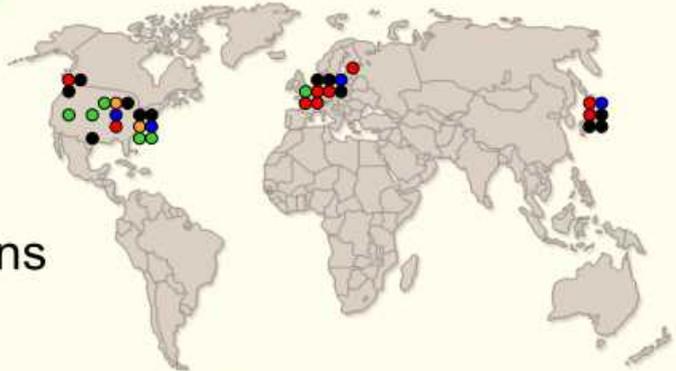
• Ions-Muons ~200

- @BNL
- @FZJ
- @FNAL
- @JPARC

• Solids ~10

- GGG@Indiana
- ferroelectrics@Yale

Rough estimate of numbers of researchers, in total ~500 (with some overlap)



P. Harris, K. Kirch ... A huge worldwide effort

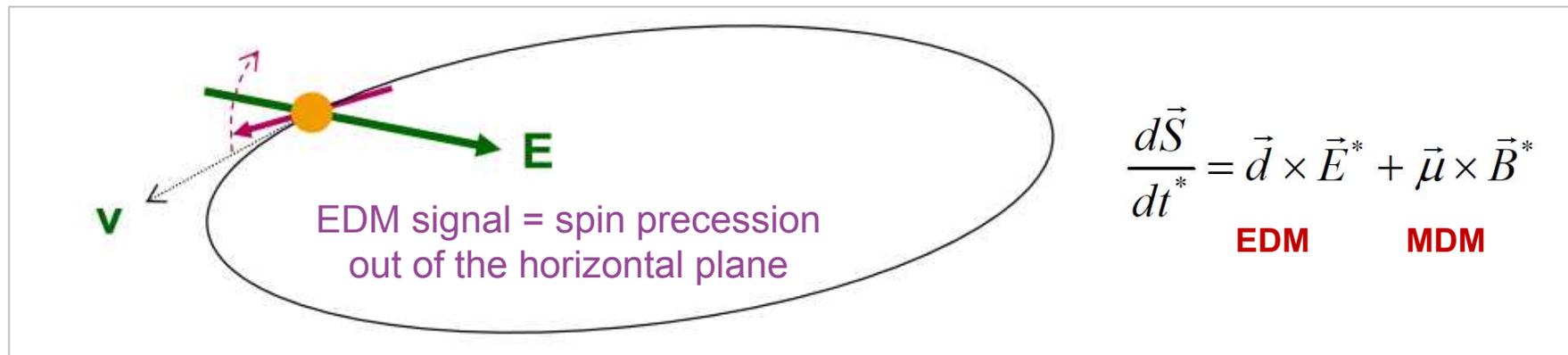
EDM – Charged particles (p,d, ...)

Why? (charged particles)

- Identification of the CPV-source
- Highest sensitivity (goal 10^{-29} e cm)

How? (spin tracking in E-, B-fields)

- Polarized particles
- Precision storage ring



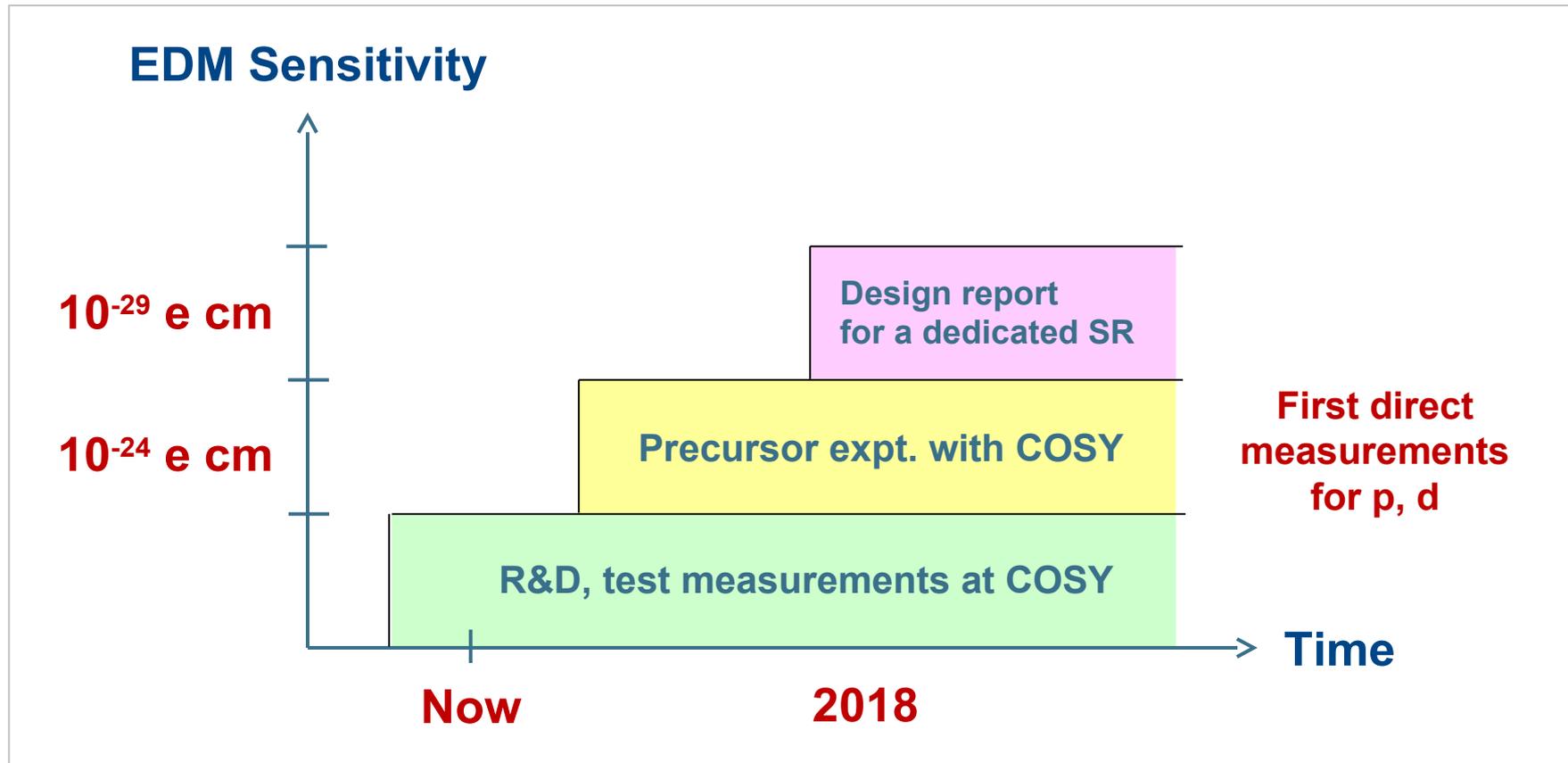
Where? (COSY at Forschungszentrum Jülich)

- Storage ring (conventional) and polarized beams
- Accelerator and experimental experience in spin physics
- Strong environment (e.g. FZJ infrastructure, JARA)

EDM – Strategy

Charged-particle EDM searches at storage rings represent **a challenge!**

- Stepwise approach



Spin-off: Accelerators, instrumentation, metrology, ...

Summary and Outlook

COSY has a strong physics program:
spin physics and symmetries

COSY is an ideal test machine for FAIR
preparatory work:
accelerator and detector components

COSY is the ideal starting place for charged - particle
EDMs and precision measurements:
R&D work, first direct measurement and dedicated
storage ring

Summary and Outlook

COSY has a strong physics program:
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Thank You!

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EDMs and precision measurements:
R&D work, first direct measurement and dedicated
storage ring

Extra slides

Storage Ring EDM Project

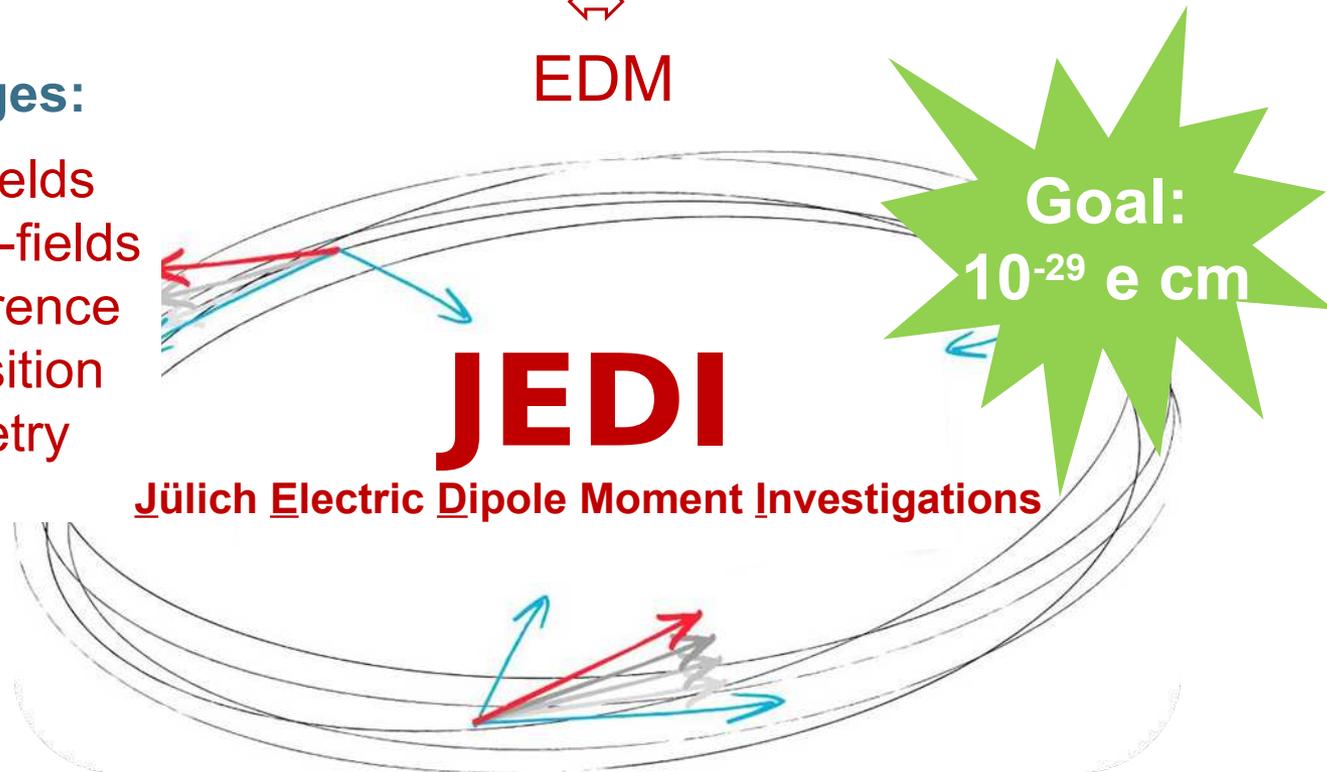
... watch for development of **vertical polarization**



EDM

Challenges:

- Huge E-fields
- Shielding B-fields
- Spin coherence
- Beam position
- Polarimetry
- (...)



~ 100 members

(Aachen, Dubna, Ferrara, Cornell, Jülich, Krakow, Michigan, St. Petersburg, Minsk, Novosibirsk, Stockholm, Tbilisi, . . .)

10 PhD students

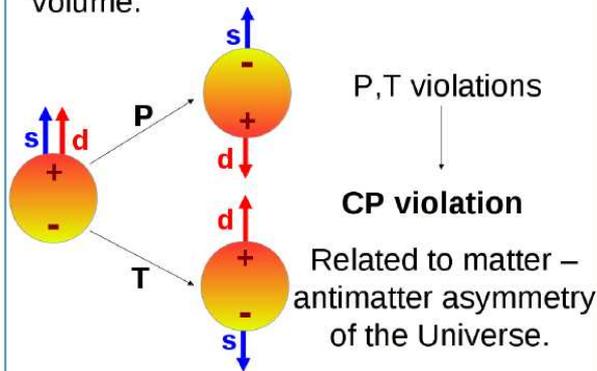
Spin Coherence Time Studies at COSY

Greta Guidoboni, INFN and University of Ferrara and Forschungszentrum Jülich

Motivation: Search for Physics beyond the Standard Model

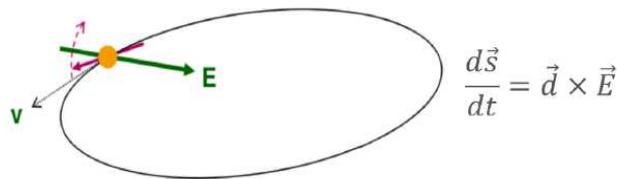
Electric Dipole Moment (EDM)

Charge separation within the particle volume.



Observation of a charged-particle EDM

- **Storage ring** with a radial electric field.
- Start with **spin along velocity**.

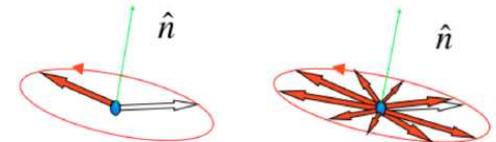


EDM signal = spin precession out of the horizontal plane

Spin Coherence Time

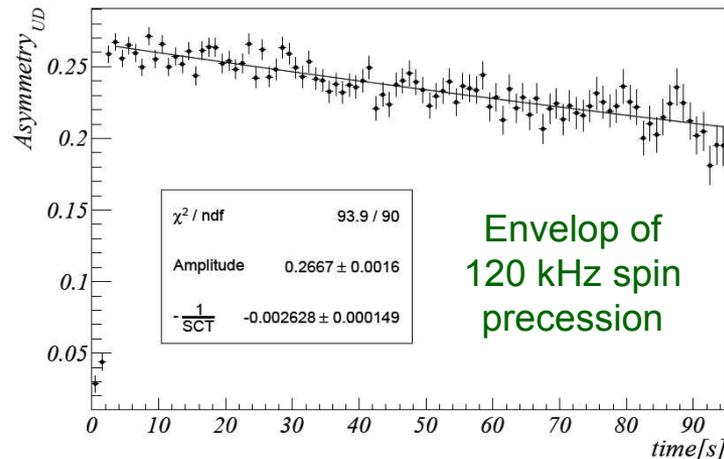
Test of Physics beyond SM requires a **sensitivity of 10^{-29} e·cm**.

Prerequisite: maintain horizontal polarization lifetime for 1000 s.



Horizontal polarization lifetime = Spin Coherence Time (SCT)

R&D Work at COSY (preliminary)



Prerequisites to get long SCT:

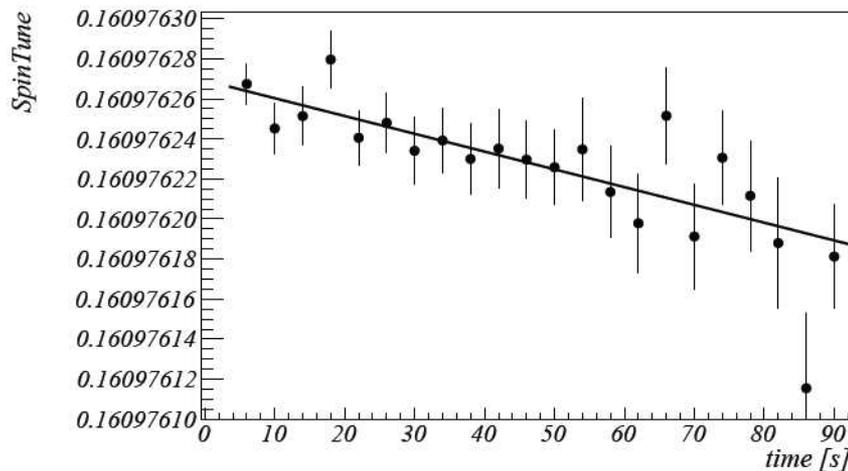
Beam bunching

Beam cooling

Sextupole correction

SCT $\approx 400\text{s}$

Up-down asymmetry (\sim horizontal polarization) as a function of time



Measured spin tune versus time in cycle

Precision of spin tune measurement:

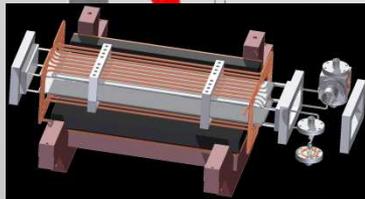
10^{-8} per 4 seconds

Averaged spin tune
can be determined to
 10^{-10} in a single 100s cycle

High-precision spin physics !

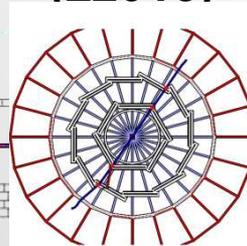
EDM Prototyping and Spin Physics

SQUID and
Cavity BPMs
(≥ 2014)



RF ExB Spin
Flipper
(2014)

Prototype
Polarimeter
(≥ 2015)



Electrostatic
Deflector
(2017)



EDM accelerator and detector component tests

Method of Φ -width measurement

- Attenuation measurements of the Φ flux
CLAS results.

SPring-8 photo-production, up-coming

$$D = \exp \left(- \int_z^\infty dl \frac{\Gamma^*(\rho(r)) M_0}{p_\Phi} \right), \rho(r) - \text{local nuclear density}$$

Φ survival probability in the nucleus matter rest frame: In-medium width deduced from the target mass dependence.

dominate K^+K^- BR = 0.49

SPring-8 / LEPS experiment

Reaction: $\gamma A \rightarrow \Phi X$, via K^+K^- decay

γ -Energy: 1.5 — 2.4 GeV

Targets: Li, C, Al, Cu

Result: large $\sigma_{\Phi N} = 35^{+17}_{-11}$ mb, using
Glauber-type multi-scatt. theory
(free $\sigma_{\Phi N} \approx 8-10$ mb)

T. Ishikawa *et al.*, PLB 608 (2005) 215

COSY experiment at ANKE

Reaction: $pA \rightarrow \Phi X$, via K^+K^- decay

p-Energy: 2.83 GeV ($\epsilon_{\text{free NN}} \approx 76\text{MeV}$)

Targets: C, Cu, Ag, Au

Momentum and angular range: (0.6 — 1.6) GeV/c,
 $0^\circ \leq \Theta_\Phi \leq 8^\circ$

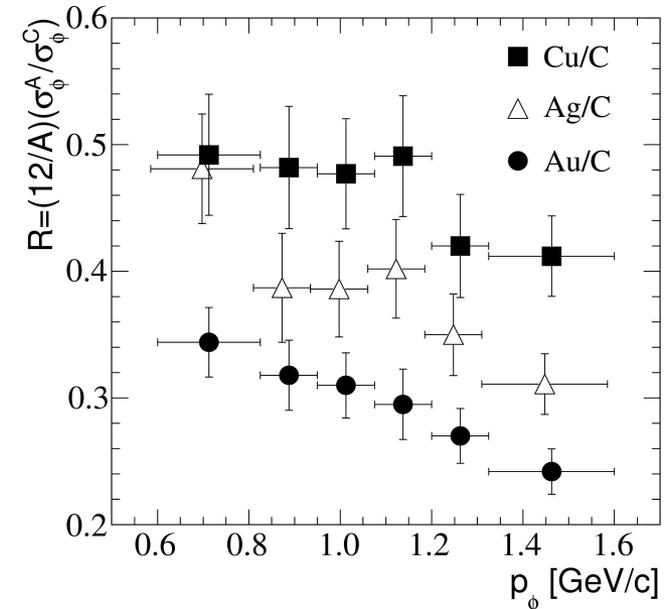


Transparency ratios: experiment

We present the A-dependence of the Φ production in the following form:

$$R = \frac{T_A}{T_C} = \frac{12}{A} \frac{\sigma_\Phi^A}{\sigma_\Phi^C}, \quad T_A = \frac{\sigma_\Phi^A}{A \sigma_\Phi^N}$$

nuclear transparency ratio



Any interpretation of the transparency ratio has to rely on a detailed theoretical treatment



Limited sensitivity to in-medium signal

$$\underbrace{\frac{d \sigma_{V \rightarrow X_1 X_2}}{d \mu} \sim A(\mu)}_{\text{experimental observed mass distribution = convolution of spectral function with the branching ratio into channel being studied}} \underbrace{\frac{\Gamma_{V \rightarrow X_1 X_2}}{\Gamma_{tot}} = \frac{\mu \Gamma_{tot}}{(\mu^2 - m_V^2)^2 + \mu^2 \Gamma_{tot}^2} \frac{\Gamma_{V \rightarrow X_1 X_2}}{\Gamma_{tot}}}_{\text{After integration over all nucleons and parameterizing strength function with Breit Wigner}}$$

experimental observed mass distribution = convolution of spectral function with the branching ratio into channel being studied

After integration over all nucleons and parameterizing strength function with Breit Wigner

$$\Gamma_{tot} = \Gamma_{vac} + \Gamma_{med}$$

$$\Gamma_{med}(\rho(r)) = \Gamma_{med}(\rho_0) \frac{\rho(r)}{\rho_0}$$

In the low density approximation

3 effects limit sensitivity:

- i. yield reduced by increase of in-medium width ($\Gamma_{med} \gg \Gamma_{vac}$)
- ii. reduced yield spreads out in mass, difficult to distinguish from background
- iii. decays occur at low densities ($\rho \ll \rho_0$) even for low momentum selection

Limited sensitivity to in-medium signal

$$\frac{d\sigma_{V \rightarrow X_1 X_2}}{d\mu} \sim A(\mu) \frac{\Gamma_{V \rightarrow X_1 X_2}}{\Gamma_{tot}} = \frac{\mu \Gamma_{tot}}{(\mu^2 - m_V^2)^2 + \mu^2 \Gamma_{tot}^2} \frac{\Gamma_{V \rightarrow X_1 X_2}}{\Gamma_{tot}}$$

experimental observation
convolution of signal
branching ratio in

$$\frac{d\sigma_{V \rightarrow X_1 X_2}}{d\mu} \sim \frac{1}{\rho^2(r)}$$

neutrons and pions
in-medium with Breit

$$\Gamma_{tot} = \Gamma_{vac}$$

$$\frac{\rho(r)}{\rho_0}$$

In the low density approximation

3 effects limit sensitivity:

- i. yield reduced by increase of in-medium width ($\Gamma_{med} \gg \Gamma_{vac}$)
- ii. reduced yield spreads out in mass, difficult to distinguish from background
- iii. decays occur at low densities ($\rho \ll \rho_0$) even for low momentum selection

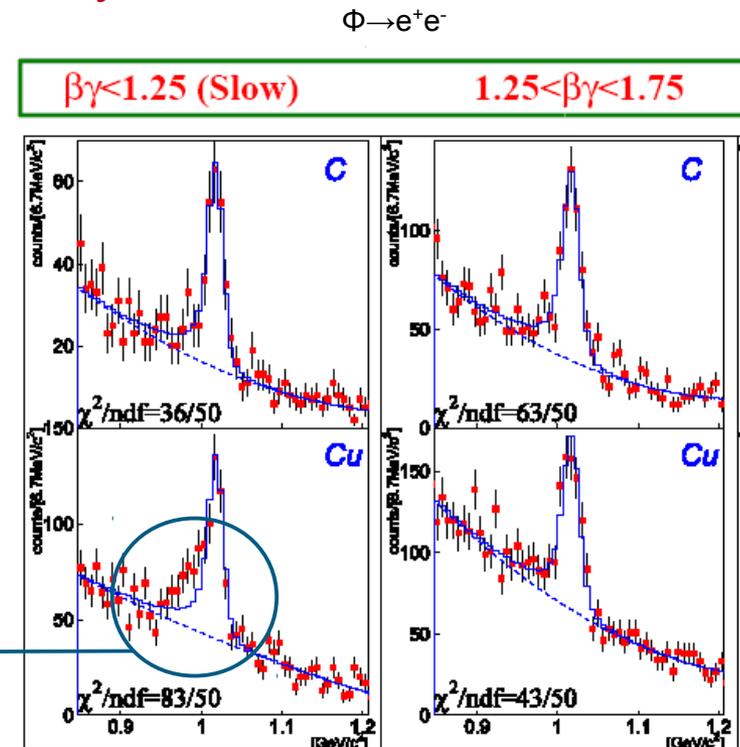
Methods of Φ -width measurement

- Study of the meson spectral function - measure low momentum Φ 's via leptonic decays. **Not really done yet.**

- $\Phi \rightarrow e^+e^-$ (BR = $3 \cdot 10^{-4}$)
- $\Phi \rightarrow K^+K^-$ (BR = 0.49, K^- FSI, hadronic potential)

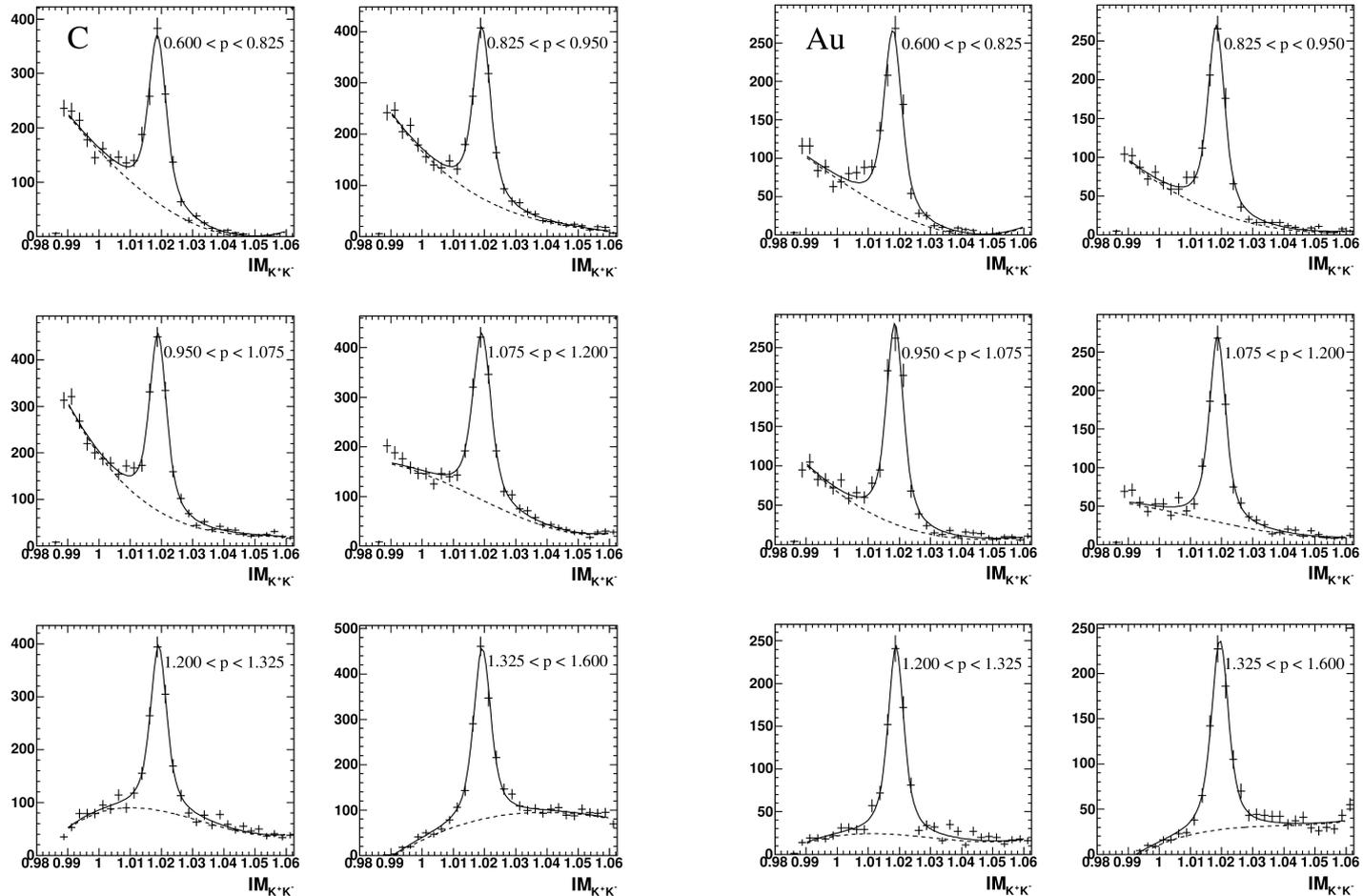
KEK-PS: pA @ 12 GeV

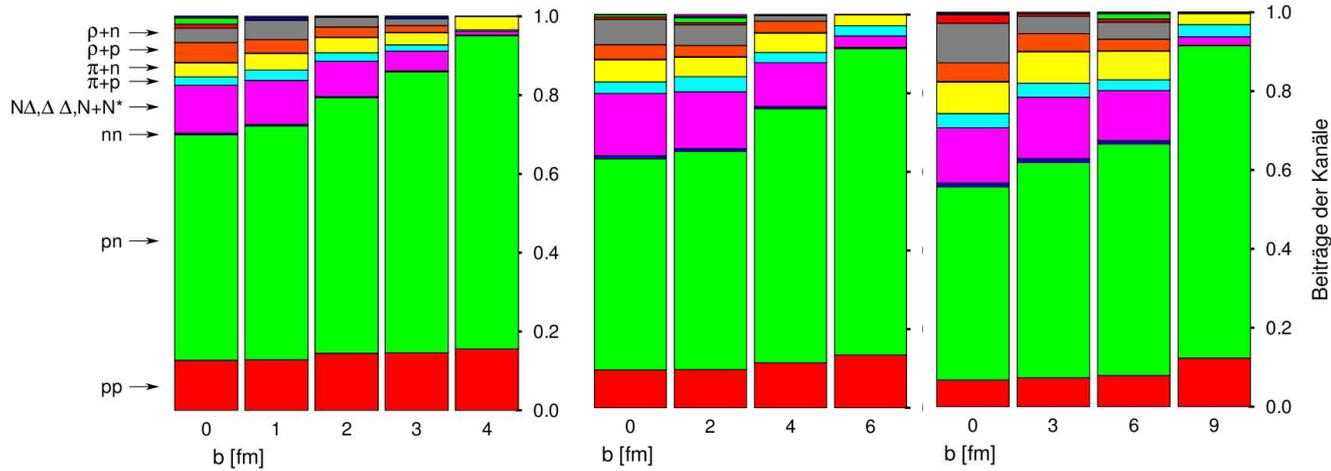
$\Gamma^* \approx 15$ MeV, $m^* \approx -3.4\%$
for $\langle p_\phi \rangle = 1.8$ GeV/c



R.Muto *et al.*, PRL 98 (2007) 042501

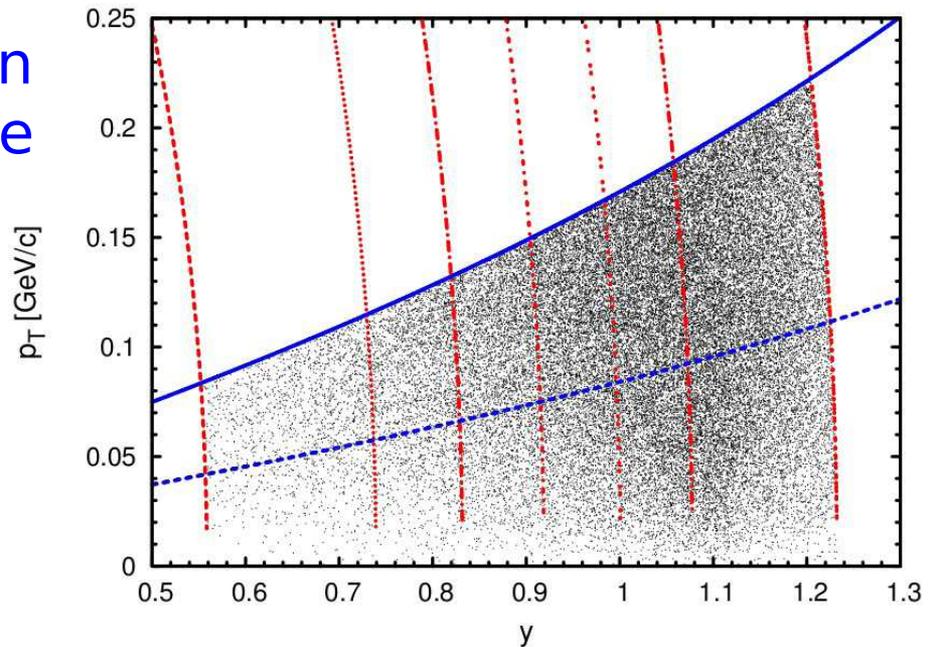
Invariant mass spectra for 6 momentum bins





pA: p+C,Cu,Au
@ 2.83 GeV(ANKE)

phase space distribution
of ϕ in ANKE acceptance



pp → ppΦ (energy dependence)

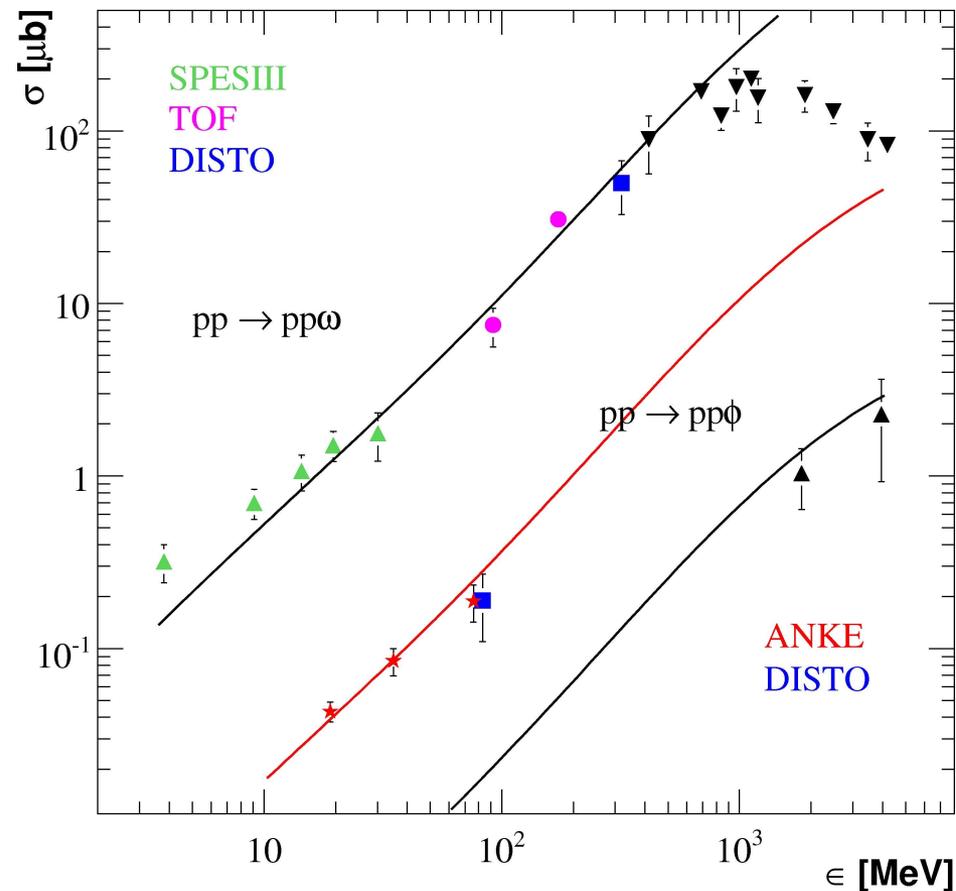
OZI rule: $4.2 \times 10^{-3} \equiv R_{\text{OZI}}$

$R_{\Phi/\omega}(\text{high energy}) \approx (1 - 2.4) \times R_{\text{OZI}}$

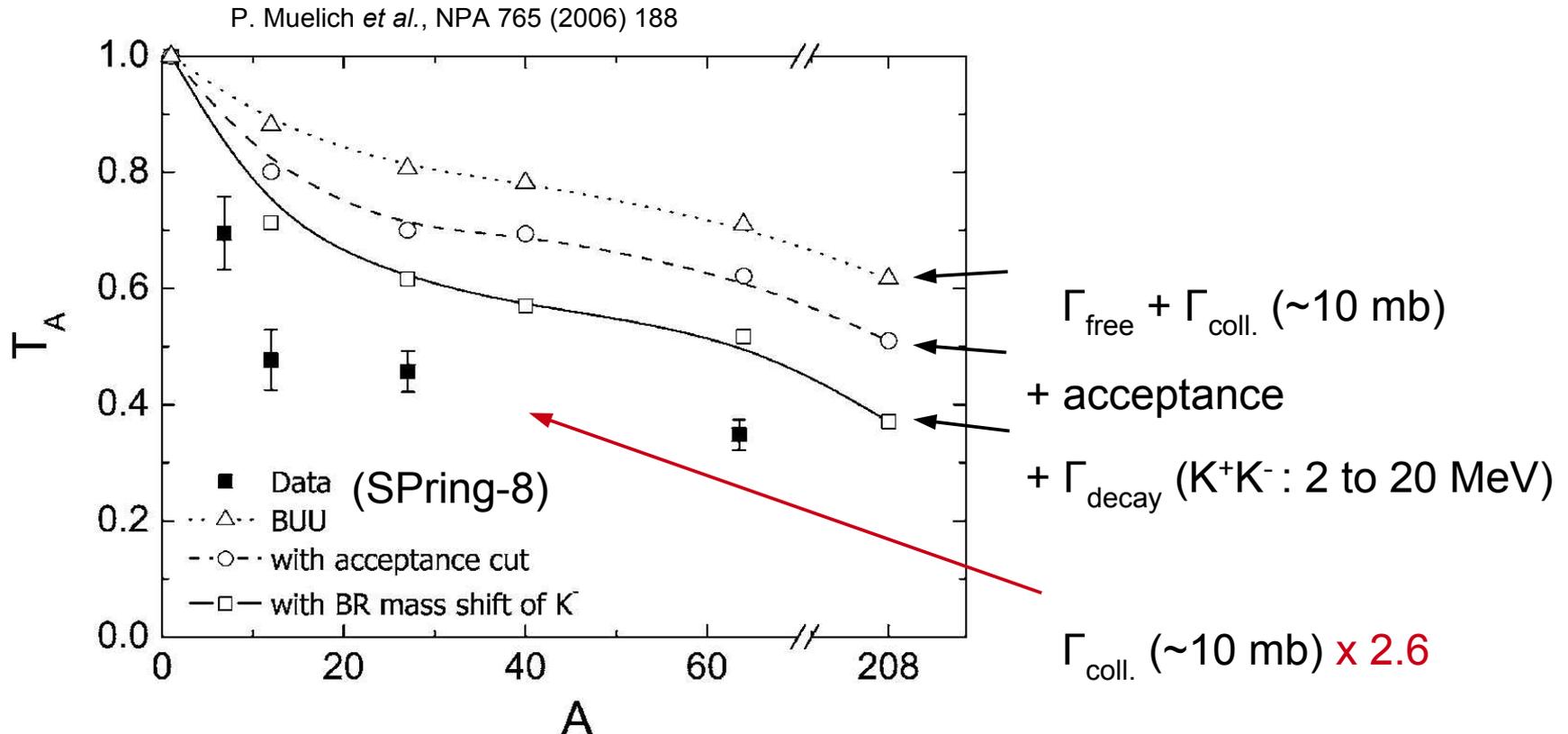
(in agreement with πN data and the $\Phi\rho\pi$ and $\omega\rho\pi$ coupling)

$R_{\Phi/\omega}(18.5-79.5 \text{ MeV, ANKE}) \approx 7 \times R_{\text{OZI}}$

PRL 96 (2006) 242301



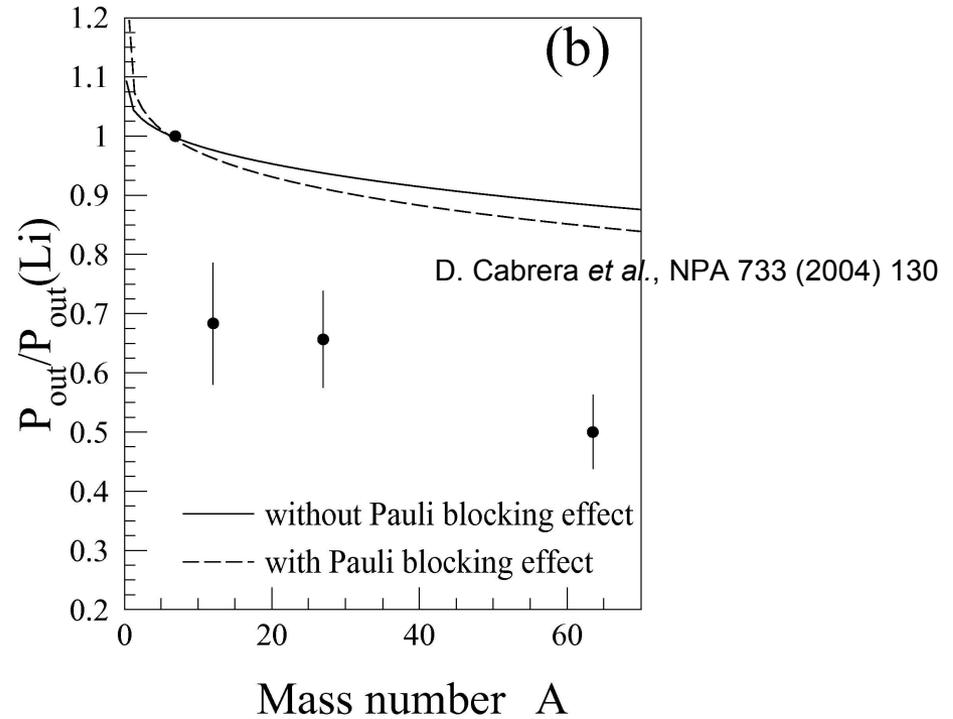
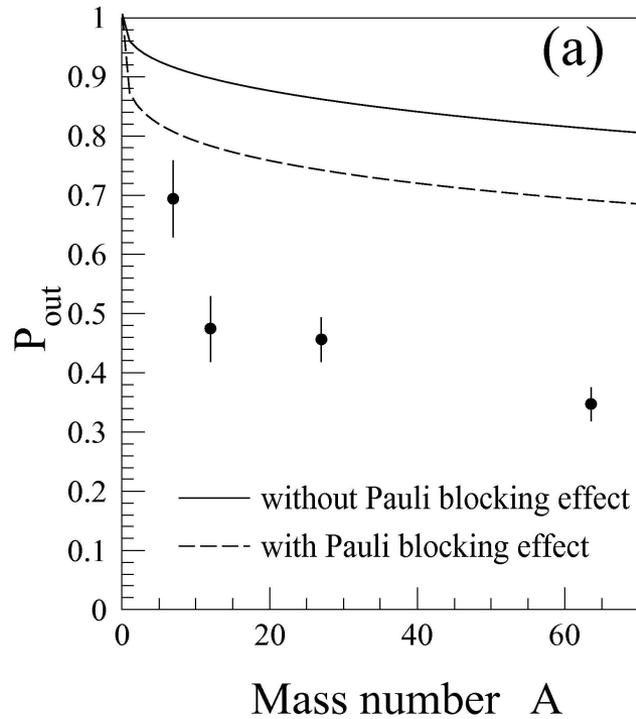
Giessen-BUU calculations (SPring-8 data)



$\Gamma \approx 80 \text{ MeV}, 1.8 \text{ GeV}/c \Phi$'s

Valencia calculations (SPring-8-data)

E. Oset *et al.*, *Pramana* 66 (2006) 731



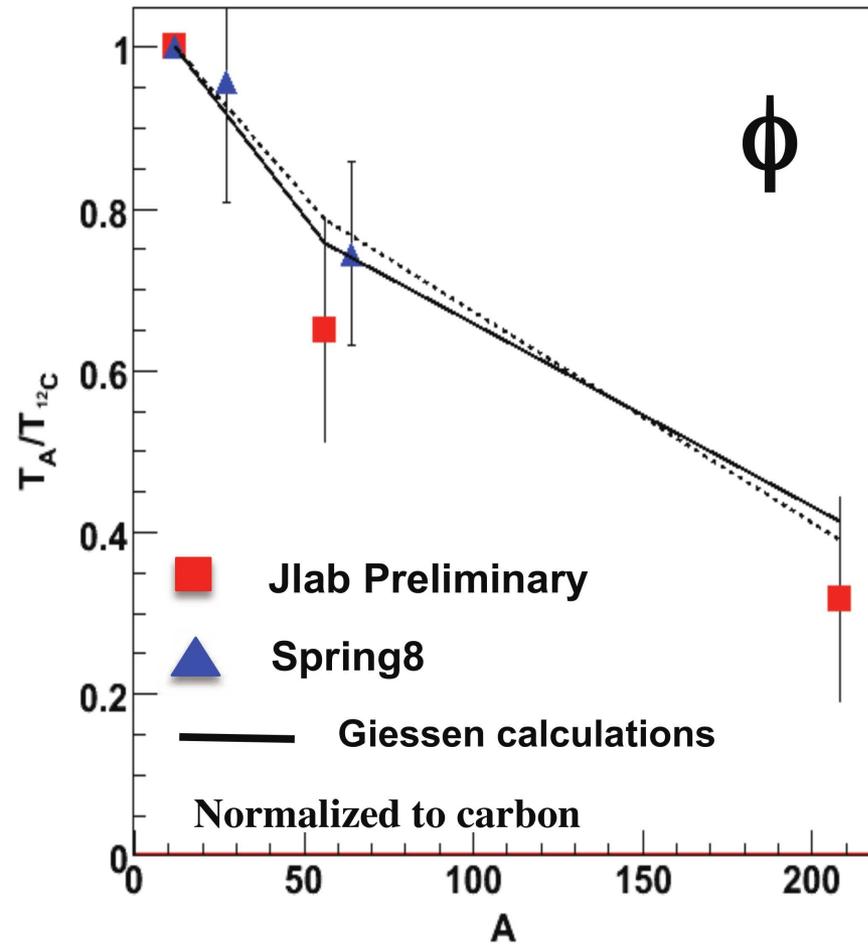
$$P_{out} = \frac{\sigma_{\phi}^A}{A \sigma_{\phi}^N}$$

SPring-8 and up-coming JLAB-g7 (CLAS) result

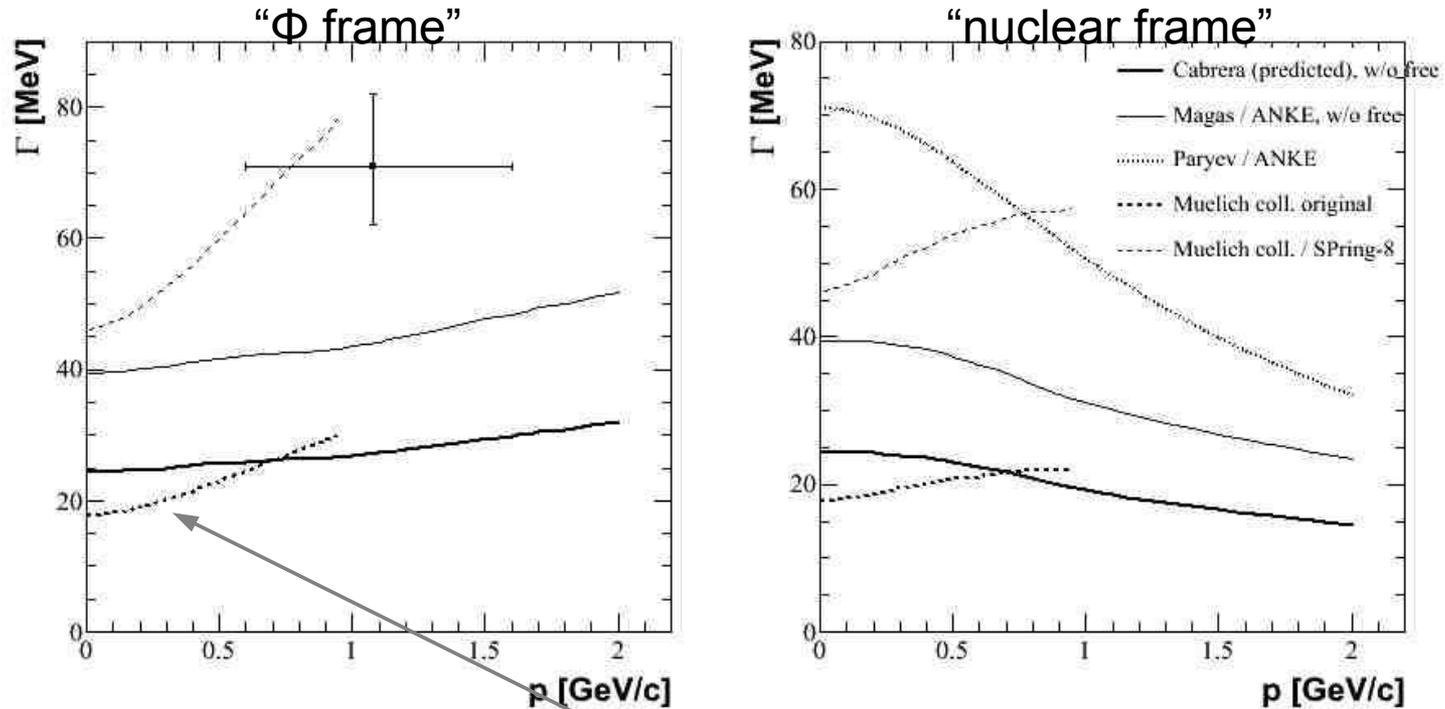
R. Nasseripour *et al.*, AIP 1056 (2008) 223

CLAS: $\gamma A \rightarrow \Phi(\rightarrow e^+e^-)X$

“agreement”



Momentum dependence of the in-medium Φ -width



$$\mathcal{I}\text{m}\Pi_{\text{coll}}(q_0 = \sqrt{m_V^2 + \mathbf{q}^2}, \mathbf{q}, n_N(\mathbf{r})) = -4 \int \frac{d^3p}{(2\pi)^3} \Theta(|\mathbf{p}| - p_F) \frac{|\mathbf{k}_{\text{cm}}| \sqrt{s}}{E_N(\mathbf{p})} \sigma_{VN}(s)$$

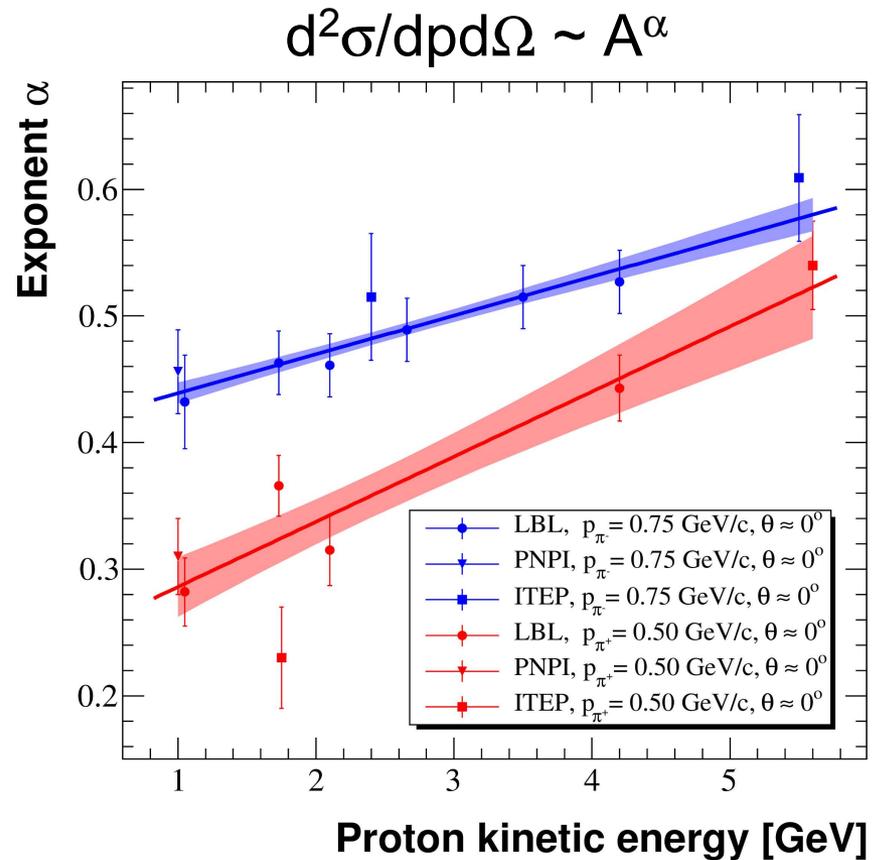
$$\Gamma_{\text{coll}} = -\frac{\mathcal{I}\text{m}\Pi_{\text{coll}}}{m_\phi}$$

Determination of α for π production

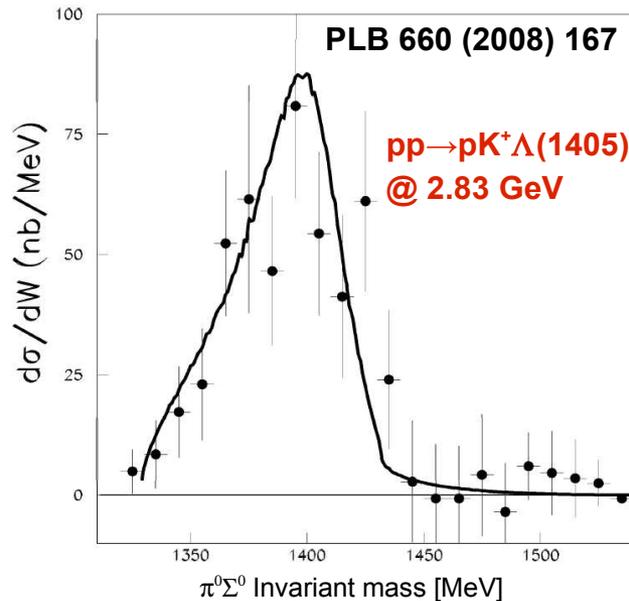
At $T_p = 2.83$ GeV:

$$\alpha(\pi^-) = 0.495 \pm 0.005 \text{ (1\%)}$$

$$\alpha(\pi^+) = 0.380 \pm 0.018 \text{ (5\%)}$$

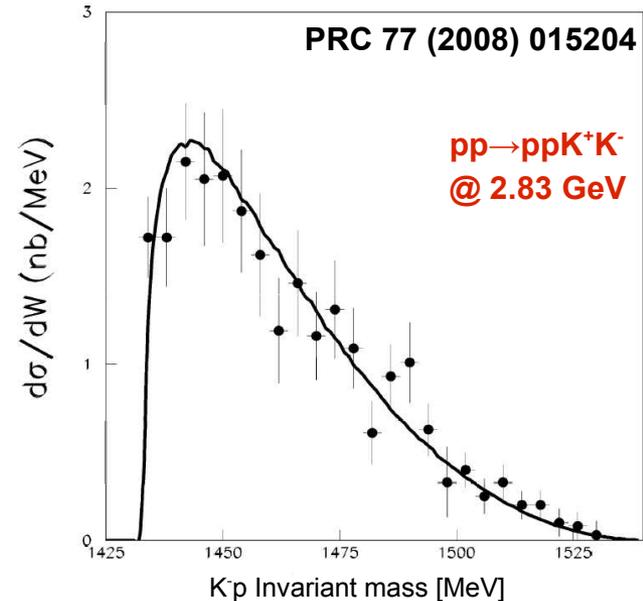


$pp \rightarrow pK^+\Lambda(1405, \text{width } 50\text{MeV}) \rightarrow K^-\bar{p}$



$\pi^0\Sigma^0/K^-\bar{p}$

C. Wilkin, pers. communication
arXiv:0812.0098



Simplest description of the $I = 0$ coupled-channel system is provided by a separable-potential model [e.g. PRC 76 (2007) 055204].

Suggests that $\Lambda(1405)$ is the main doorway state also for ppK^+K^- .
(similar conclusion: Xie & Wilkin PRC 82 (2010) 025210; $N^*(1535) \leftrightarrow \Lambda(1405)K$).

Should analyse $\pi^0\Sigma^0$ and $K^-\bar{p}$ production at the same time !

Model: elastic K^+K^- rescattering plus contribution of a $K^0\bar{K}^0$ pair production followed by charge exchange rescattering

K-matrix formalism, three basic simplifications:

PLB 668 (2008) 315

- (i) constant elements of K-matrix
- (ii) isospin invariance broken only by $K^0 - K^\pm$ mass difference
- (iii) distortions are taken only in first order (s-wave scattering, formula have transparent interpretations)

$$\mathcal{F} = \left| \frac{B_1/(B_1 + B_0)}{\left(1 - i\frac{1}{2}q[A_1 - A_0]\right) (1 - ikA_1)} + \frac{B_0/(B_1 + B_0)}{\left(1 - i\frac{1}{2}q[A_0 - A_1]\right) (1 - ikA_0)} \right|^2$$

“charge exchange scattering”

“elastic scattering”

$$K\bar{K} \text{ production amplitudes (}l=0,1\text{): } |B_1/B_0|^2 = 0.38_{-0.14}^{+0.24}$$