

Current status of spectroscopic study for the $\Lambda(1405)$ via the $d(K^-, n)$ reaction

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For the E31 Collaboration

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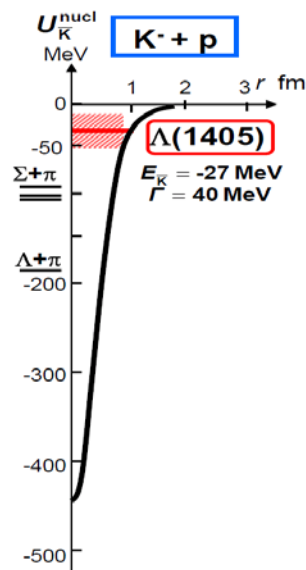
- Introduction
- Experimental setup
- Preliminary result
 - d(K⁻, n) "X" spectrum identified $\pi^- \Sigma^\pm$
 - Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$
- Summary and future plan

$\Lambda(1405)$

PDG

- $I(J^P)=0(\frac{1}{2}^-)$
- mass $1405.1^{+1.3}_{-1.0}$ MeV
- Width = 50.5 ± 2 MeV

$\bar{K}N$ bound state



Y.Akaishi & T.Yamazaki
PLB535, 70(2002).

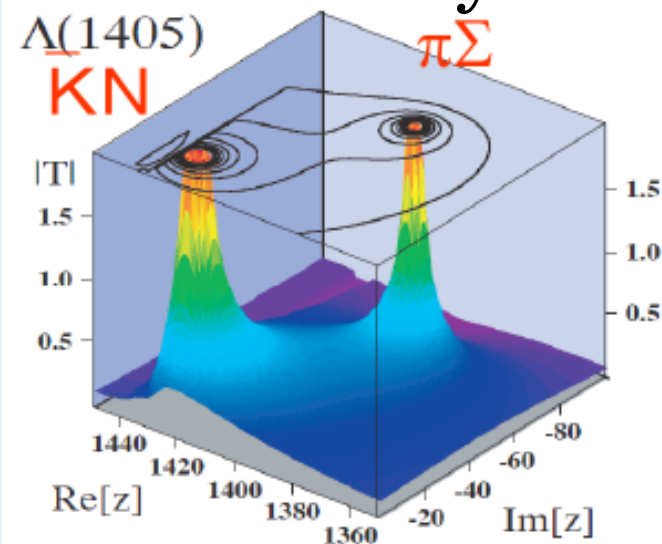
$\Lambda(1520)$

$\bar{K}N(1432)$

$\Sigma(1385)$ $\Lambda(1405)$ $\rightarrow 27\text{MeV}$

$\Sigma(1192)$ $\Lambda(1116)$

Two-poles of
meson-baryon



ChU model, T. Hyodo

Recent experimental study of $\Lambda(1405)$

Line shapes of $\Lambda(1405)$ have been reported.

pp collision
HADES collaboration:
PRC87, 025201

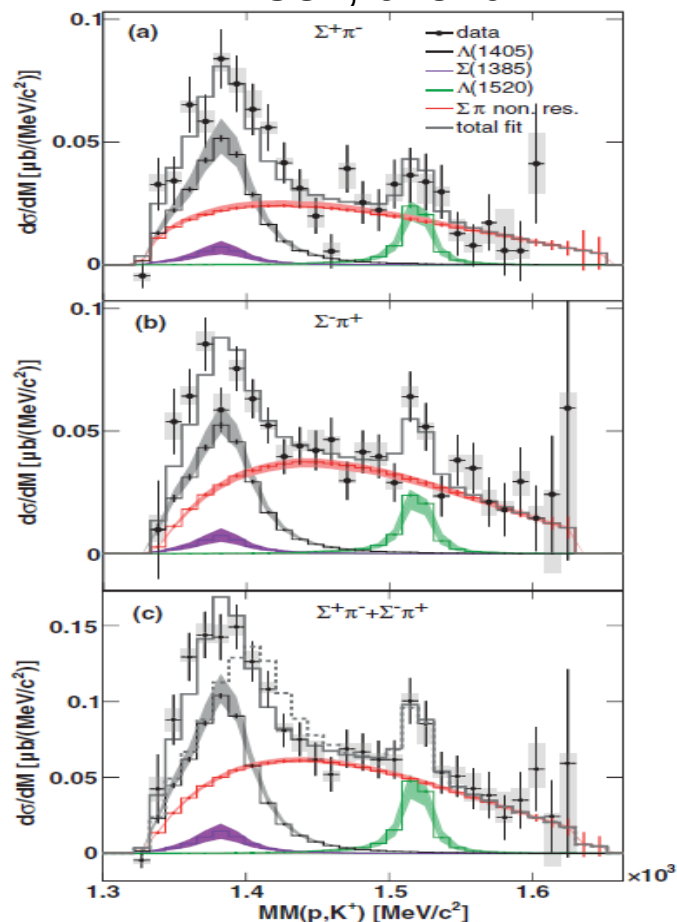
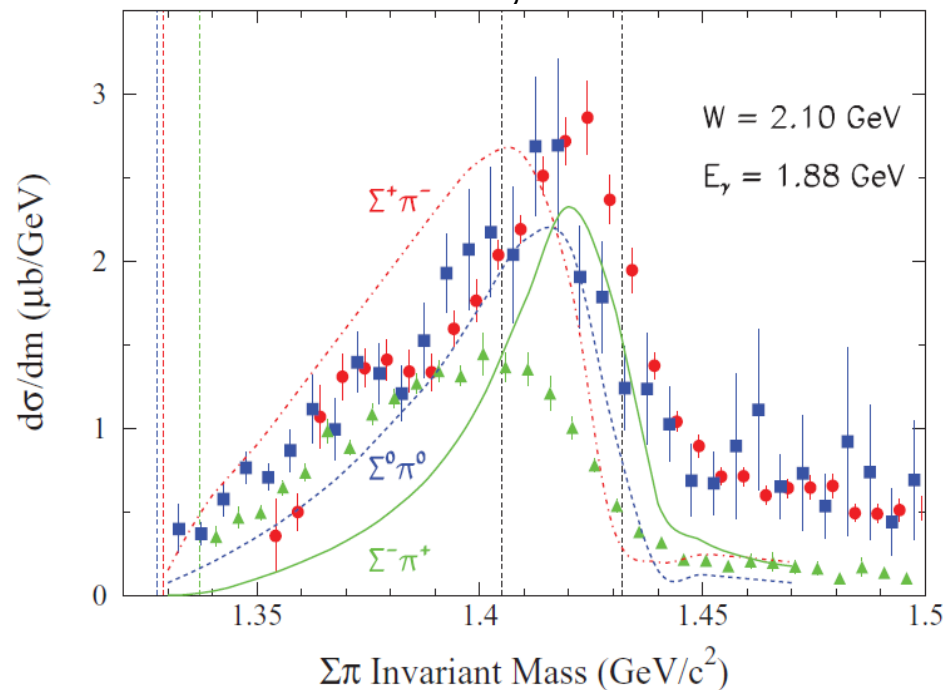


Photo-production

CLAS collaboration:
PRC87, 035206

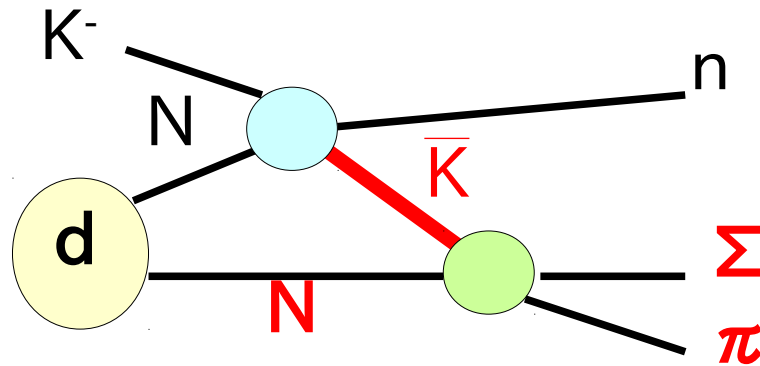


in-flight $d(K^-, n)$ reaction data is only $\pi^+\Sigma^-$ mode.

O. Braun et al., NPB129, 1(1977)

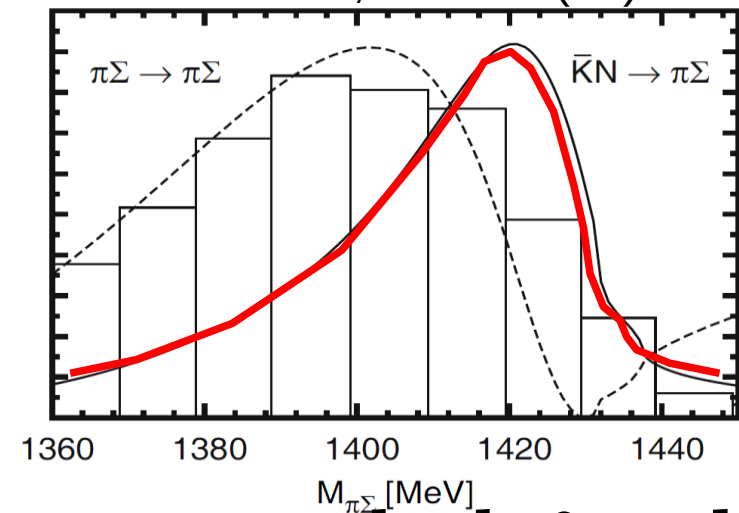
$d(K^-, n)$ reaction

- The $d(K^-, n)$ reaction measured at $\theta_n=0$ is expected to enhance an **S-wave** $\bar{K}N \rightarrow \pi \Sigma$ scattering even **below the $\bar{K}N$ threshold**.



Chiral Unitary Model

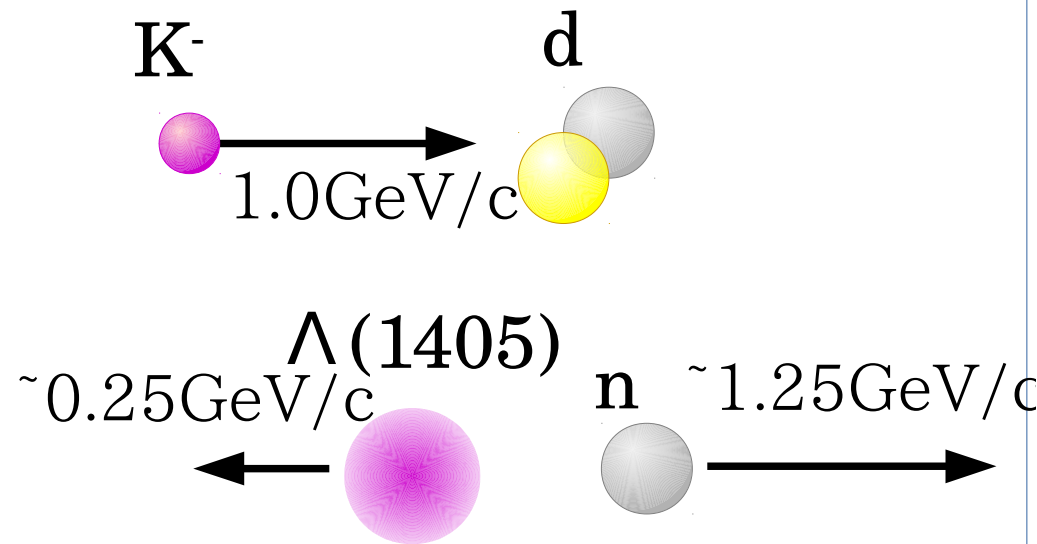
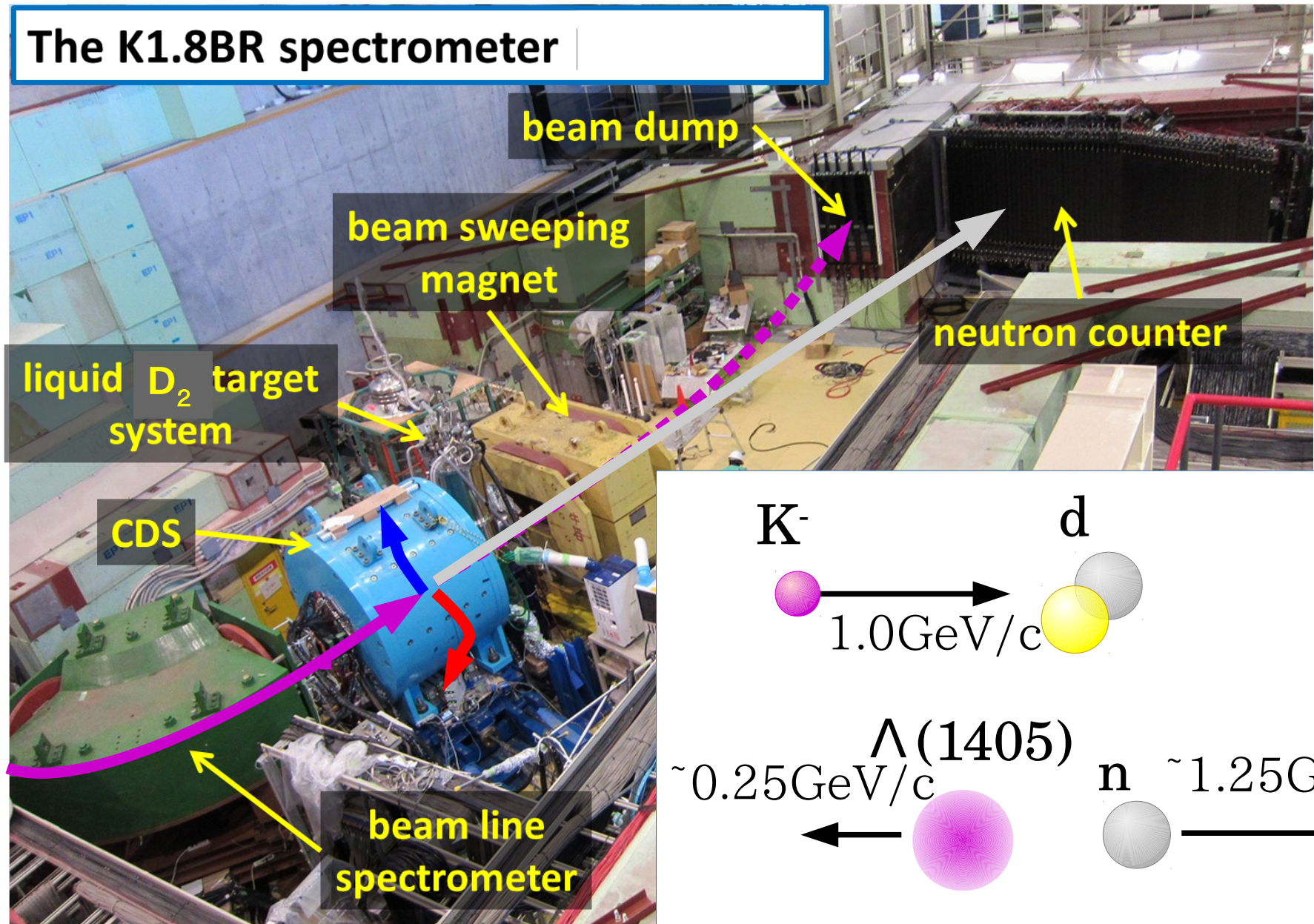
D. Jido et al., NPA725(03)181



- Identify all the final states to decompose the $l=0$ and $l=1$ amplitudes.

$\Lambda(1405)$	$l=0$	S-wave	$\pi^\pm \Sigma^\mp, \pi^0 \Sigma^0$
$\Sigma(1385)$	$l=1$	P-wave	$\pi^\pm \Sigma^\mp, \pi^0 \Lambda$
Non-resonant	$l=0,1$	S,P,D...	

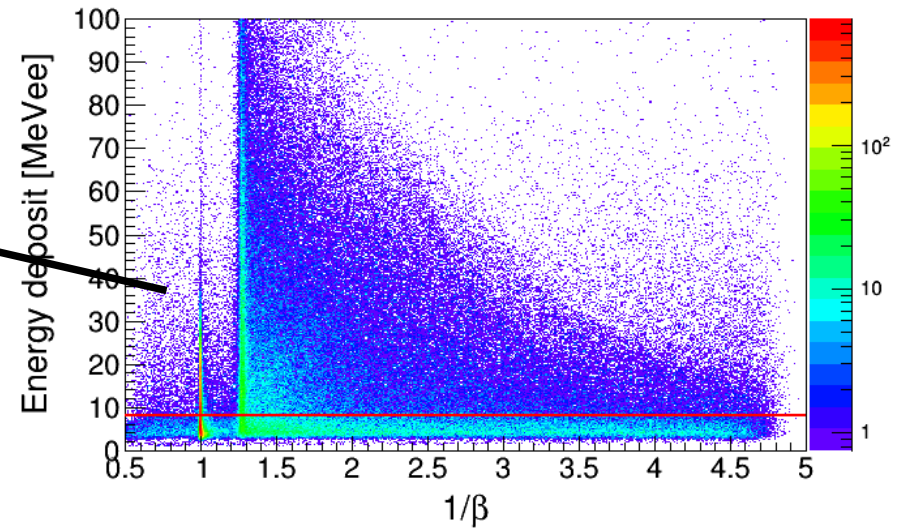
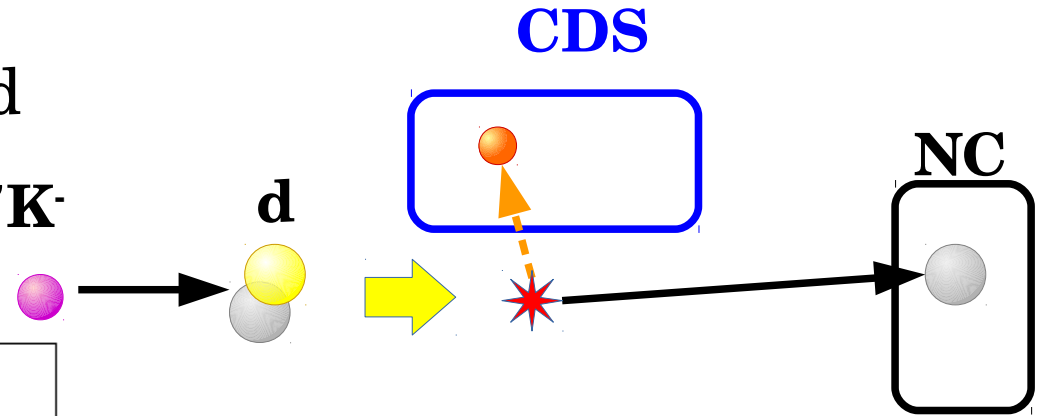
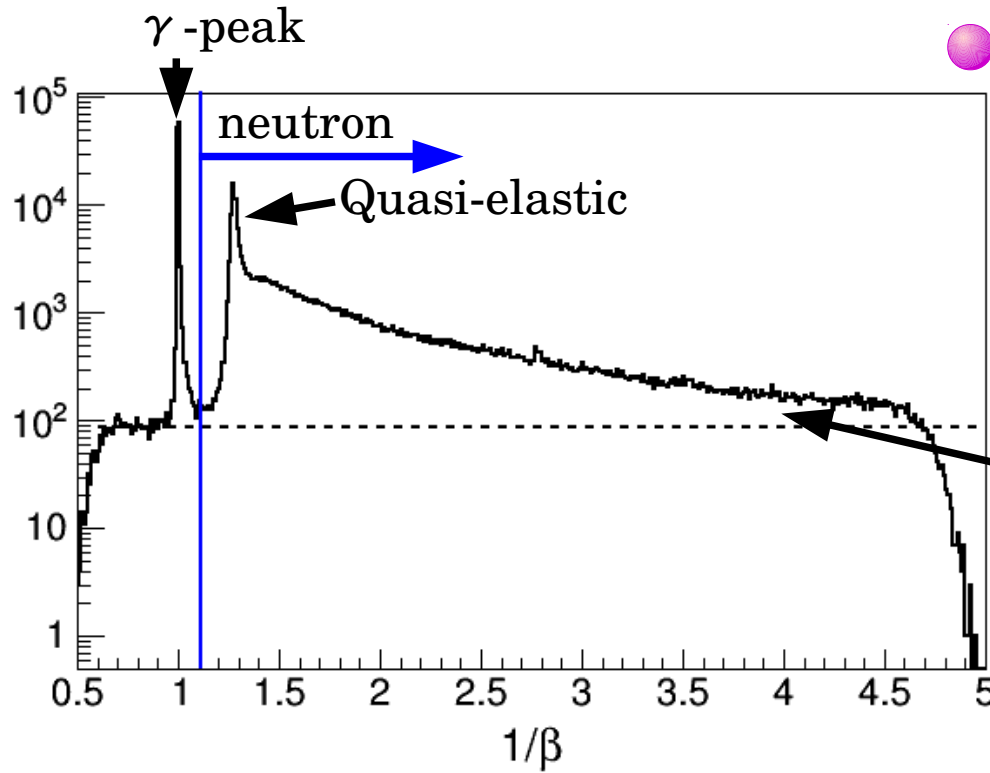
The K1.8BR spectrometer



Calibration for E15	Exp Target	Primary-beam intensity	Secondary Kaon intensity	Duration	Kaon on target (w/ tgt selection)
Apr-May, 2015 (RUN#62)	D ₂	26.5kW (33Tppp, 6s)	130k/spill	53h	2.8×10^9

Neutron $1/\beta$ spectrum

1 charged track in CDS is required to determine reaction vertex point $\mathbf{K}$.



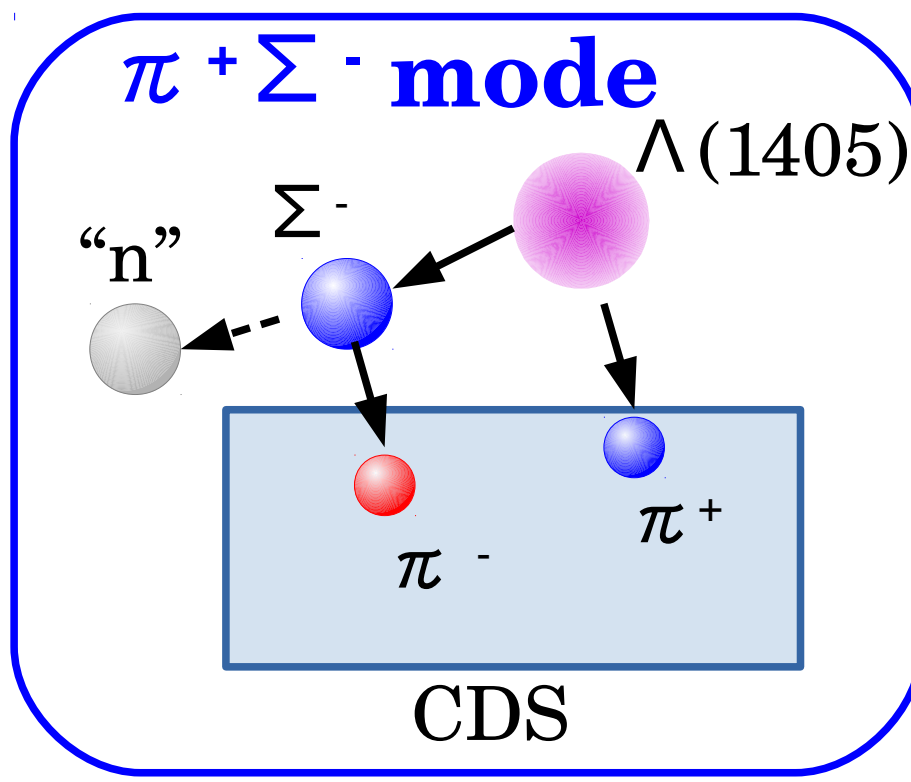
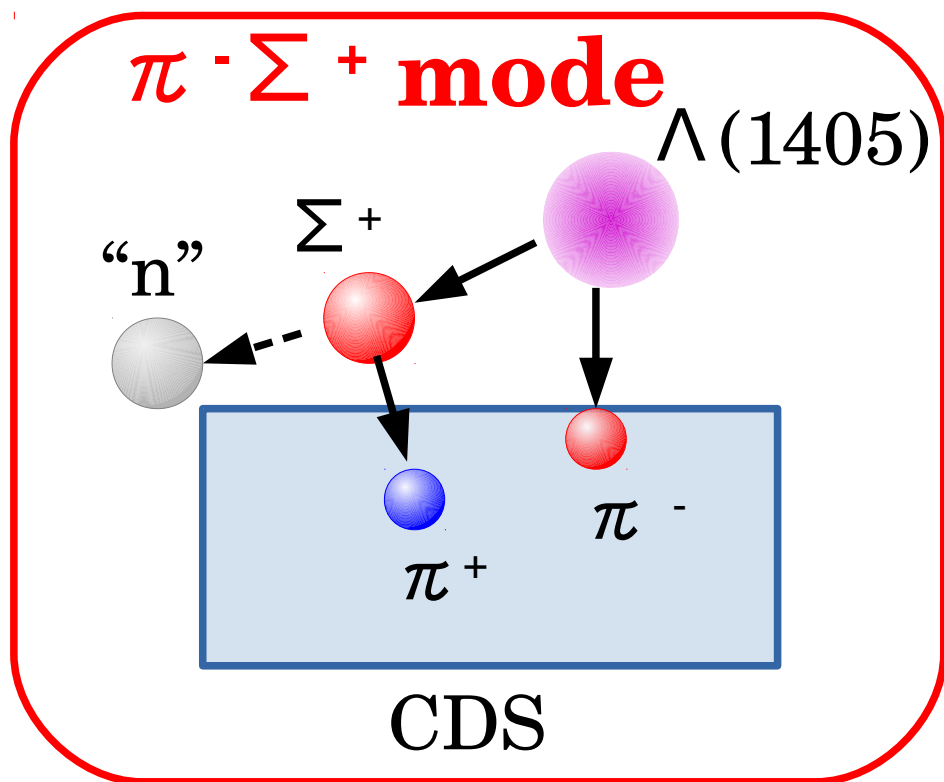
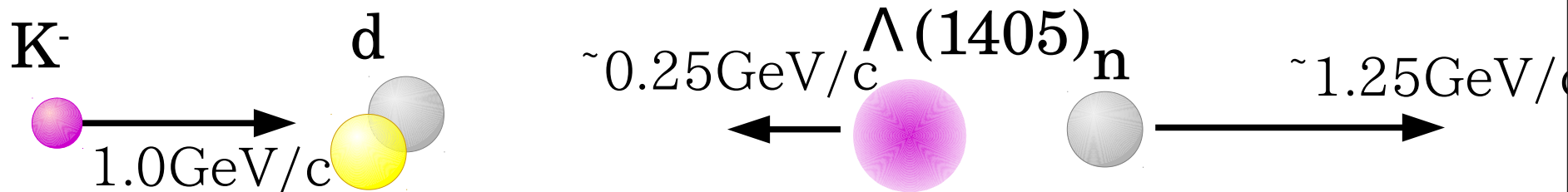
γ -peak and quasi-elastic peak are clearly seen.

TOF resolution is evaluated at 160ps by γ -peak.

Contribution of TOF resolution to missing mass is about $8\text{MeV}/c^2$ at $\overline{\text{KN}}$ threshold.

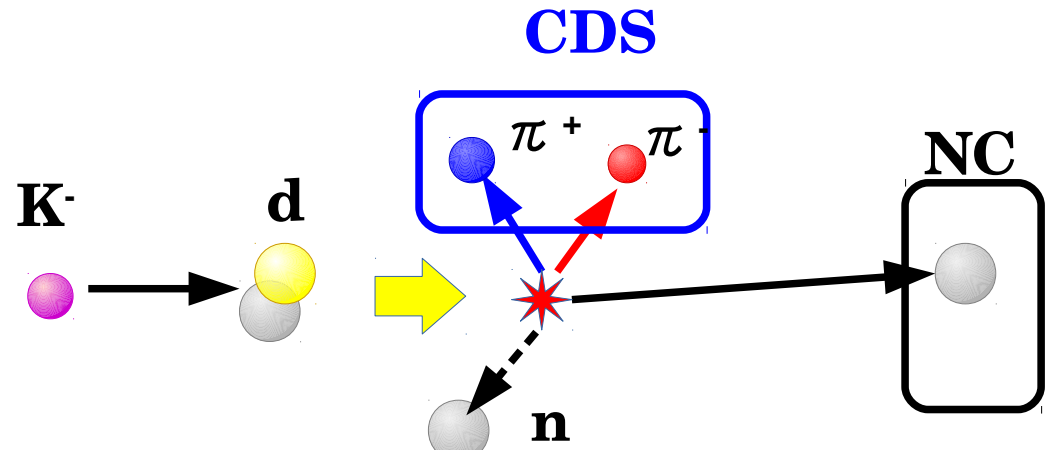
Experimental Setup

NC

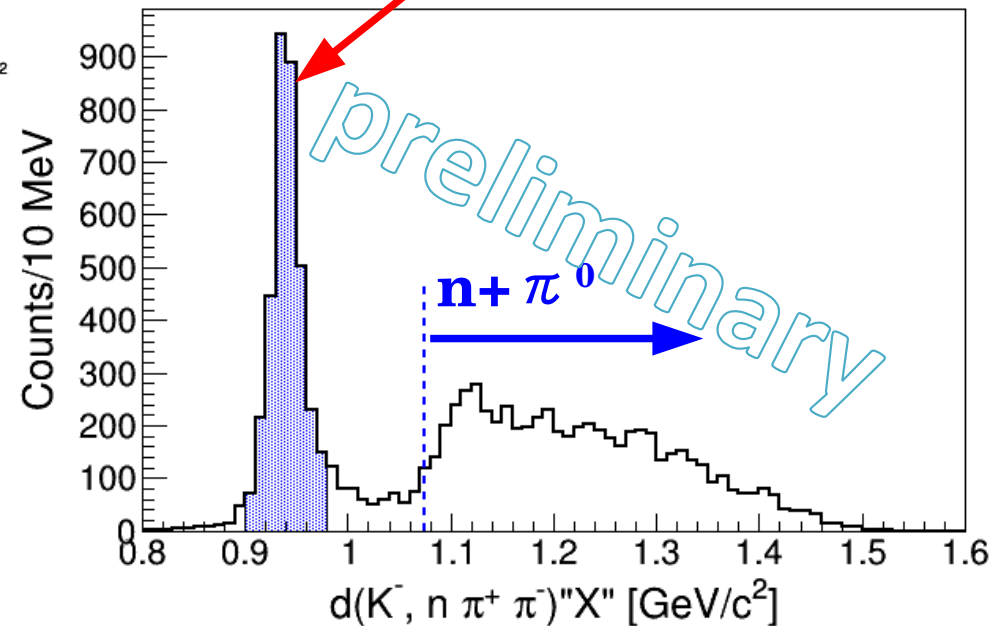
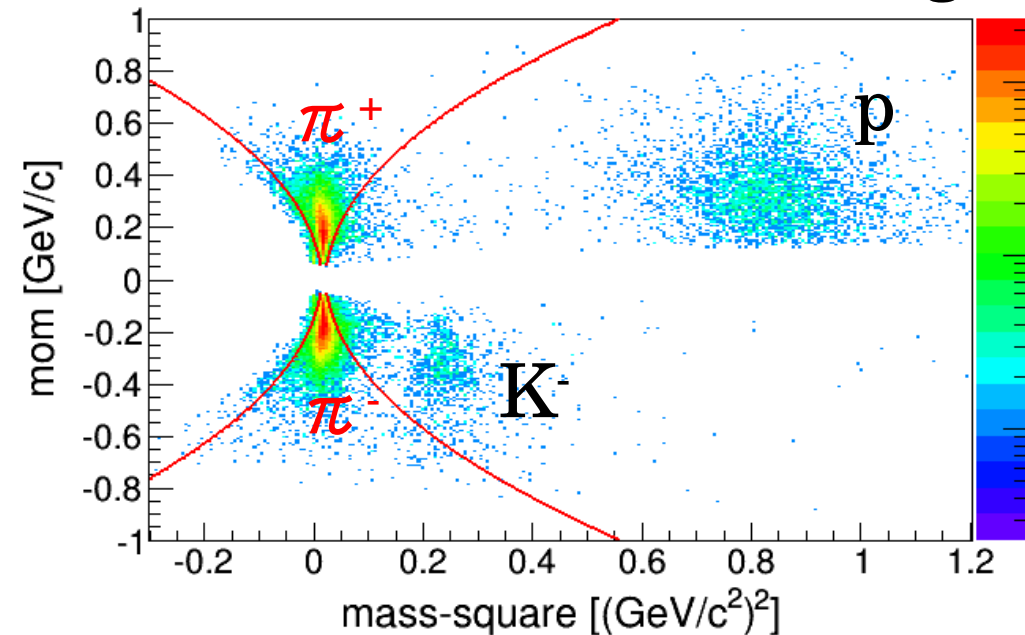


We will identify $K^- d \rightarrow n \pi^+ \pi^- n$ events.

$K^- d \rightarrow n \pi^+ \pi^-$ “n” event identification



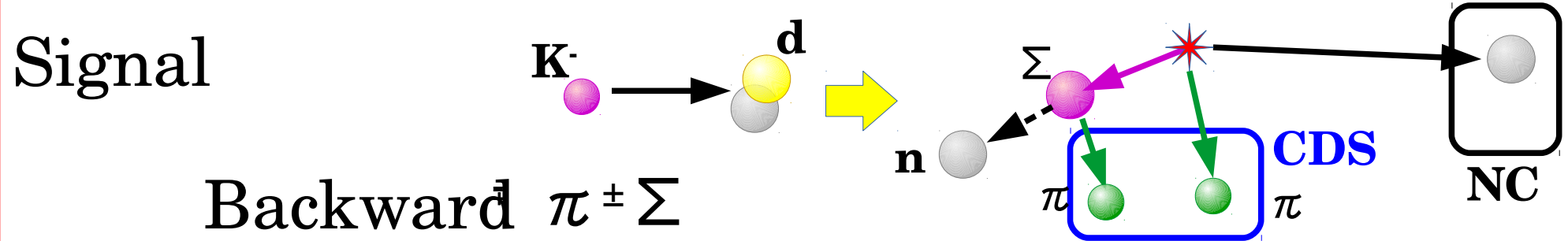
Forward n & CDS $\pm$ charge



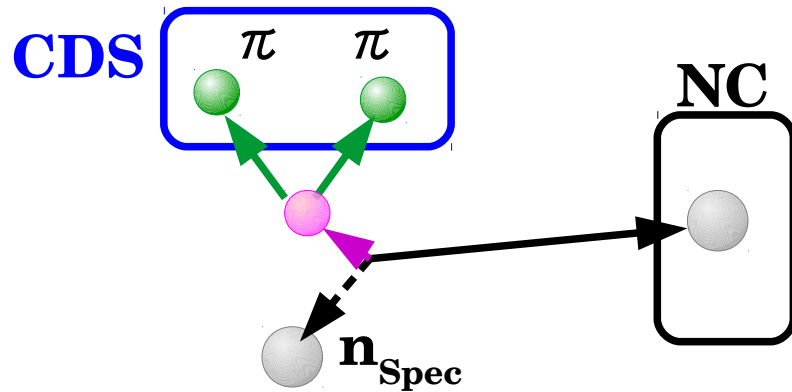
π^+ and π^- are clearly seen, we select 2.5σ region.

A missing “n” is clearly identified.

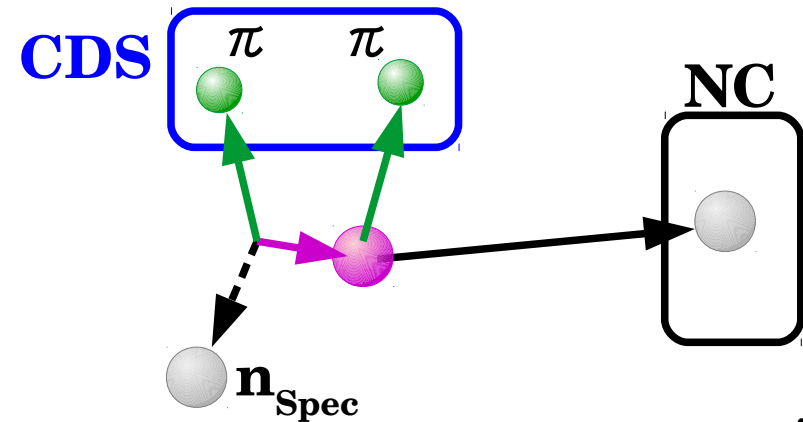
$n \pi^+ \pi^-$ “n” final state consists of ...



K⁰ production

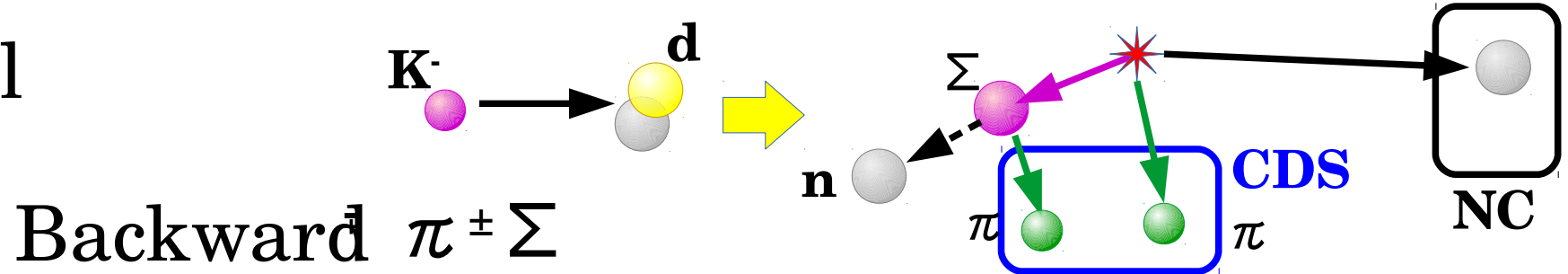


Forward Σ production

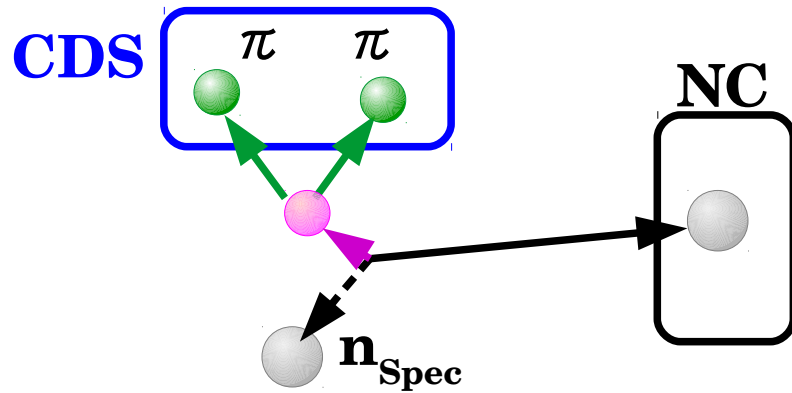


$n \pi^+ \pi^-$ “n” final state consists of ...

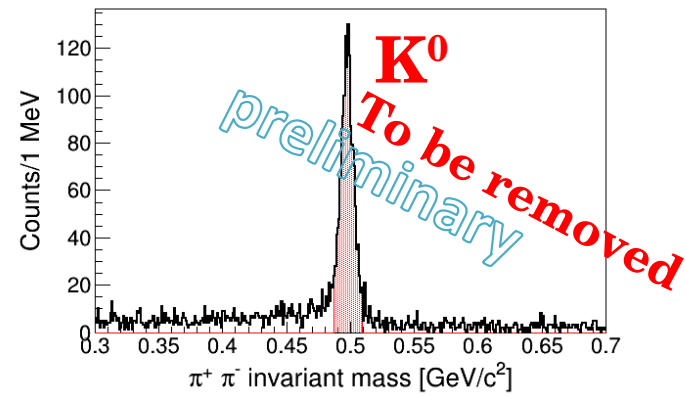
Signal



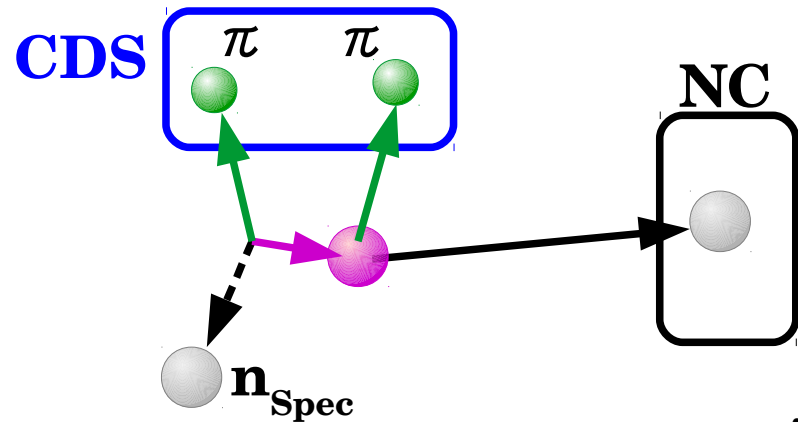
K^0 production



CDS $\pi^+ \pi^-$ IM

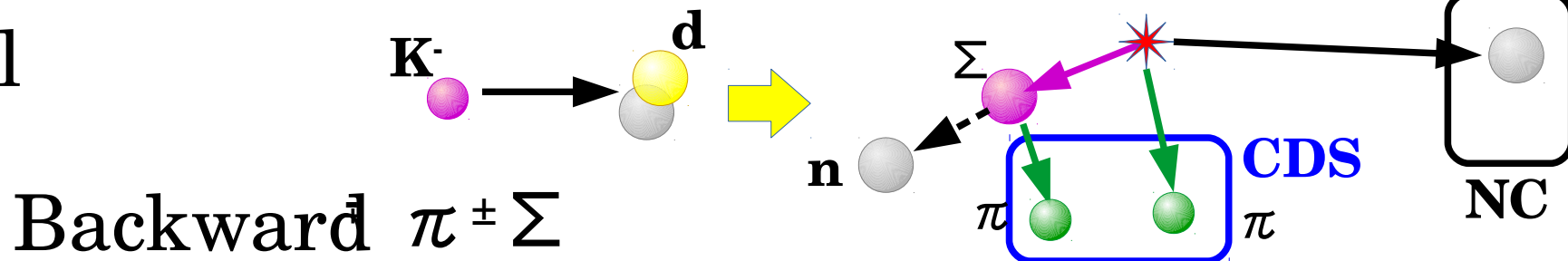


Forward Σ production

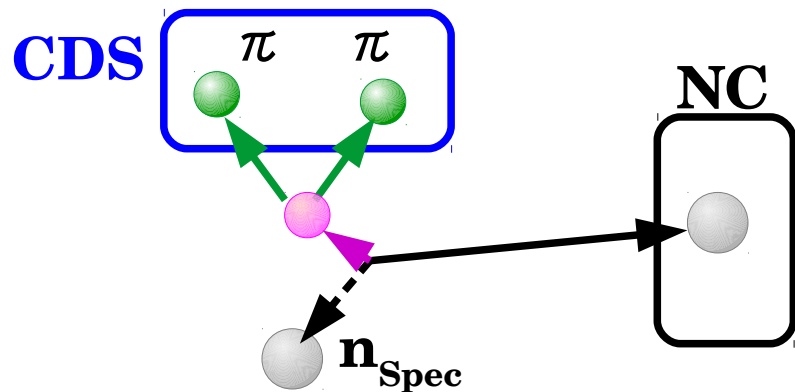


$n \pi^+ \pi^-$ “n” final state consists of ...

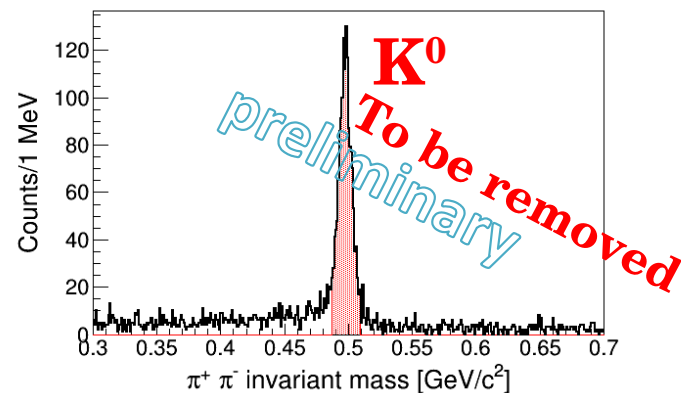
Signal



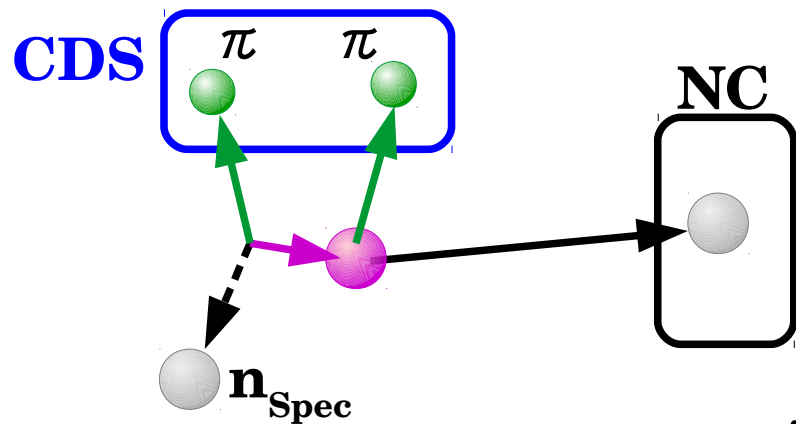
K^0 production



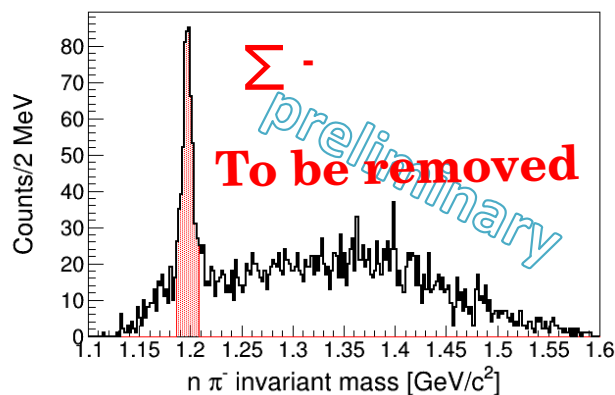
CDS $\pi^+ \pi^-$ IM



Forward Σ production



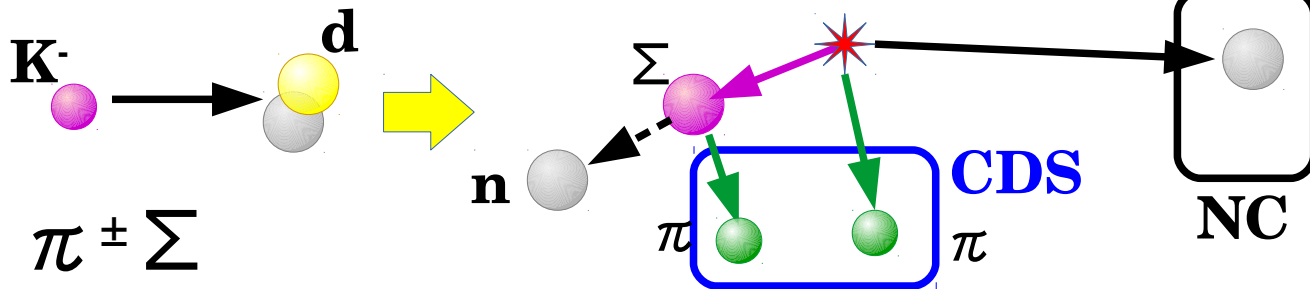
$n_{\text{Forward}} \pi_{\text{CDS}}^-$



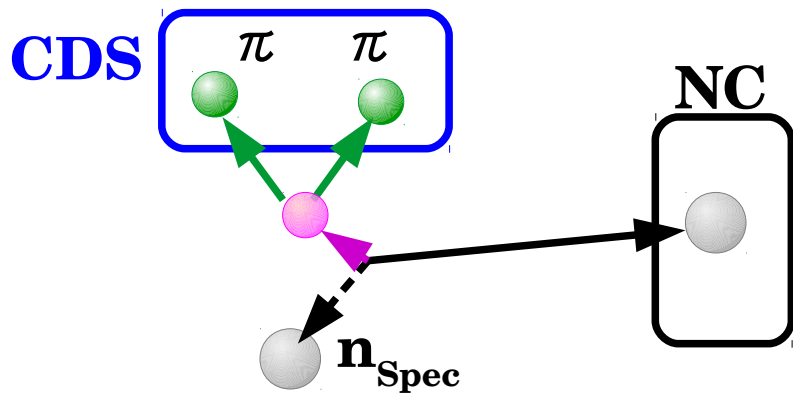
$n \pi^+ \pi^-$ “n” final state consists of ...

Signal

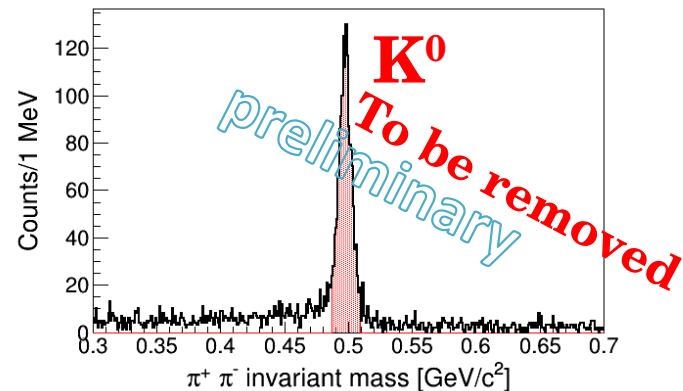
Backward $\pi^\pm \Sigma$



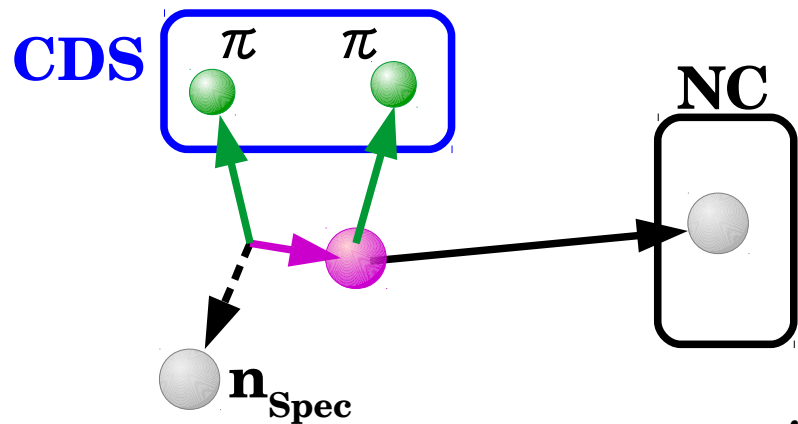
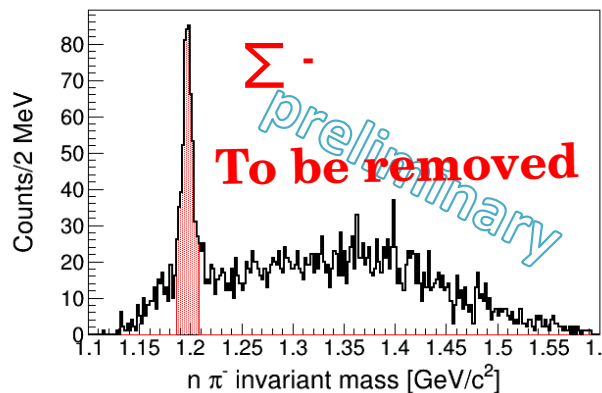
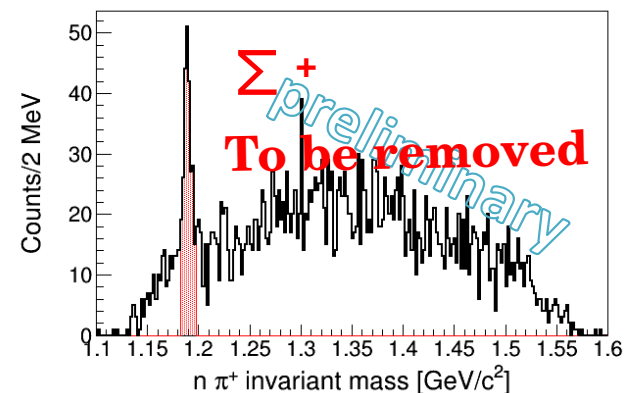
K⁰ production



CDS $\pi^+ \pi^-$ IM

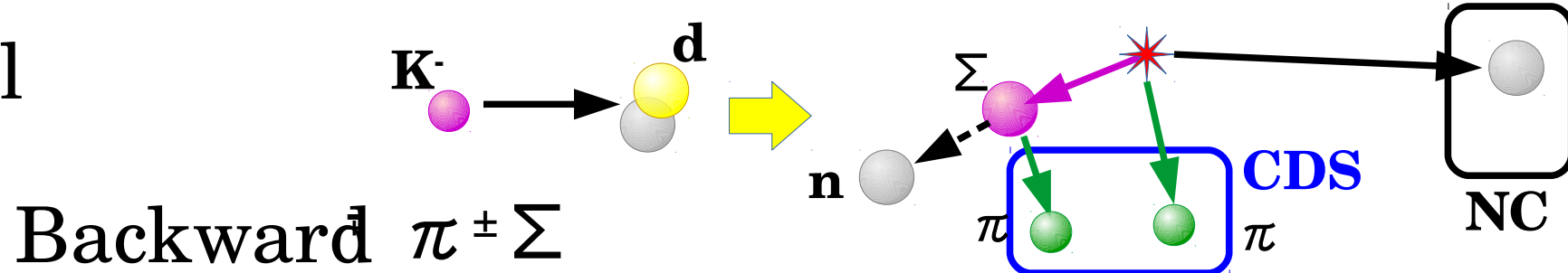


Forward Σ production

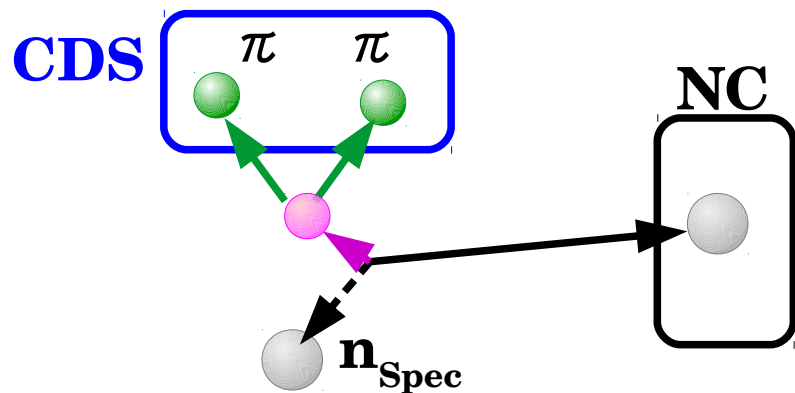

$$n_{\text{Forward } \pi^-_{\text{CDS}}}$$

$$n_{\text{Forward}} \pi_{\text{CDS}}^+$$


$n \pi^+ \pi^-$ “n” final state consists of ...

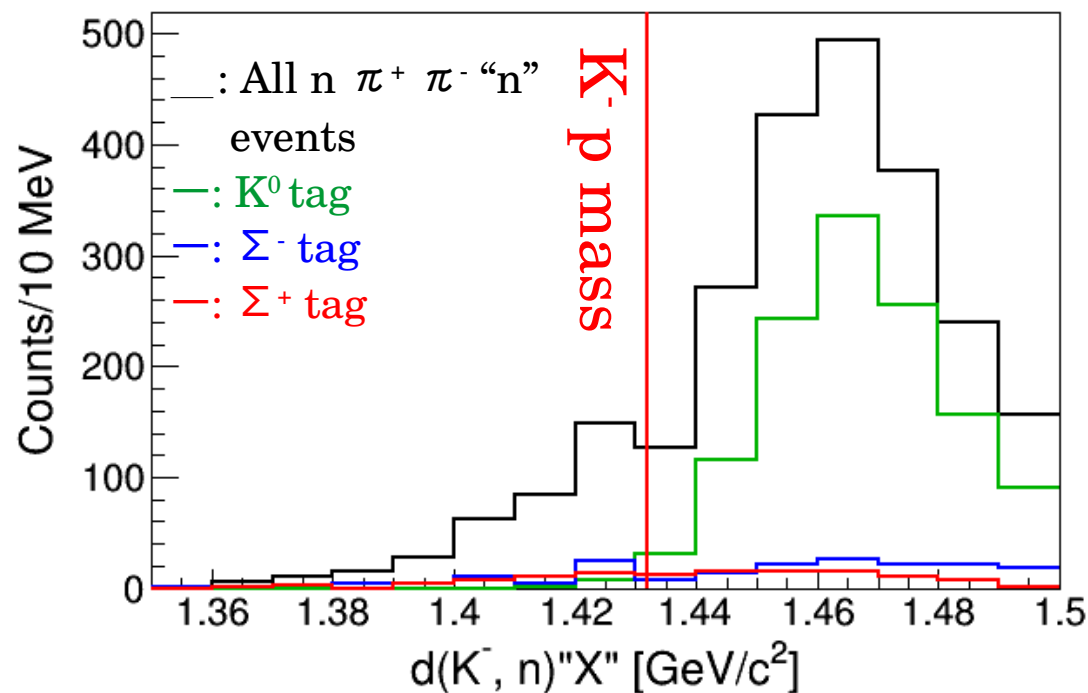
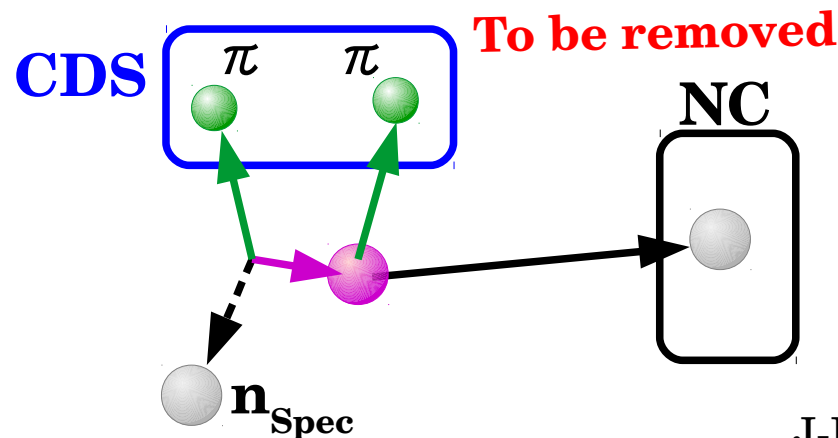
Signal



K^0 production **To be removed**



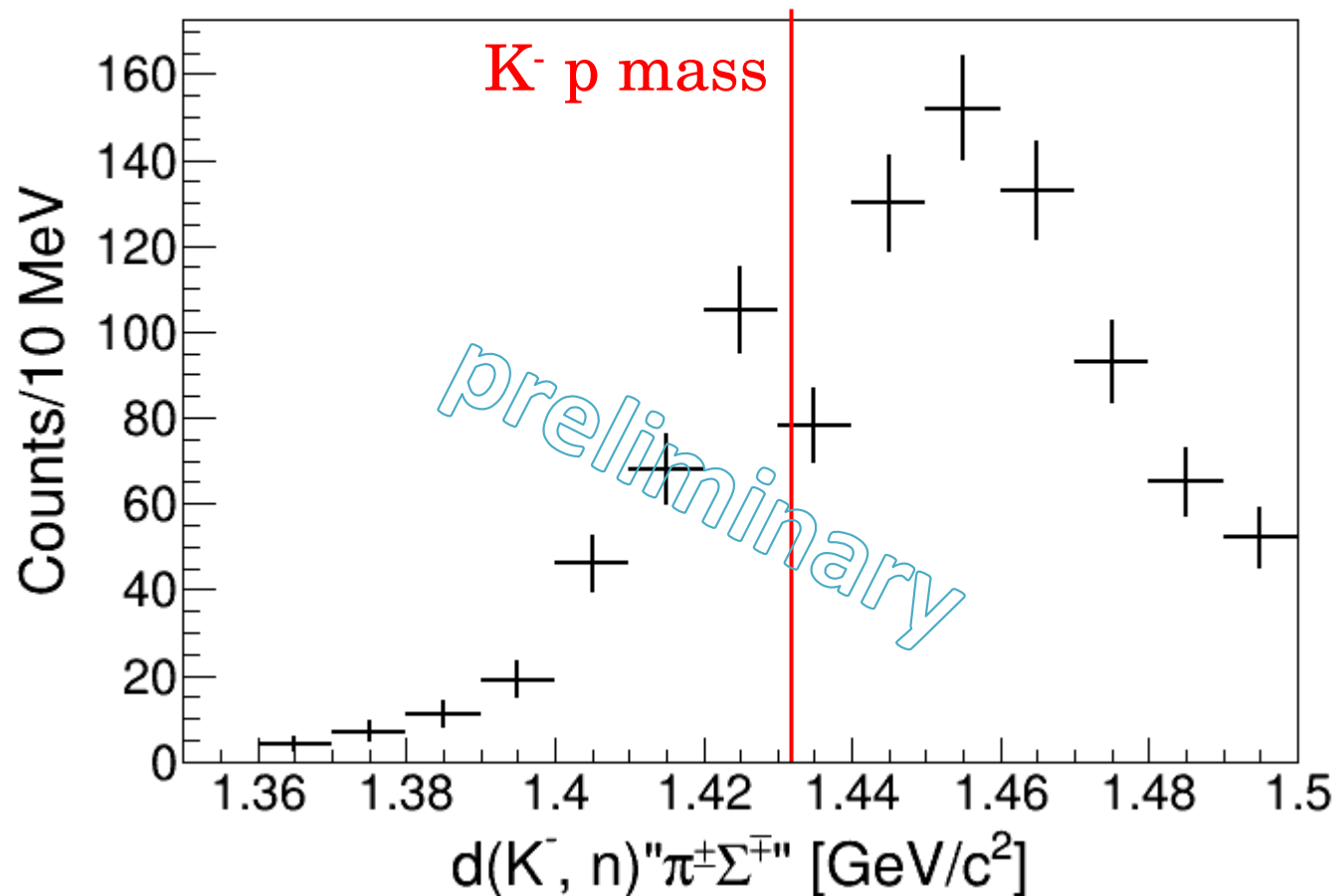
Forward Σ production



K^0 and Σ_{Forward} **should be removed**

$d(K^-, n)$ “X” spectrum

(K^0 and Σ_{Forward} production events are removed)



This contains both $\pi^\pm \Sigma^\mp$ modes.
→ to be decomposed

How to decompose $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

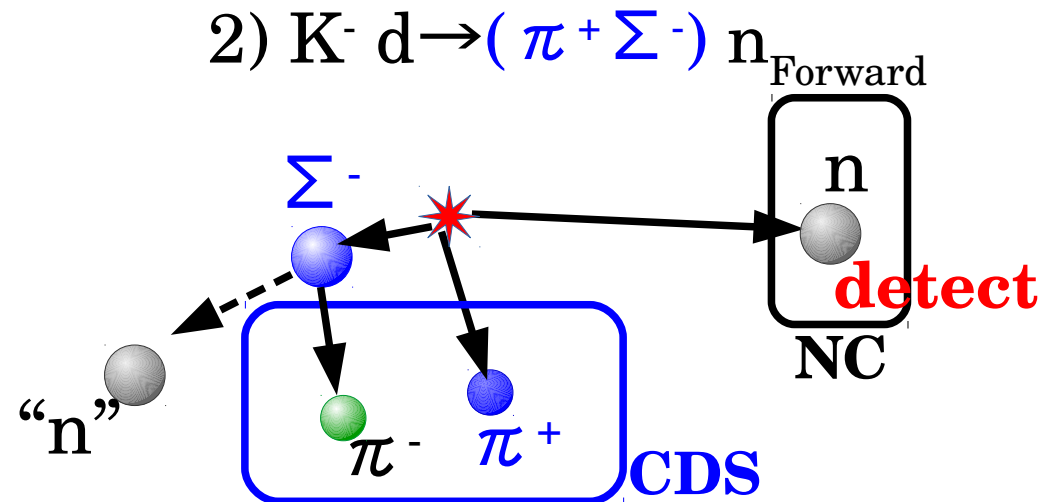
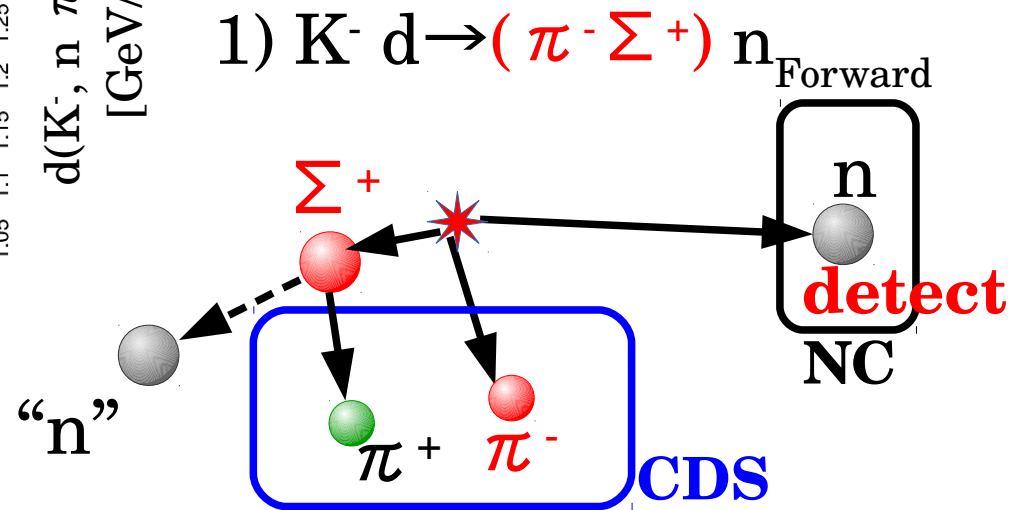
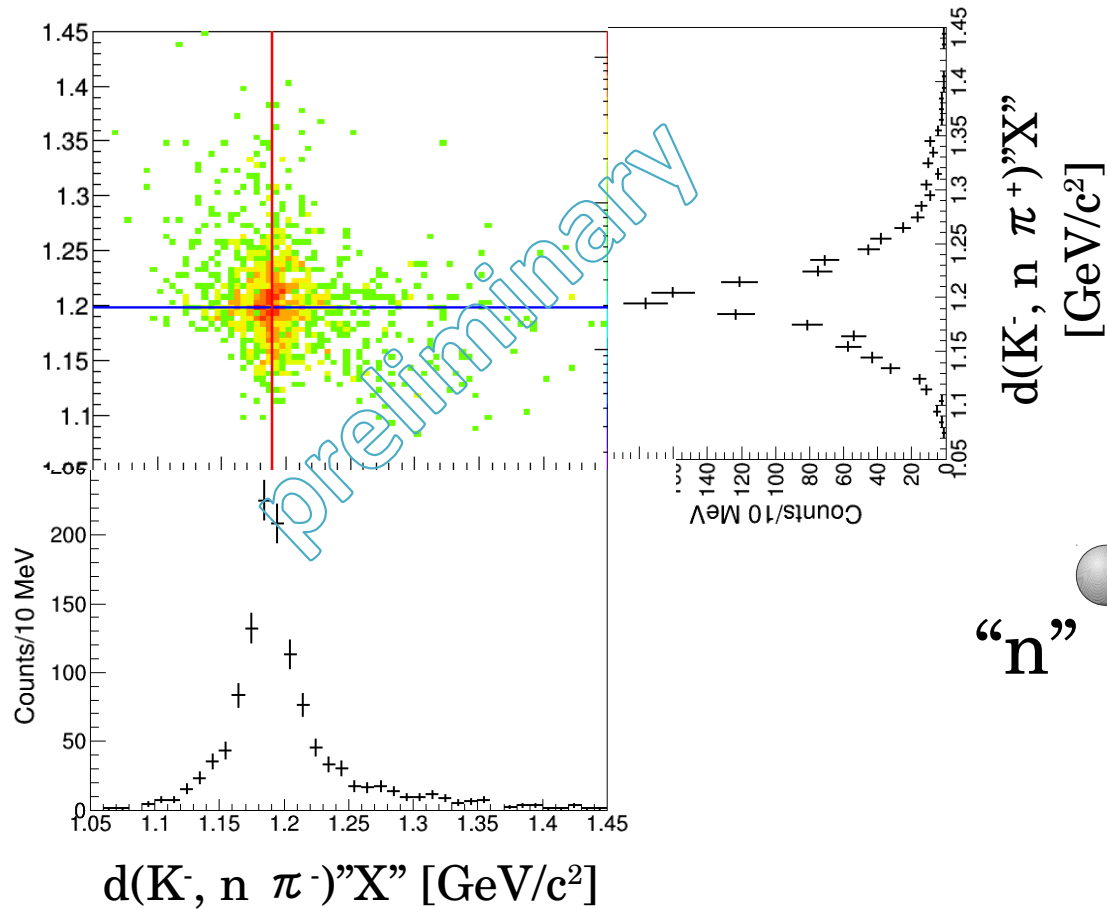
Step.1 We made two missing mass spectra of $d(K^-, n \pi^-)X$ and $d(K^-, n \pi^+)X$ from selected $K^- \rightarrow n \pi^+ \pi^-$ “n” events K^0 and Σ_{Forward} removed.

- In $d(K^-, n \pi^-)X$
 - $\pi^- \Sigma^+$ mode makes a peak, $\pi^+ \Sigma^-$ mode does not.
- In $d(K^-, n \pi^+)X$, vice versa.

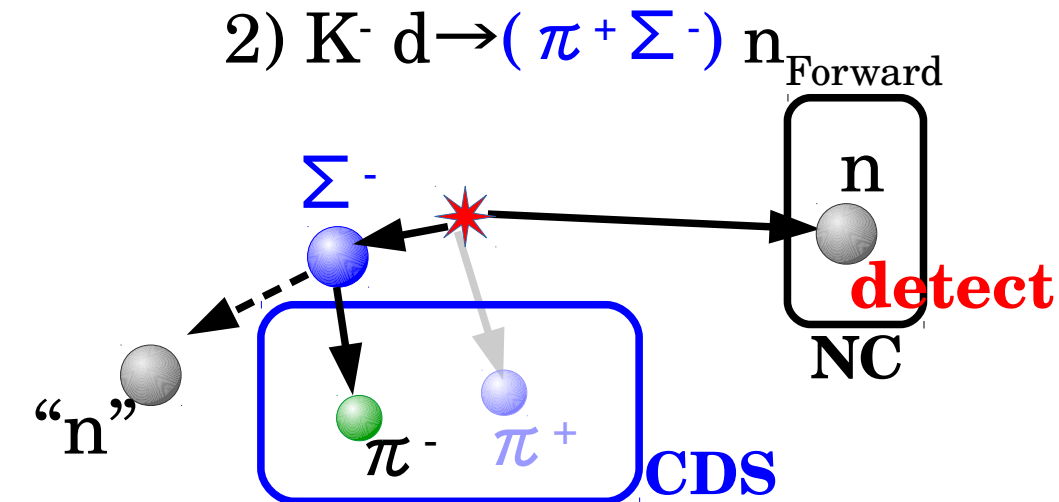
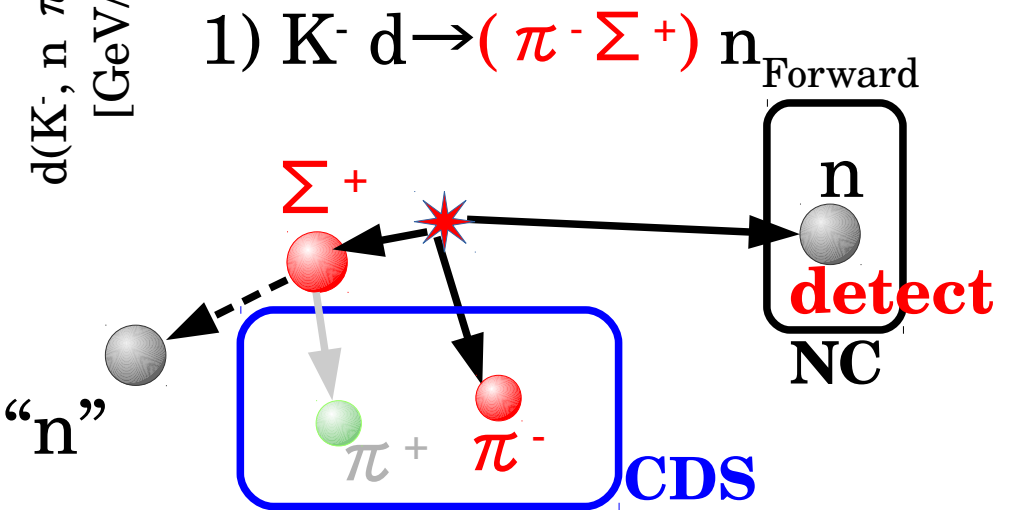
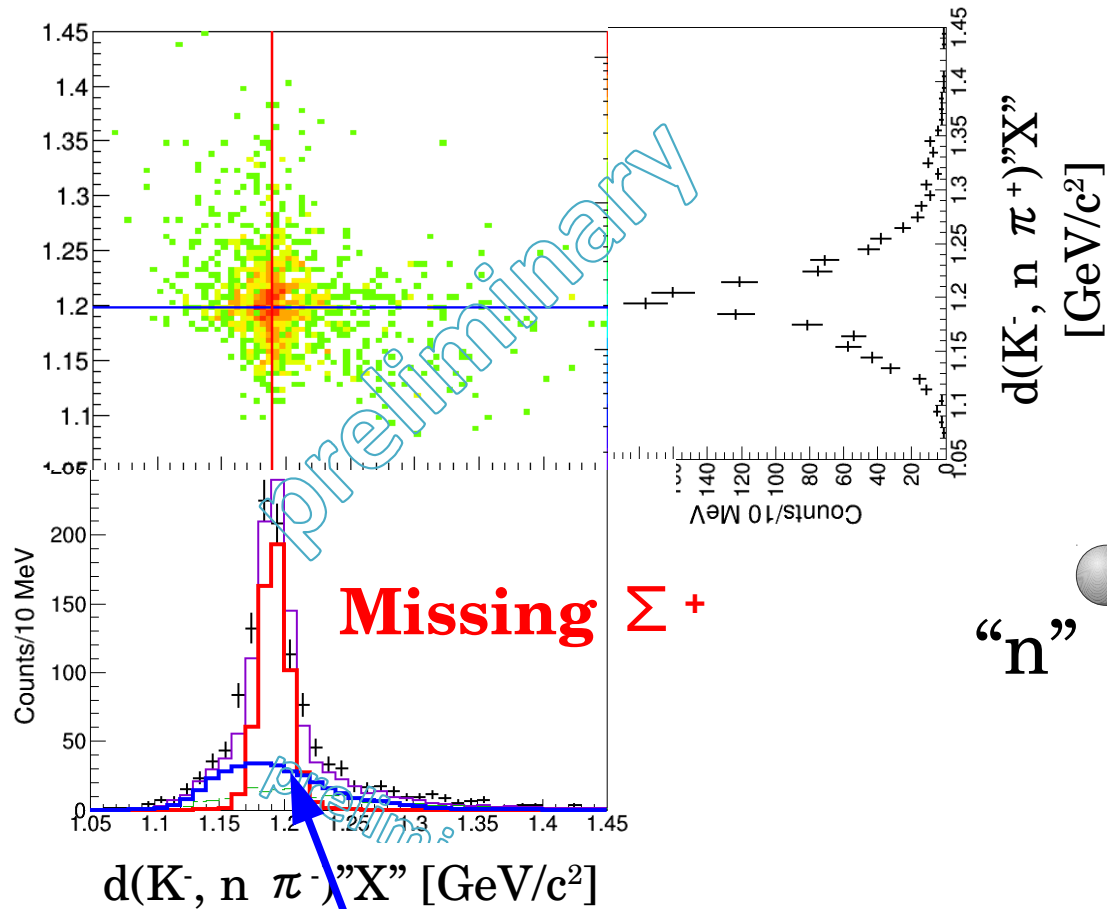
Step. 2 We evaluate number of each mode by fitting the both $d(K^-, n \pi^\pm)X$ spectra.

- Spectrum shapes for each decay modes estimated by Monte Carlo simulation are employed for the fitting.
- A fitting constraint was made so that the number of each mode is same in both fitting.

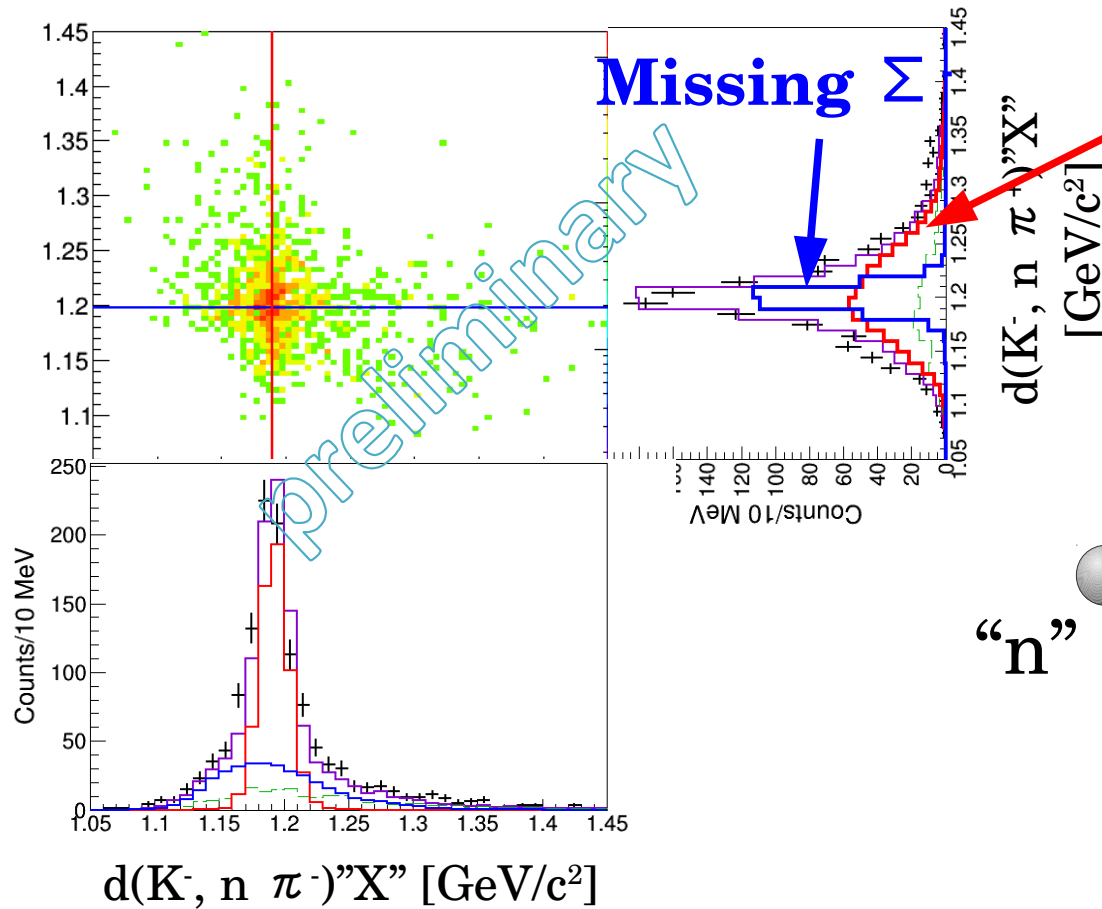
How to decompose $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$



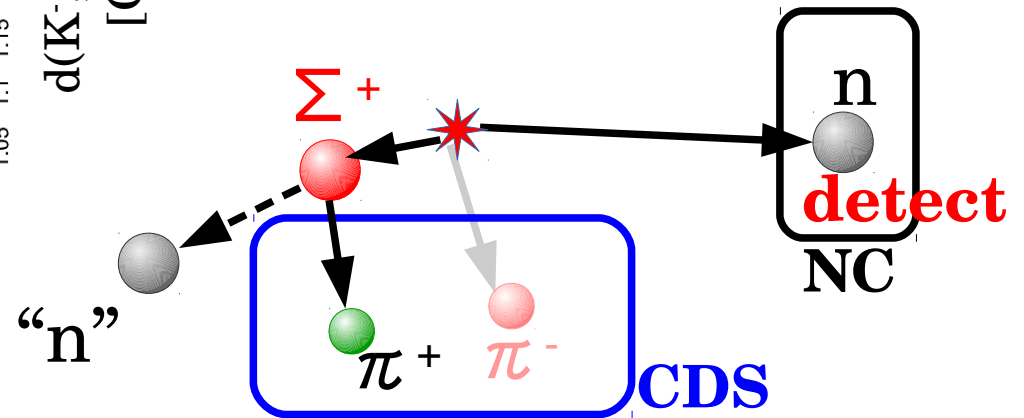
How to decompose $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$



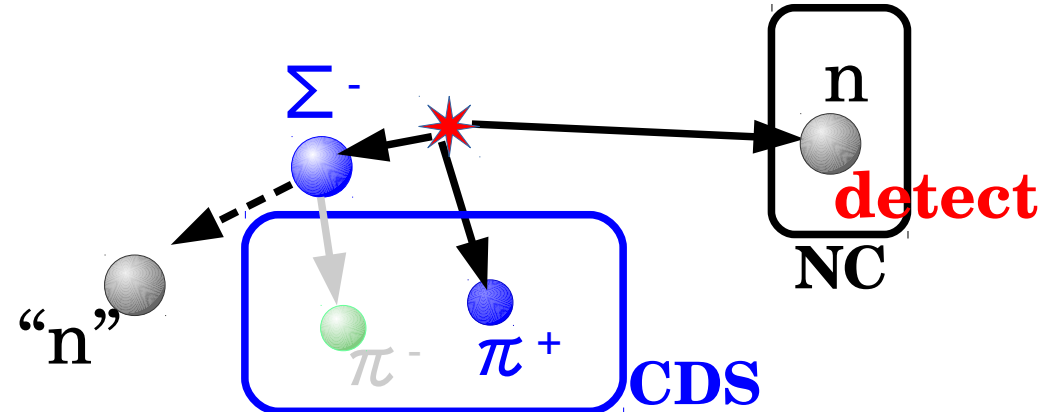
How to decompose $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$



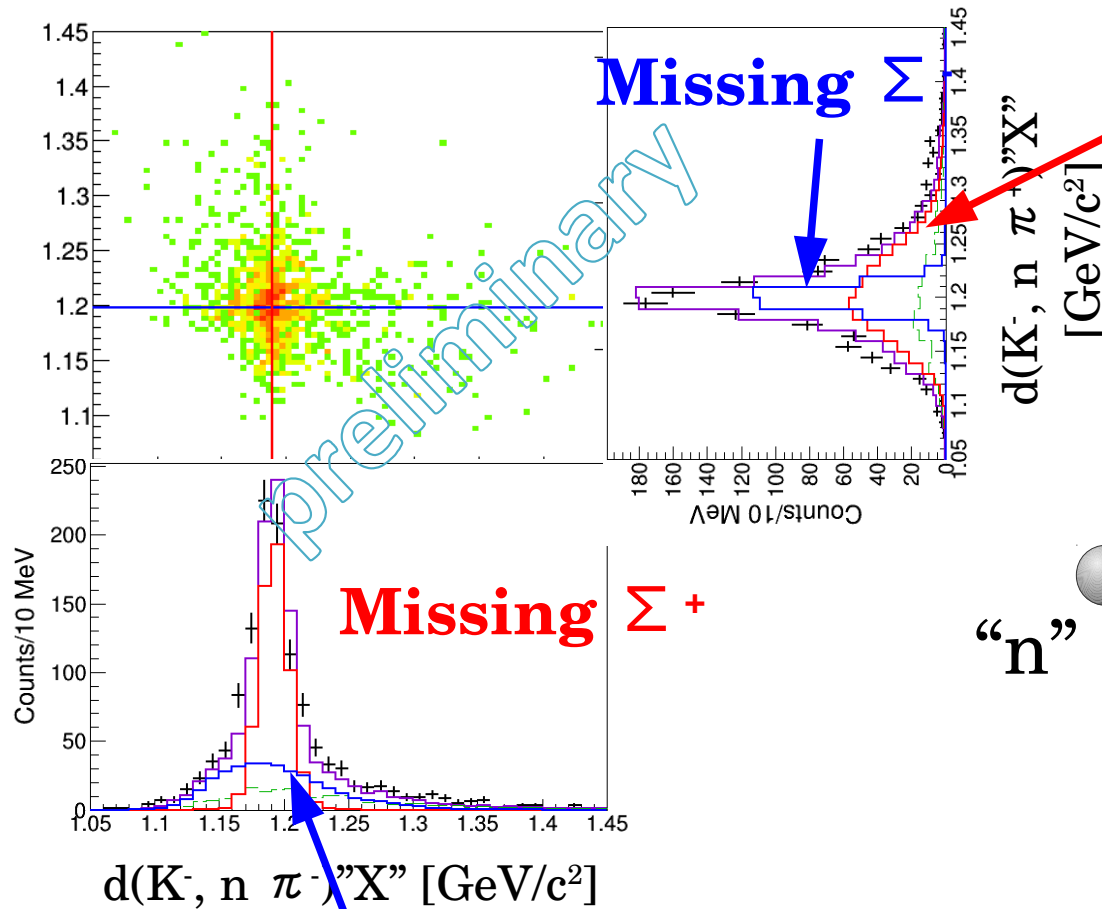
1) $K^- d \rightarrow (\pi^- \Sigma^+) n_{\text{Forward}}$



2) $K^- d \rightarrow (\pi^+ \Sigma^-) n_{\text{Forward}}$

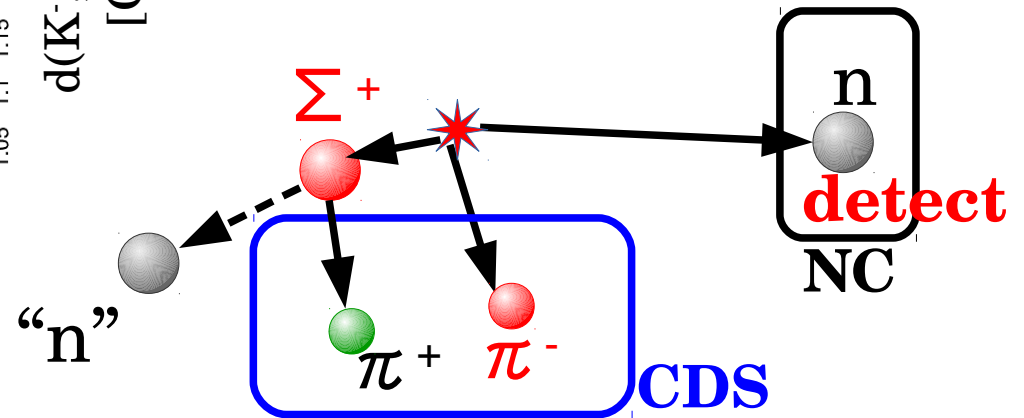


How to decompose $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

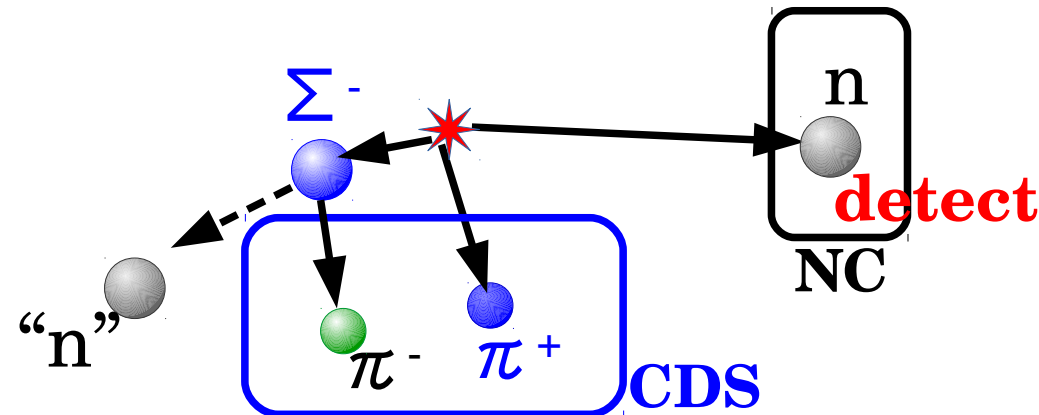


Broad distribution of πn

1) $K^- d \rightarrow (\pi^- \Sigma^+) n_{\text{Forward}}$



2) $K^- d \rightarrow (\pi^+ \Sigma^-) n_{\text{Forward}}$

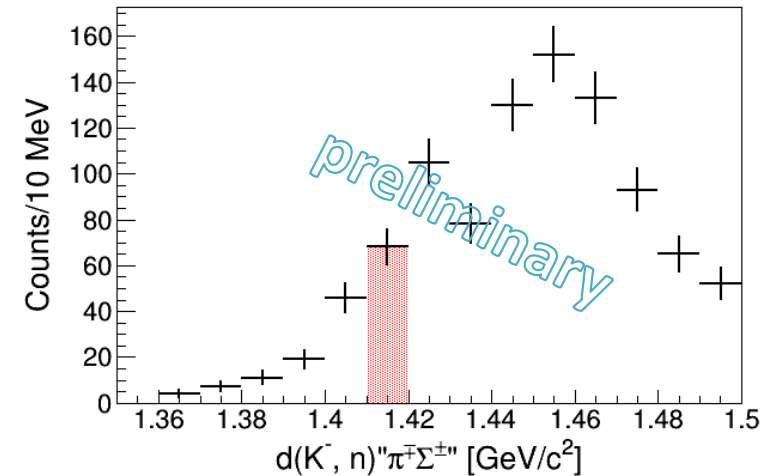


Broad distribution of πn

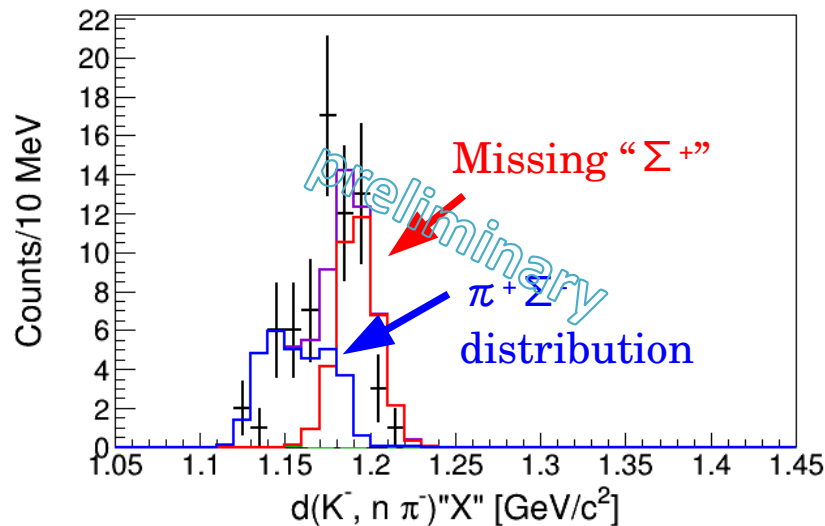
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n) "X"$

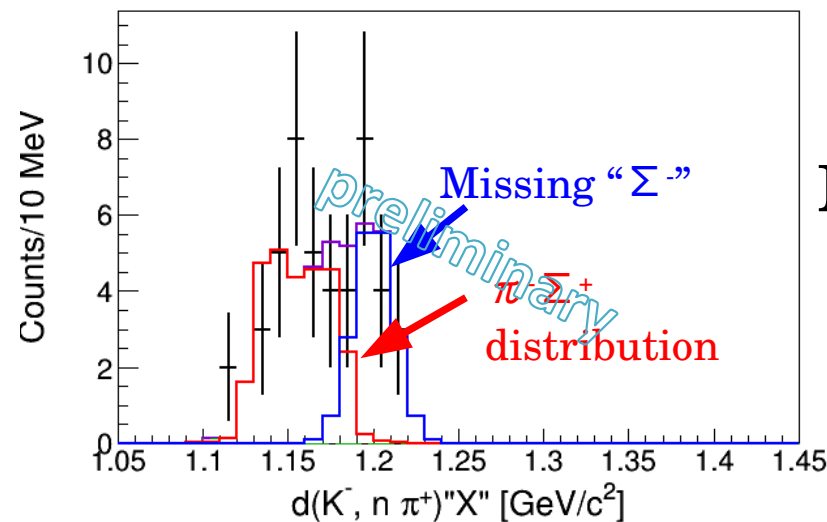
$d(K^-, n)$



$d(K^-, n) "X"$ vs $d(K^-, n \pi^-) "X"$



$d(K^-, n) "X"$ vs $d(K^-, n \pi^+) "X"$

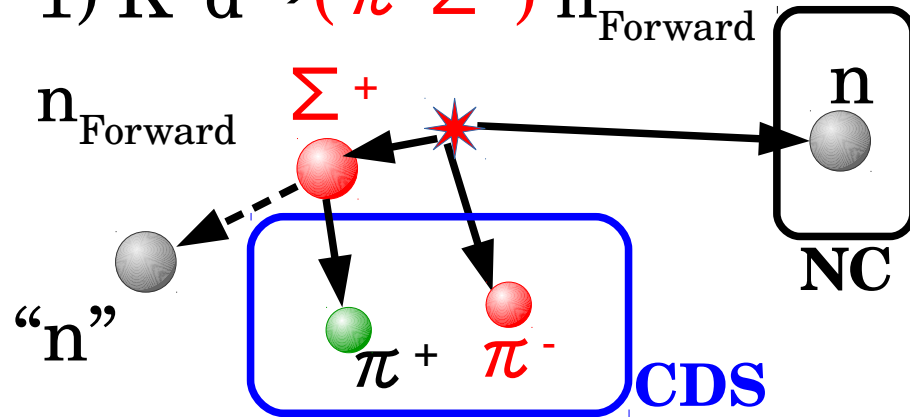


$\chi^2 : 25.5$
NDF : 19
 χ^2/NDF
 ~ 1.34

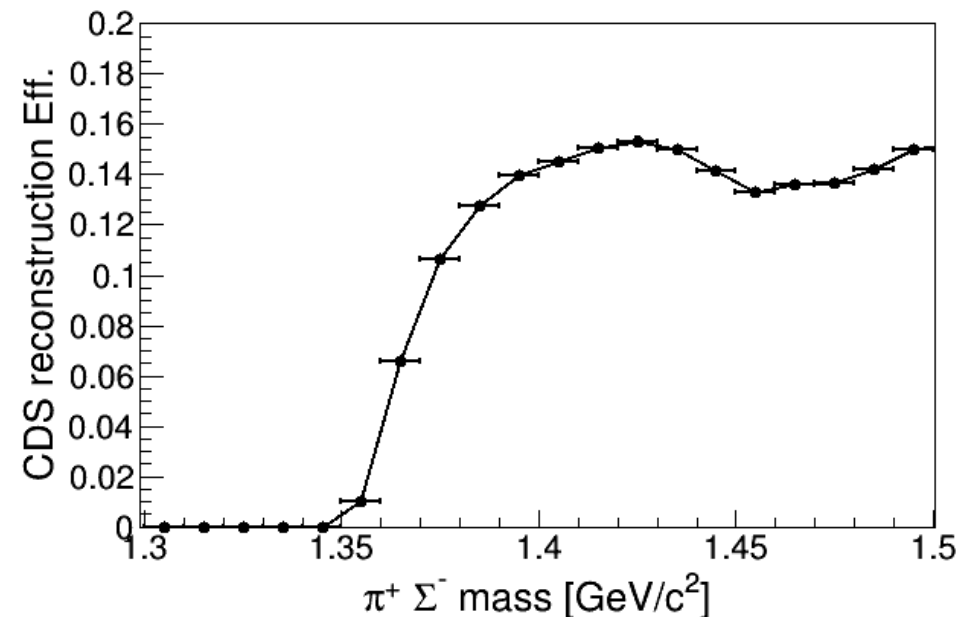
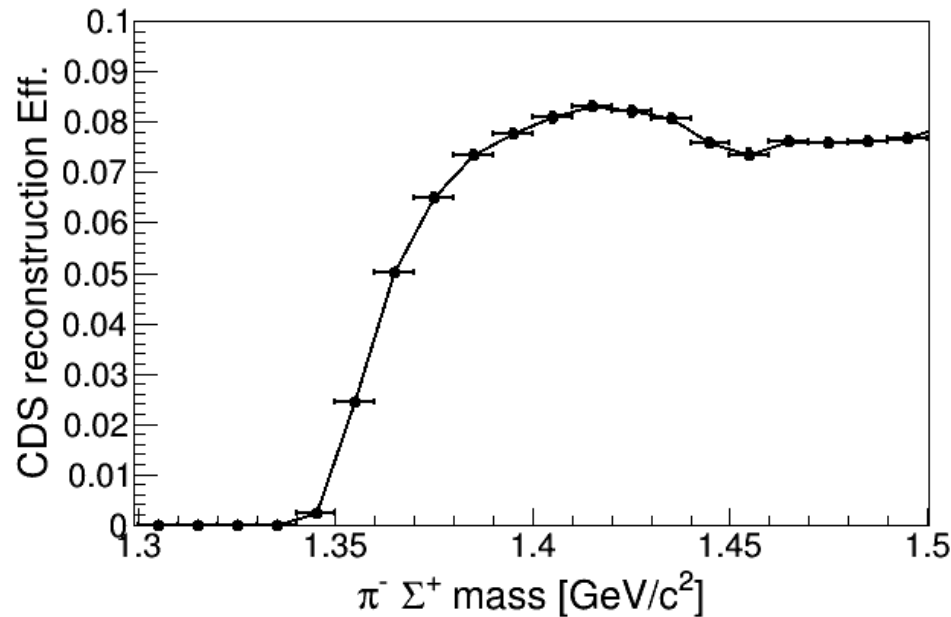
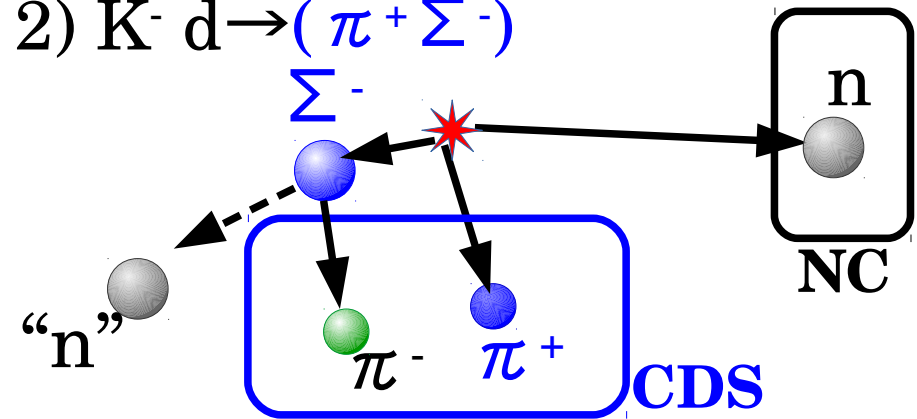
CDS reconstruction efficiency correction

Simulated reaction

1) $K^- d \rightarrow (\pi^- \Sigma^+) n_{\text{Forward}}$

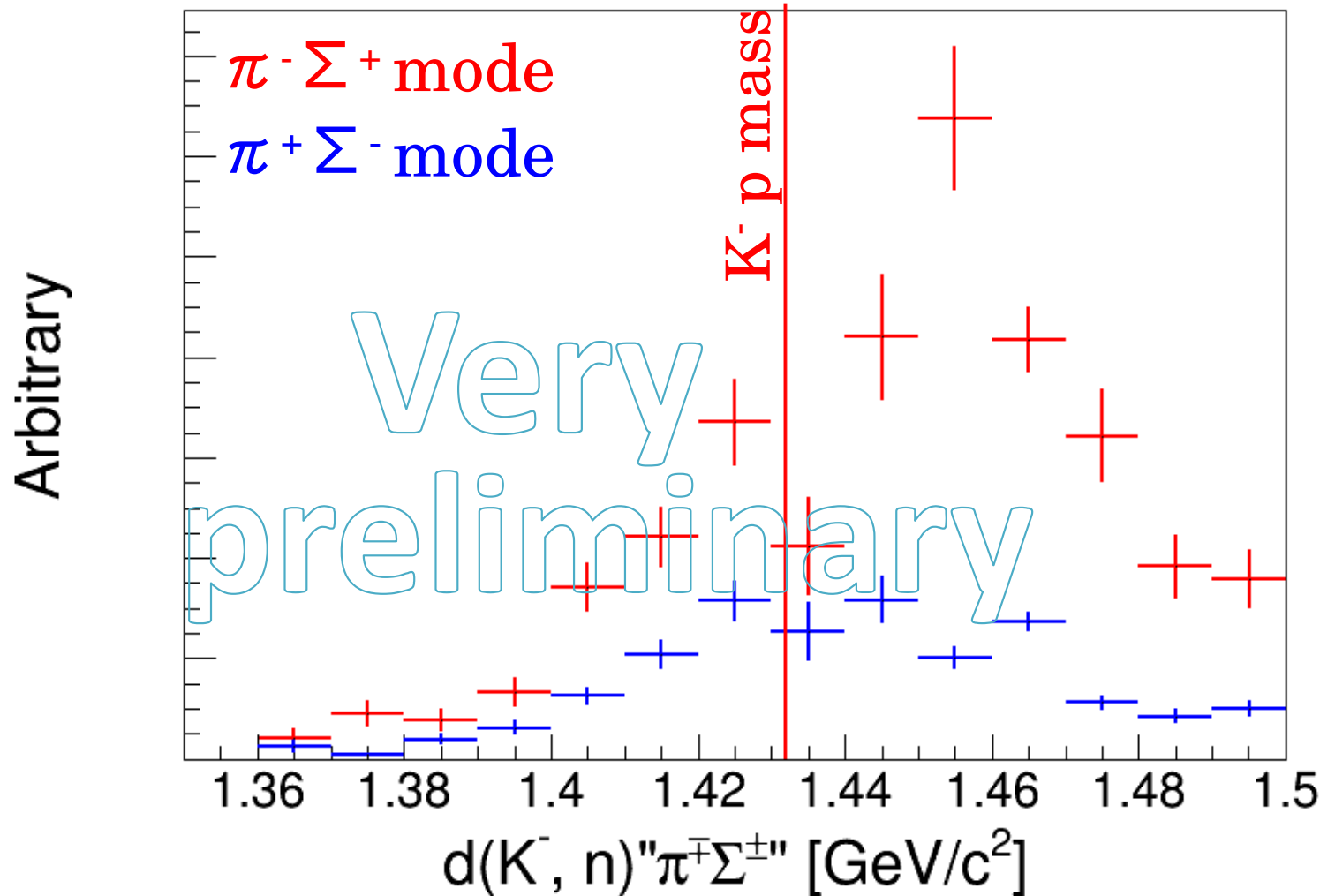


2) $K^- d \rightarrow (\pi^+ \Sigma^-)$



We correct $\pi^\pm \Sigma$ spectra by CDS reconstruction efficiency.

Decomposed $d(K^-, n) \pi^\pm \Sigma^\mp$ spectra



We found $\pi^- \Sigma^+$ mode is dominant.

We will confirm this structure in much higher statistics.

Summary and future plan

We obtain $d(K^-, n) \pi^\mp \Sigma^\pm$ spectra

→ We found the $\pi^- \Sigma^+$ mode is dominant.

→ A structure is observed below the $\bar{K}N$ threshold.

E31 will start in this May.

- We will collect 20 times more statistics than present data.
- We expect to identify all final states and decompose $I=0$ and $I=1$ amplitudes.

The J-PARC E31 Collaboration

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9. RIKEN, Japan, 10. Tokyo Institute of Technology, Japan

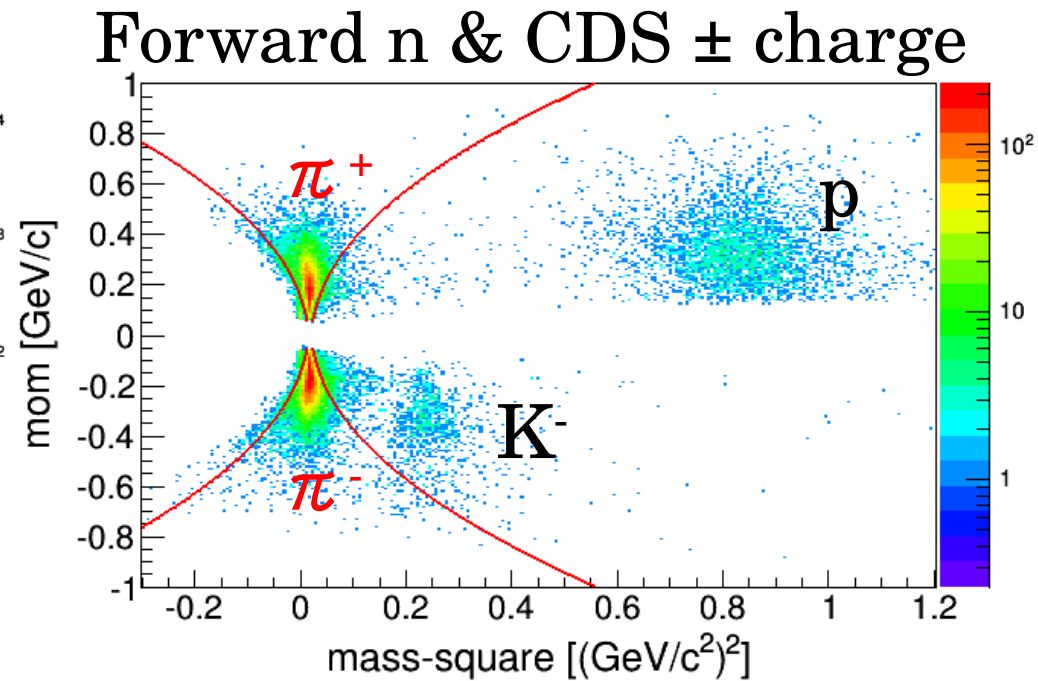
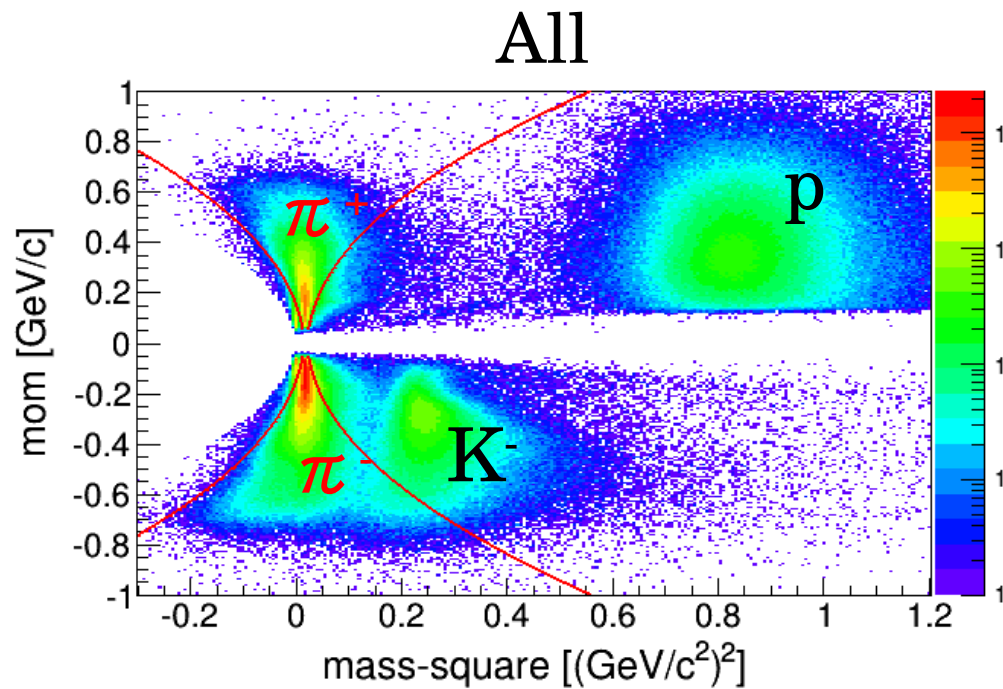
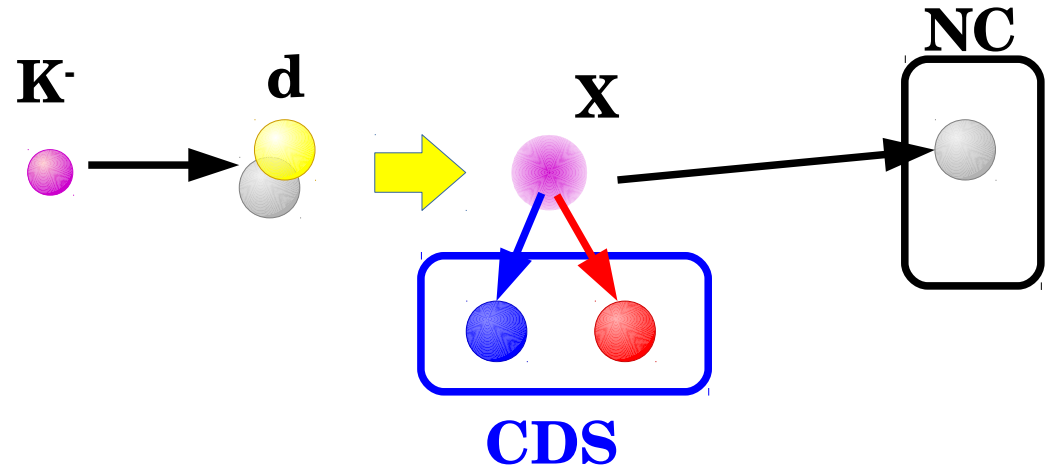
11. Osaka Electro-Communication University, Japan, 12. University of Tokyo, Japan

13. Kyoto University, Japan, 14. High Energy Accelerator Research Organization (KEK), Japan

15. Technische Universitat Munchen, Germany, 16. Tohoku University, Japan

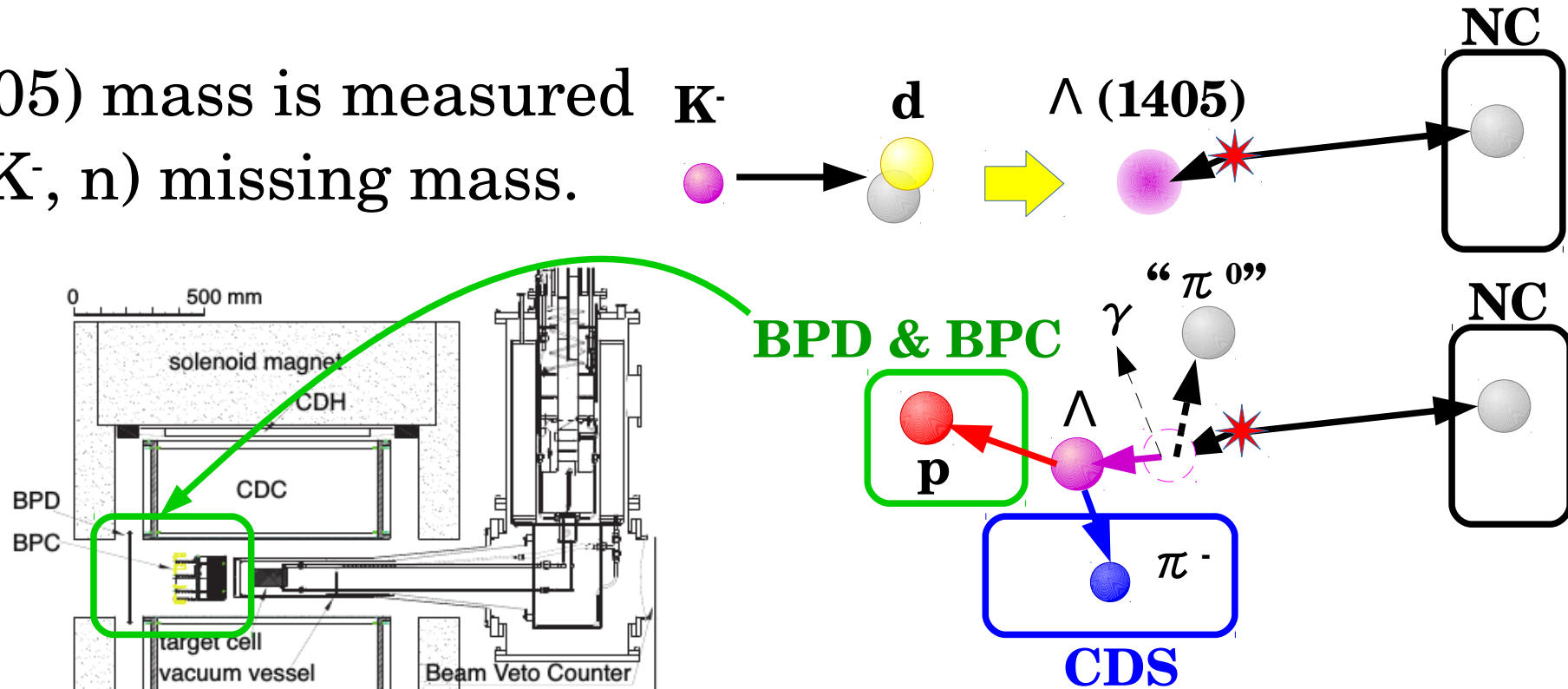
Back up

CDS particle identification



Experimental method~ $\pi^0 \Sigma^0$ mode

$\Lambda(1405)$ mass is measured by $d(K^-, n)$ missing mass.



Decay proton is emitted in a backward angle.

→proton is detected by backward detectors(BPD &BPC).

$\pi^0 \Sigma^0$ and $\pi^0 \Lambda$ is identified by $d(K^-, n \Lambda)^* X$.

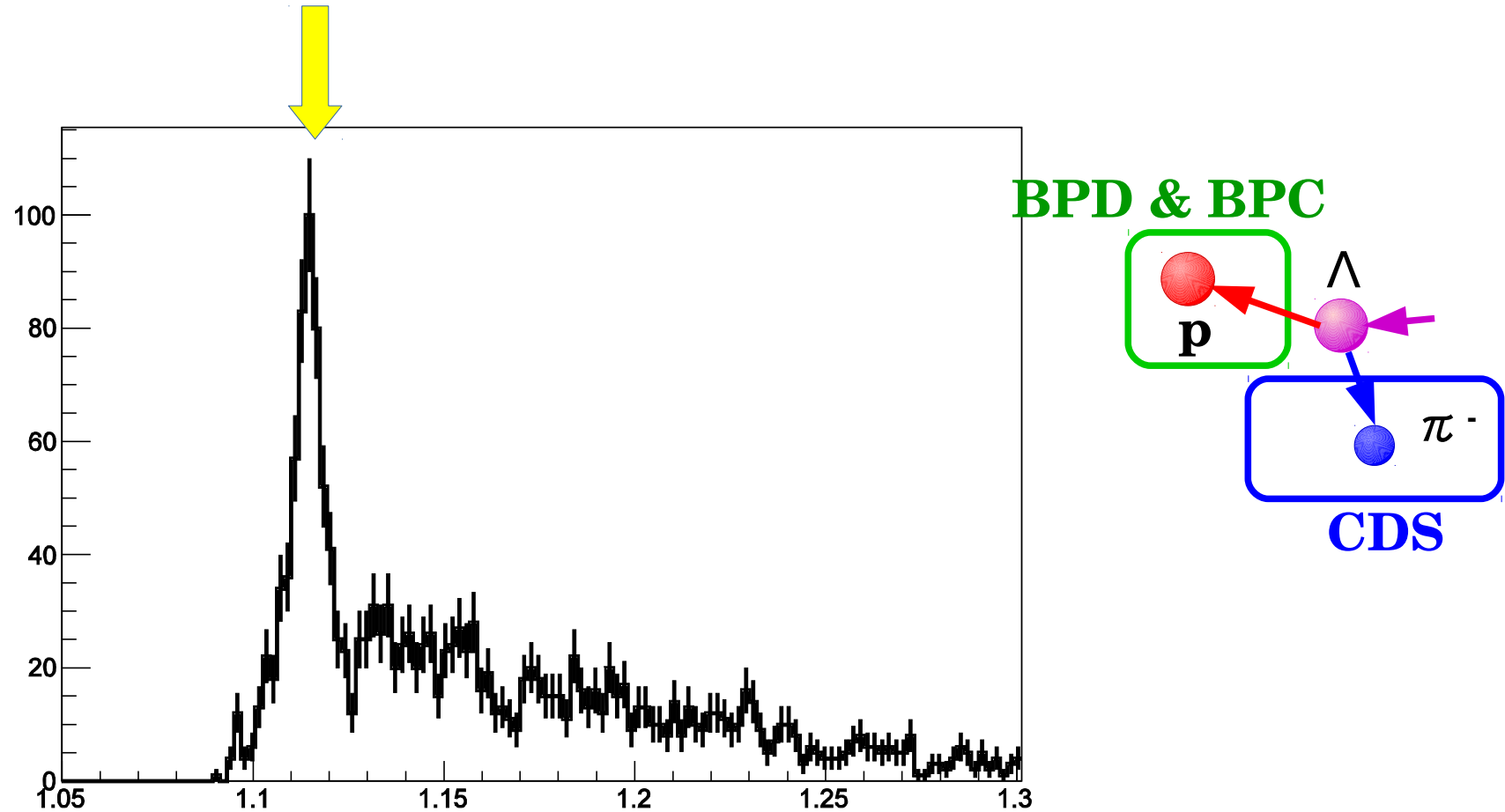
$$K^- d \rightarrow \Lambda^* n \rightarrow (\pi^0 \Sigma^0) n \rightarrow \pi^0 (\gamma \Lambda) n$$

(I=0)

$$K^- d \rightarrow \Sigma^* n \rightarrow (\pi^0 \Lambda) n \rightarrow \pi^0 \Lambda n$$

detect

Invariant mass of backward proton and π^- in CDS



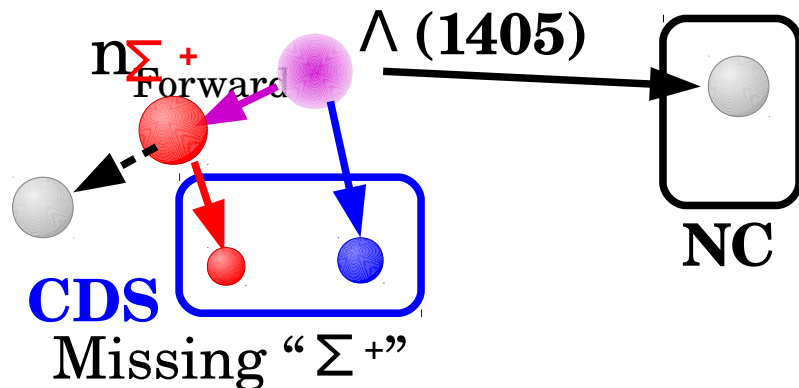
Backward Λ is successfully
reconstructed.

How to decompose of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

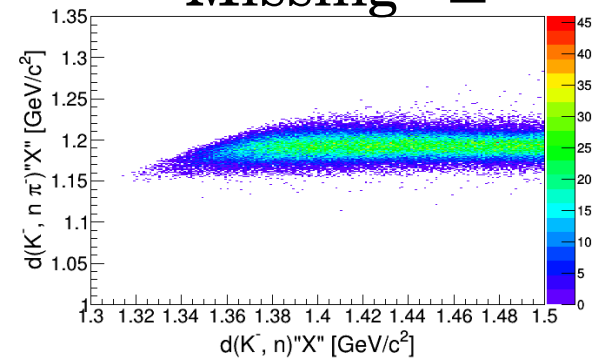
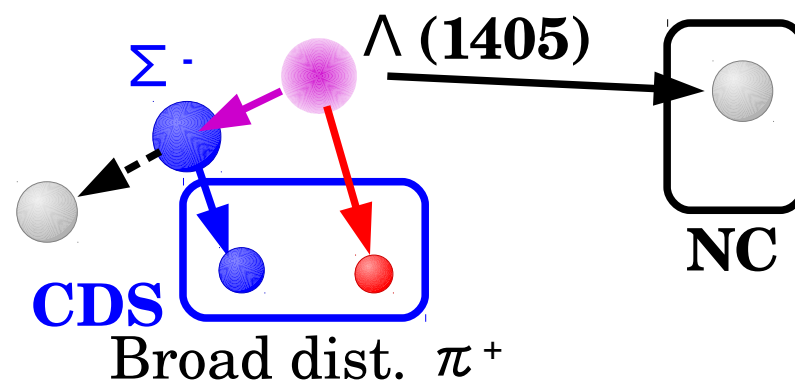
Simulated reaction

~ **Sim**

1) $K^- d \rightarrow (\pi^- \Sigma^+) n_{\text{Forward}}$

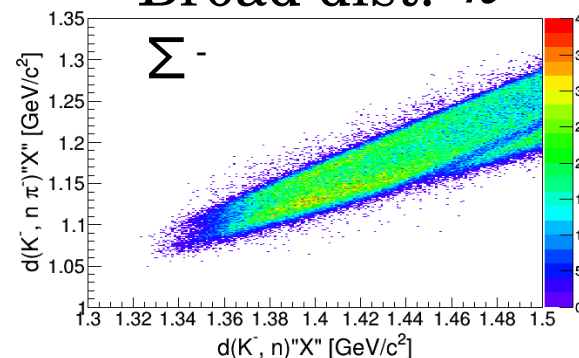
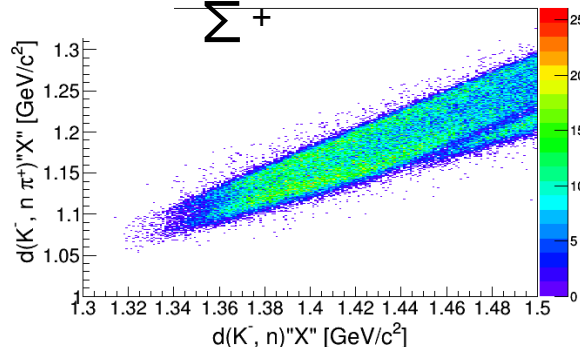


2) $K^- d \rightarrow (\pi^+ \Sigma^-)$

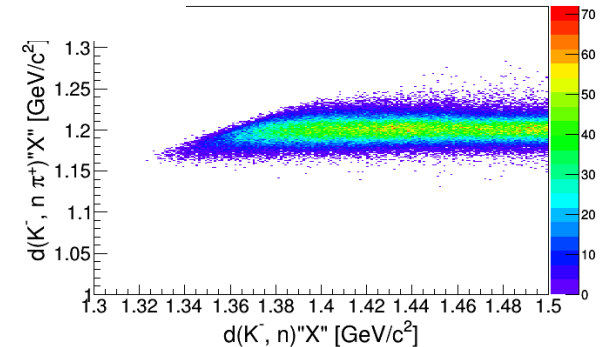


Broad dist. π^-

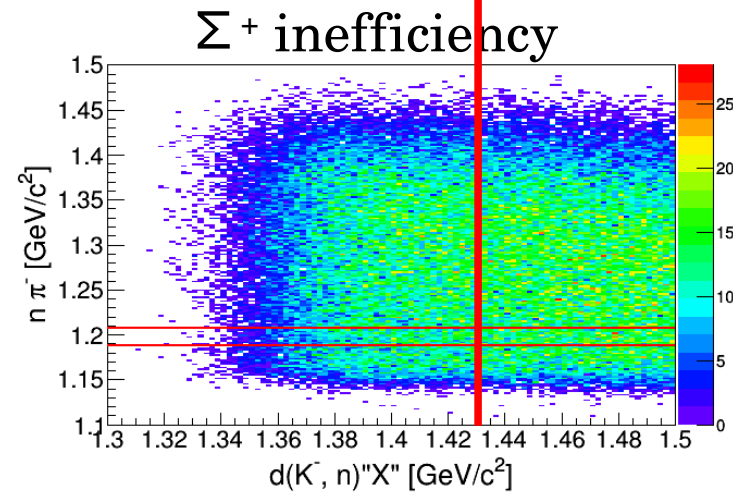
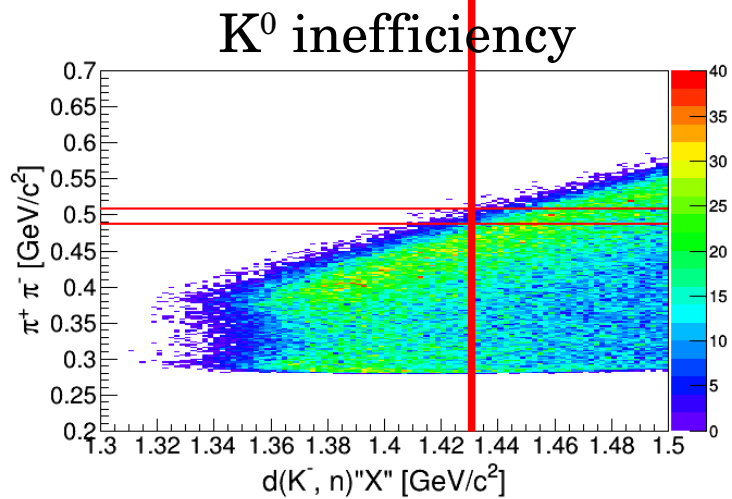
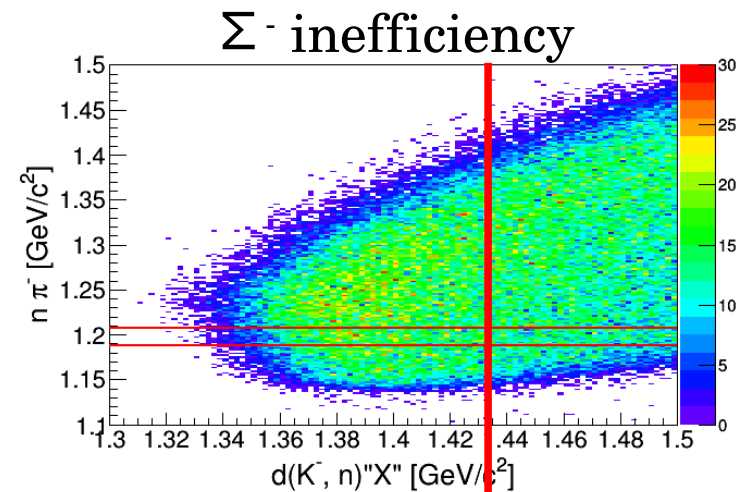
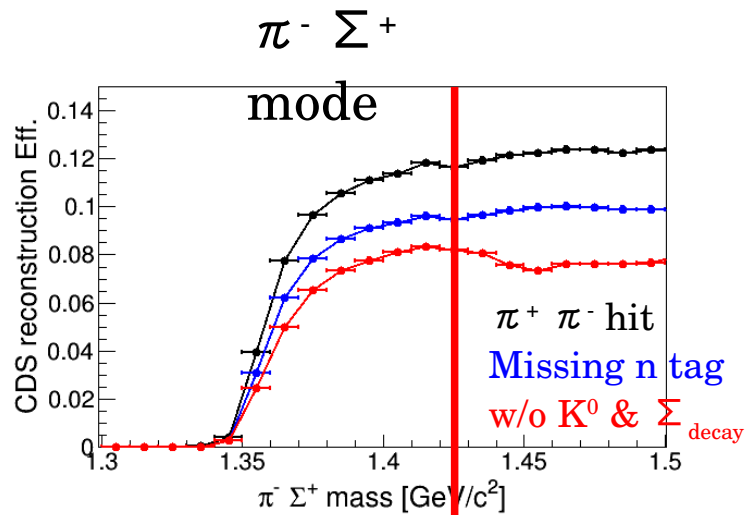
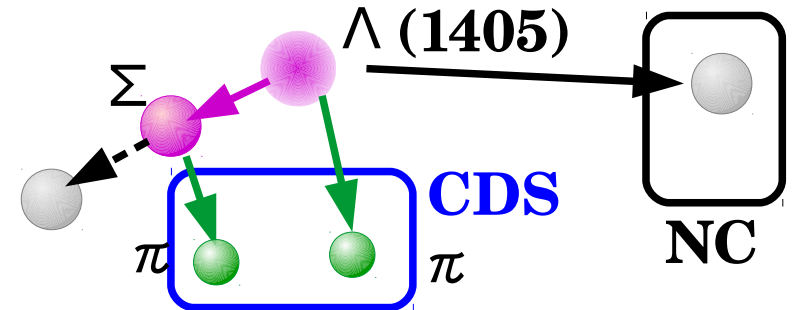
Σ^+



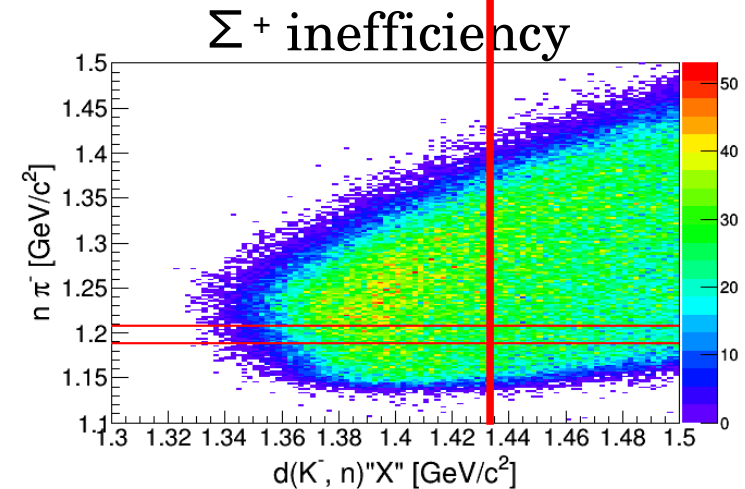
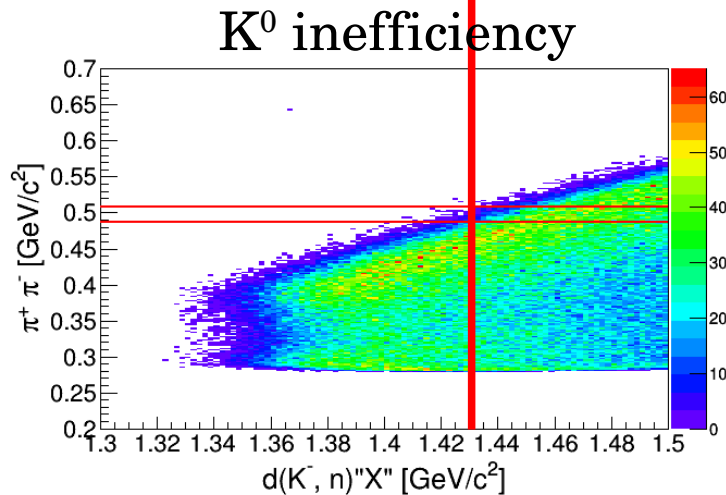
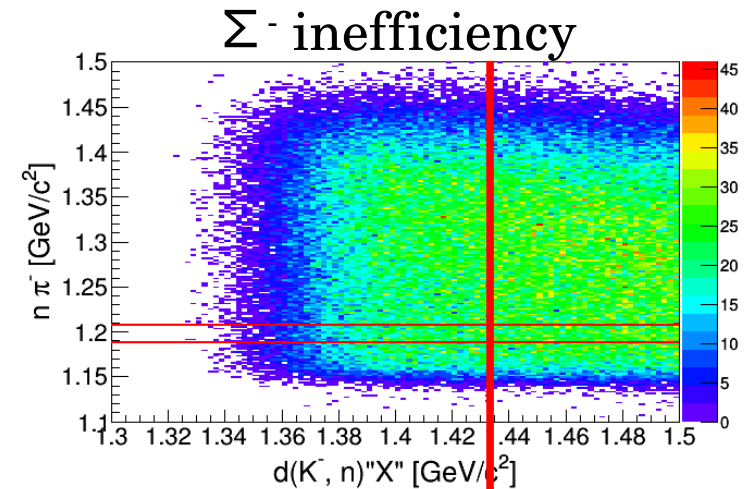
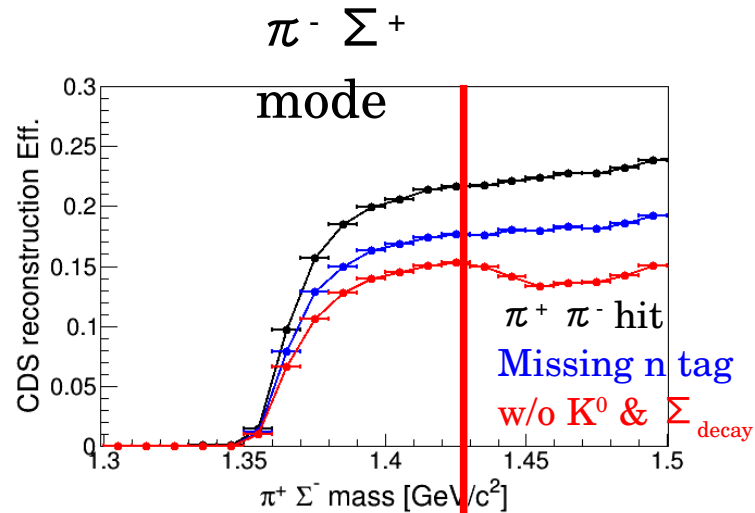
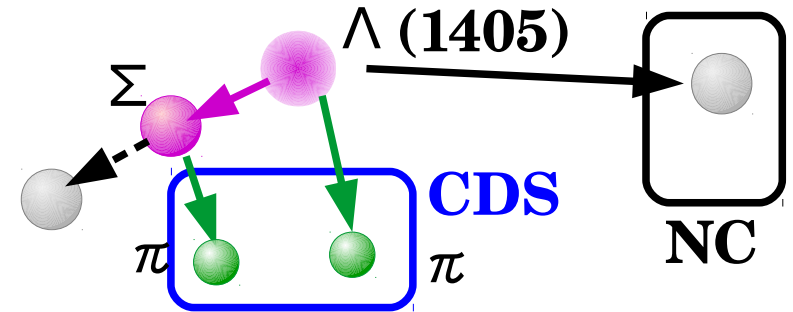
Missing " Σ^- "



CDS reconstruction efficiency correction



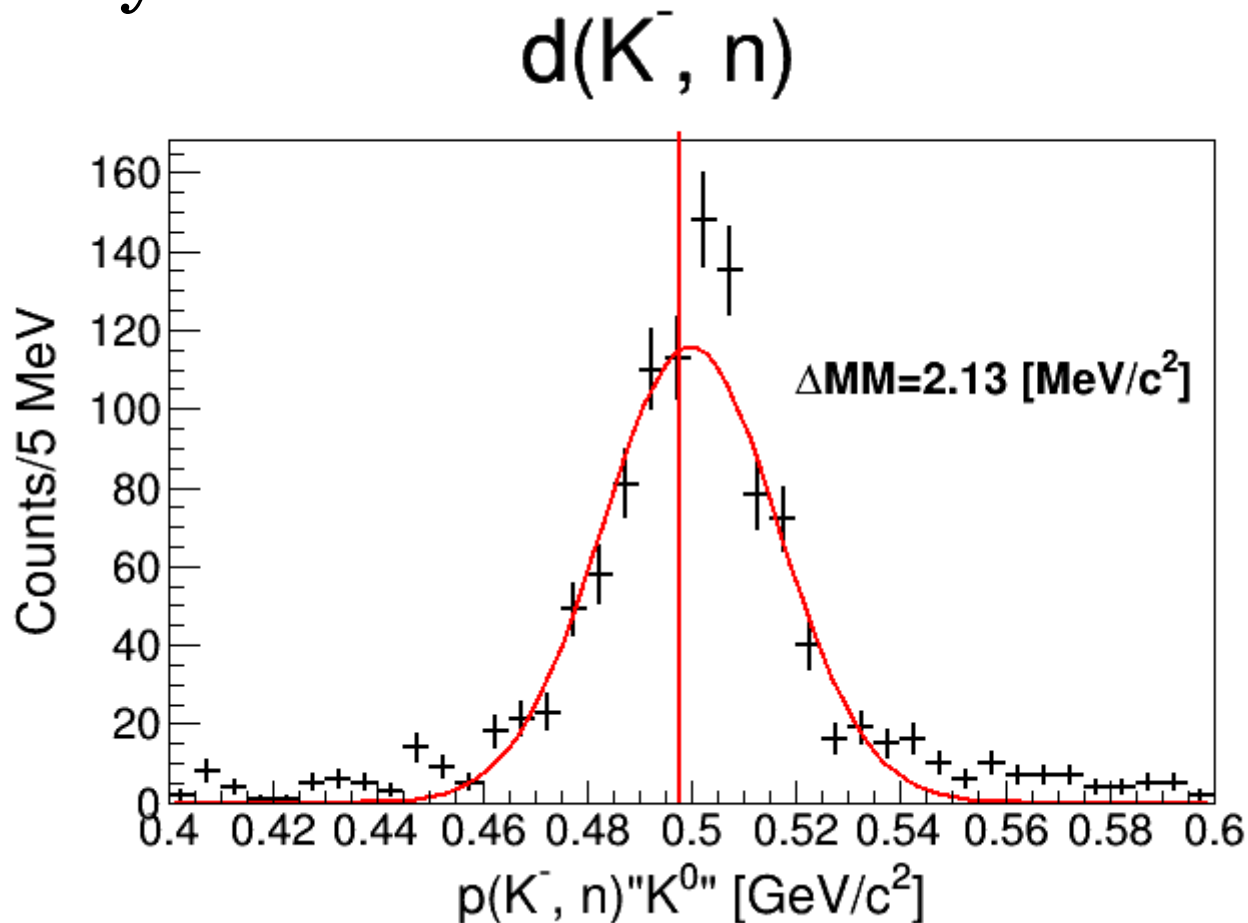
CDS reconstruction efficiency correction



Accuracy of missing mass

Using H_2 target run.

K^0 is tagged by CDS.



Accuracy of missing mass is estimated at $\sim 2.1 \text{ MeV}/c^2$ by $p(\text{K}^-, n) - \text{K}^0$ events.

Contamination of K^0 and Σ Forward

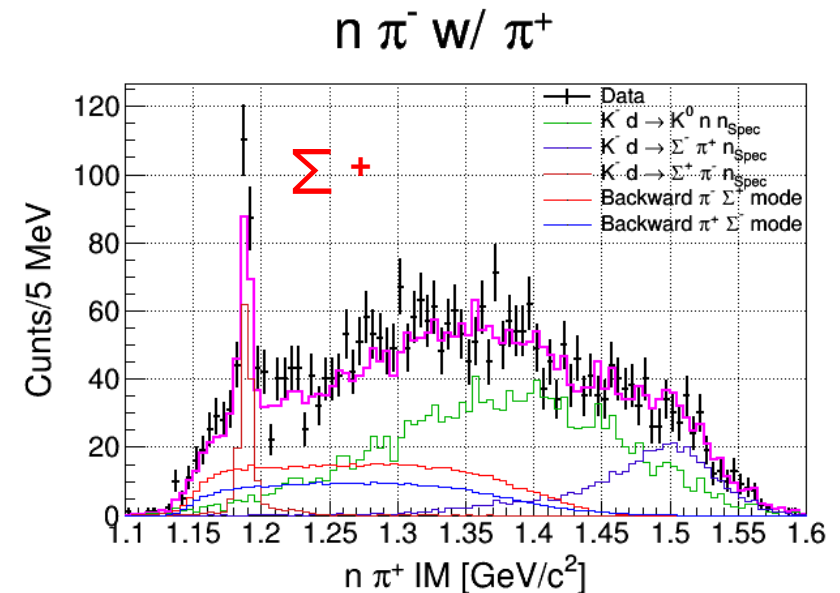
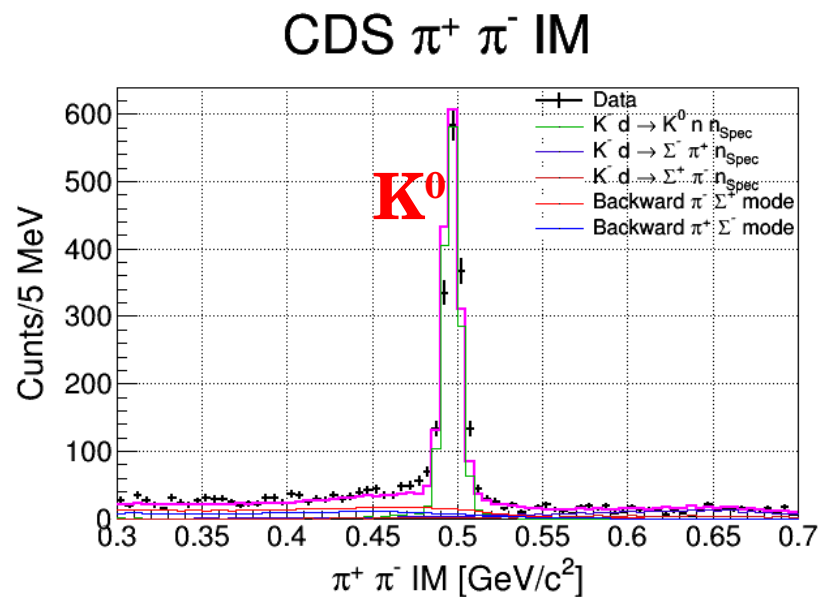
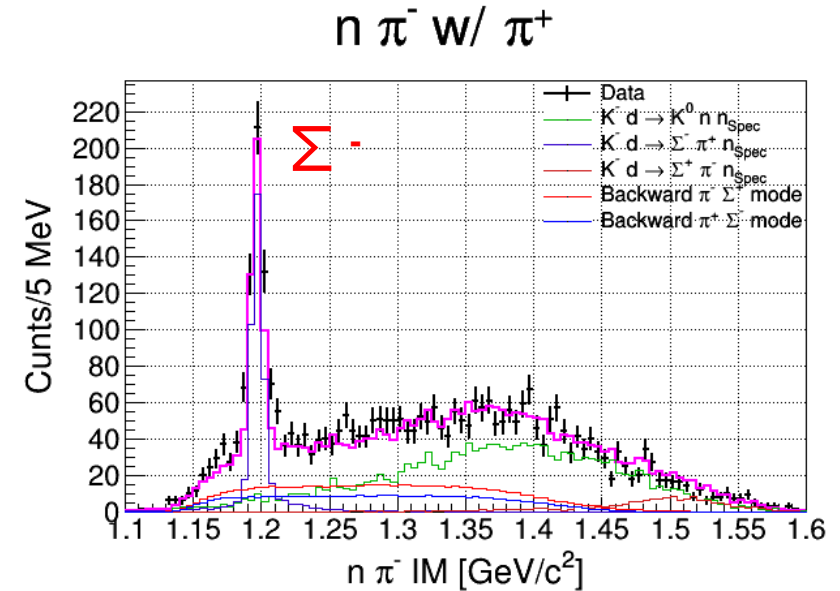
$$1) K^- d \rightarrow K^0 n n_{\text{Spec}}$$

$$2) K^- d \rightarrow \pi^+ \Sigma^-$$

$$3) K^- d \rightarrow \pi^- \Sigma^+$$

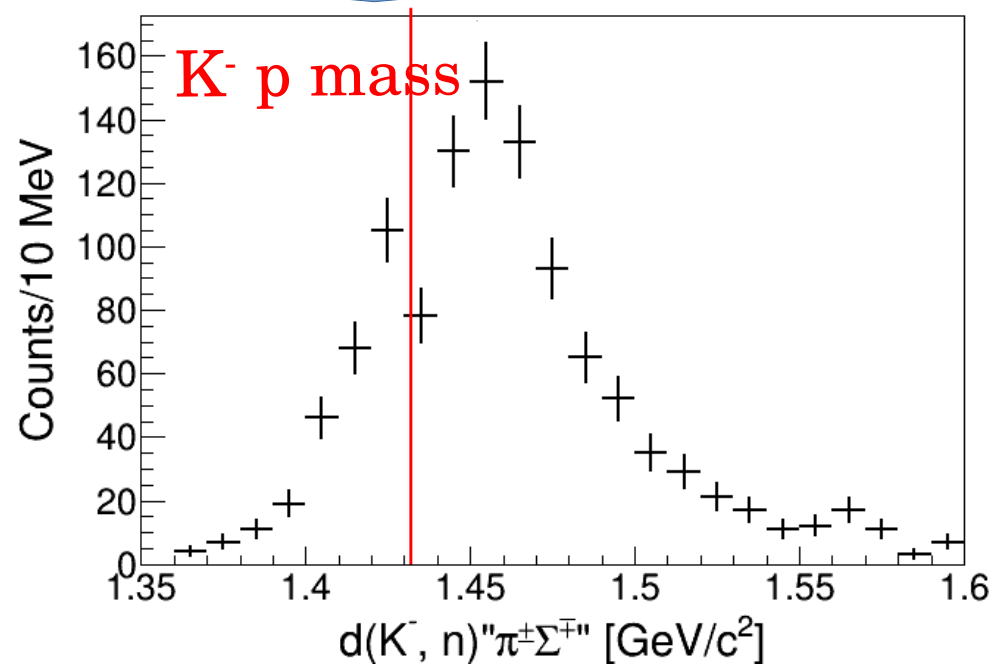
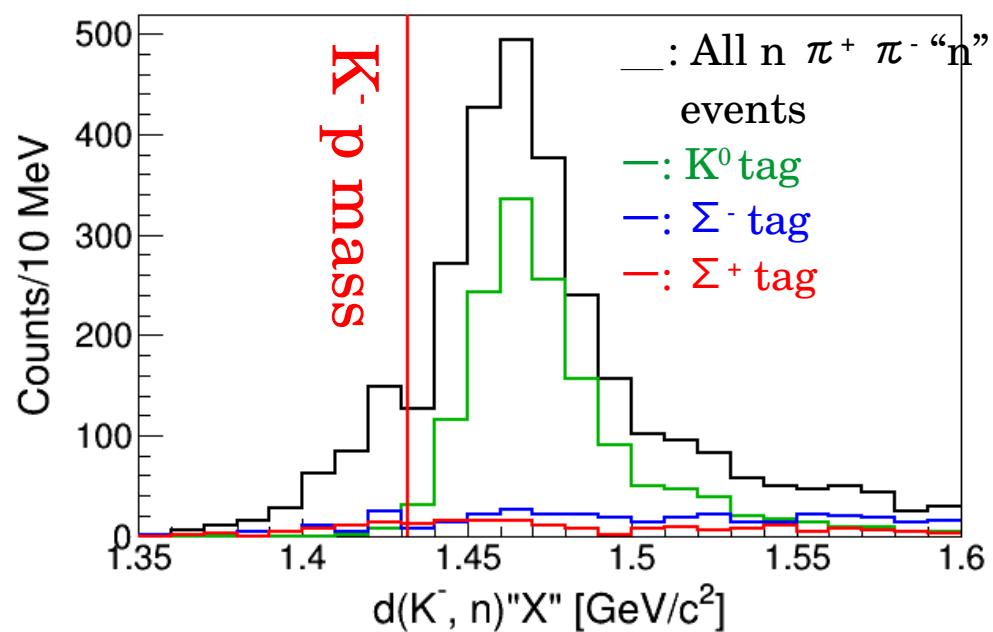
Angular distribution simulates
previous data of elementary process.

Contamination is evaluated
by global fitting



$d(K^-, n) \pi^+ \pi^- \pi^0$ 1.35~1.6 GeV/c²

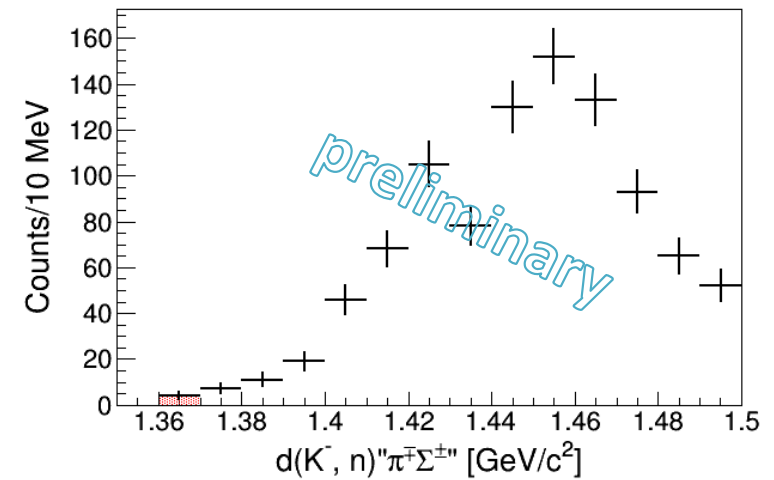
K^0 and Σ^- were removed



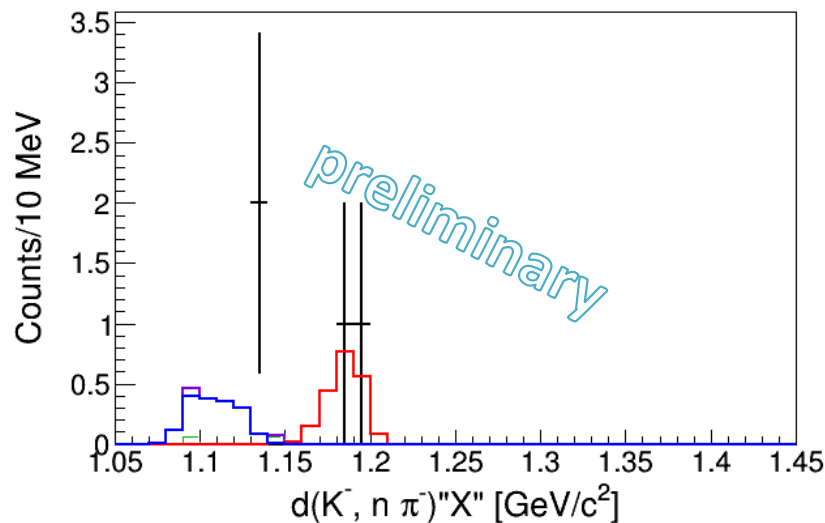
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

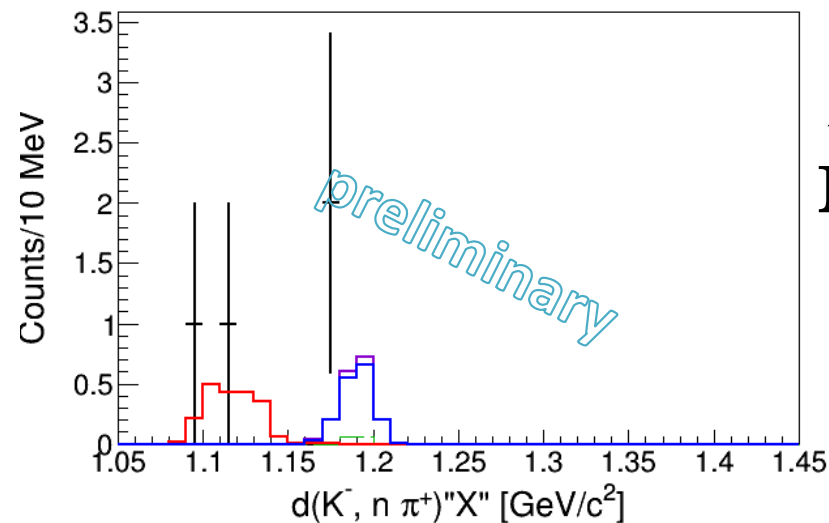
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

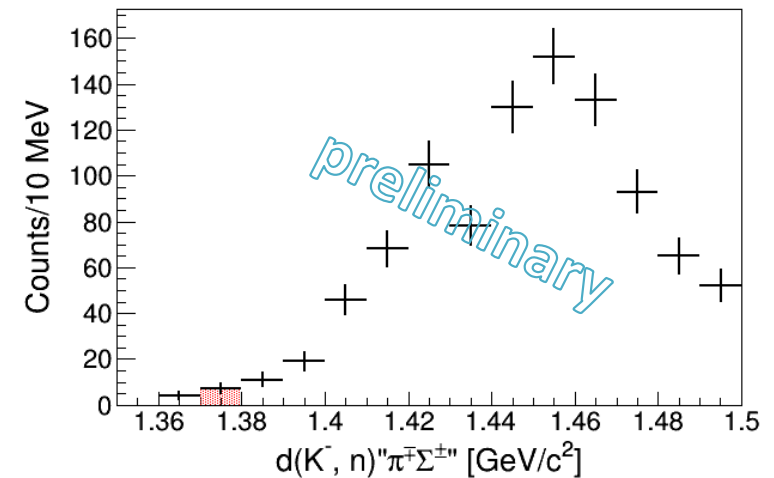


$\chi^2 : 27.4$
NDF : 4
 χ^2/NDF
~6.86

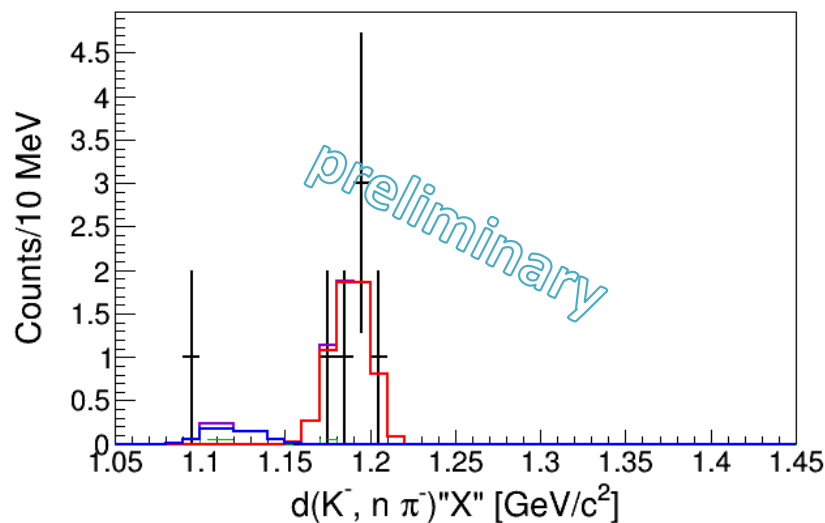
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

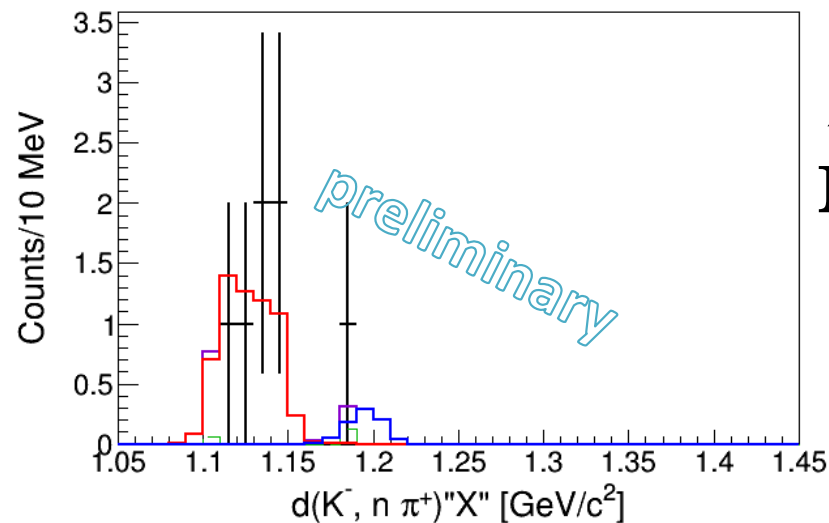
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

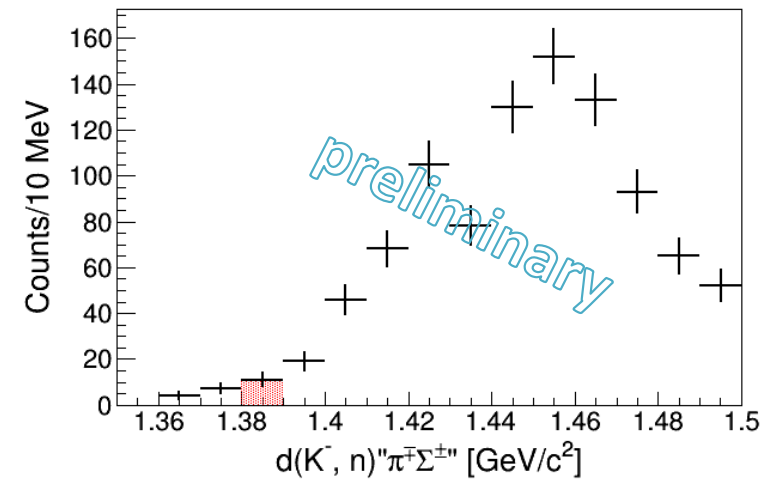


χ^2 : 12.9
NDF : 8
 χ^2/NDF
~1.61

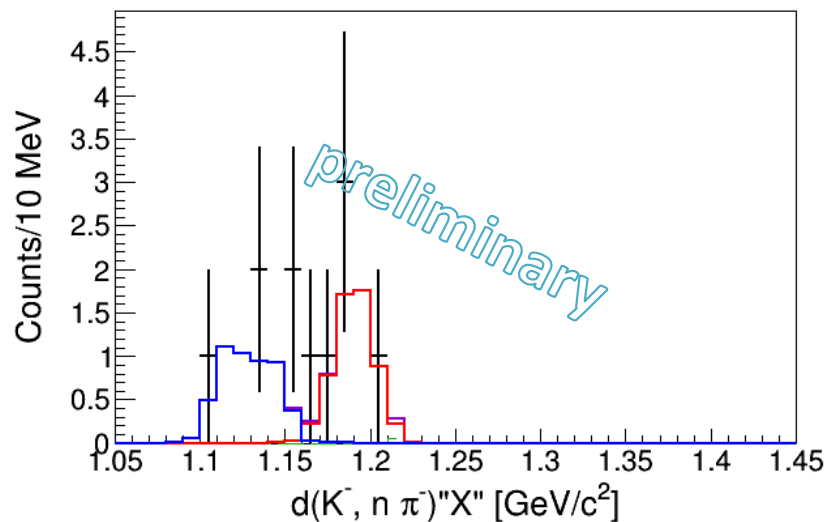
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

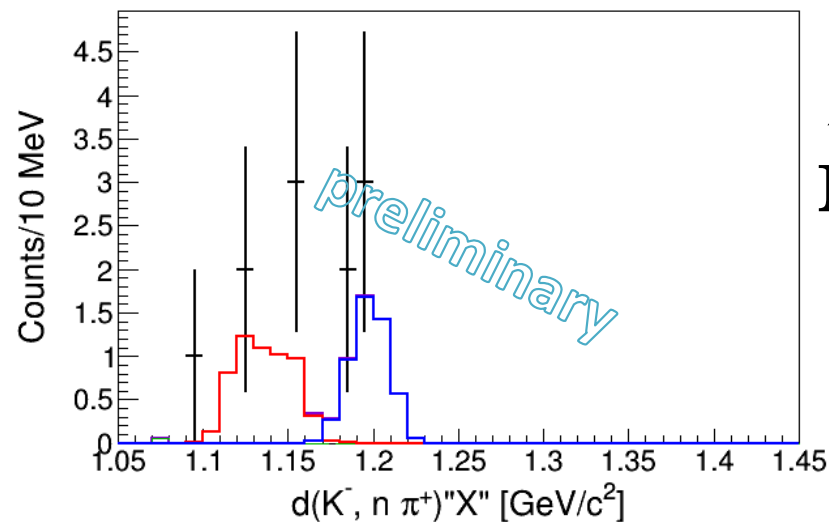
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

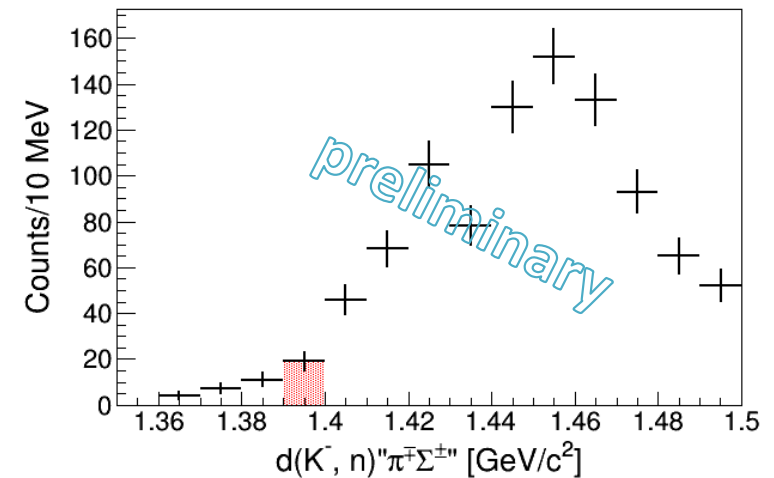


$\chi^2 : 38.7$
NDF : 10
 χ^2/NDF
 ~ 3.87

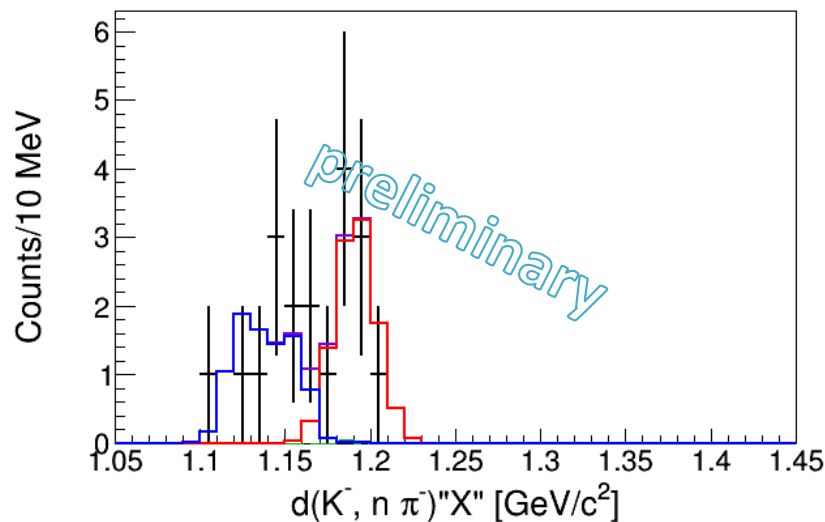
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

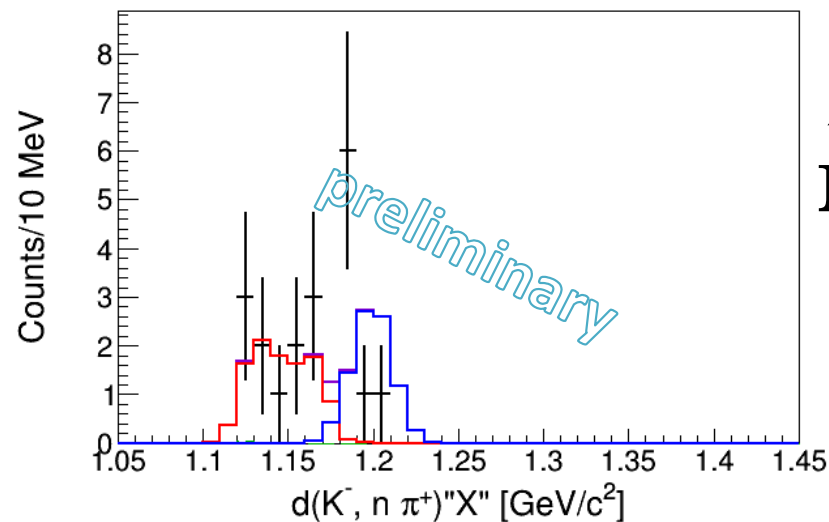
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

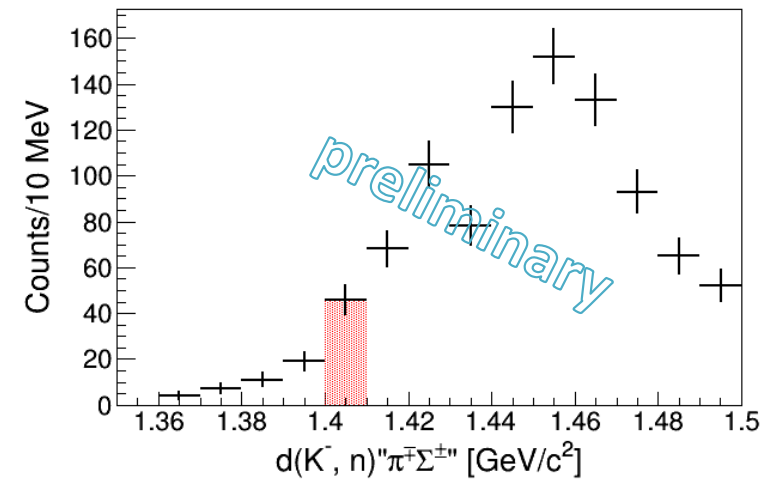


$\chi^2 : 27.4$
NDF : 16
 χ^2/NDF
 ~ 1.71

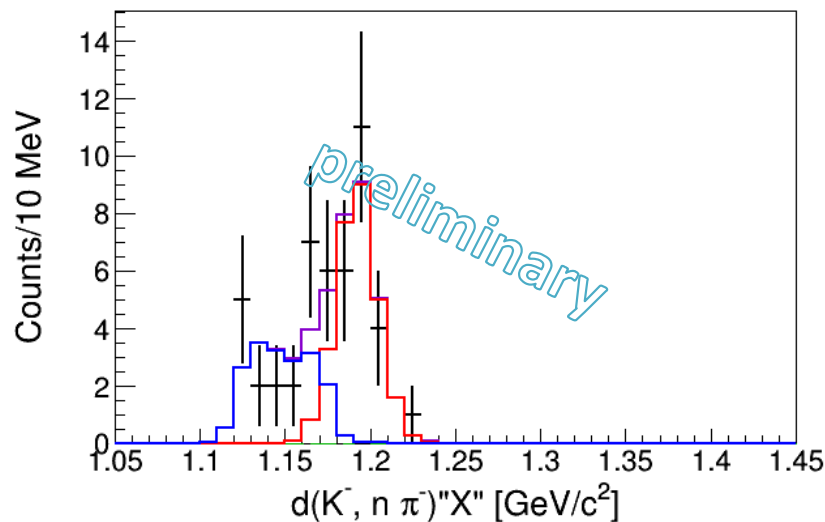
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

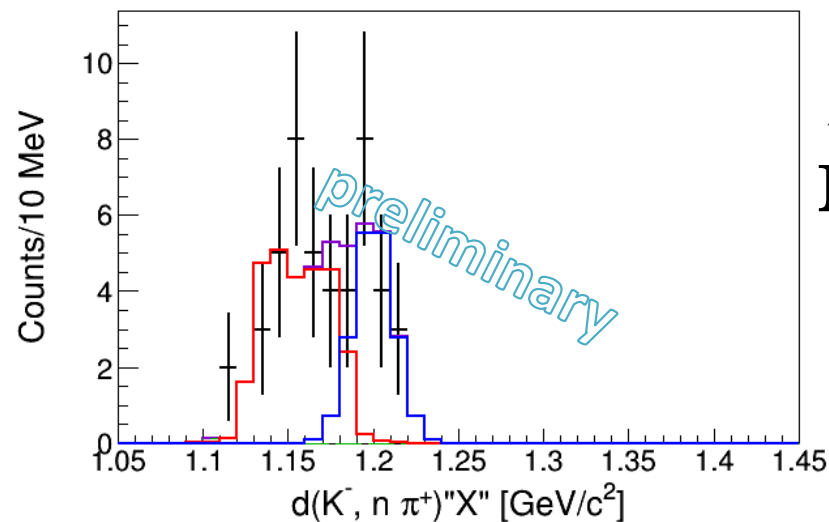
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



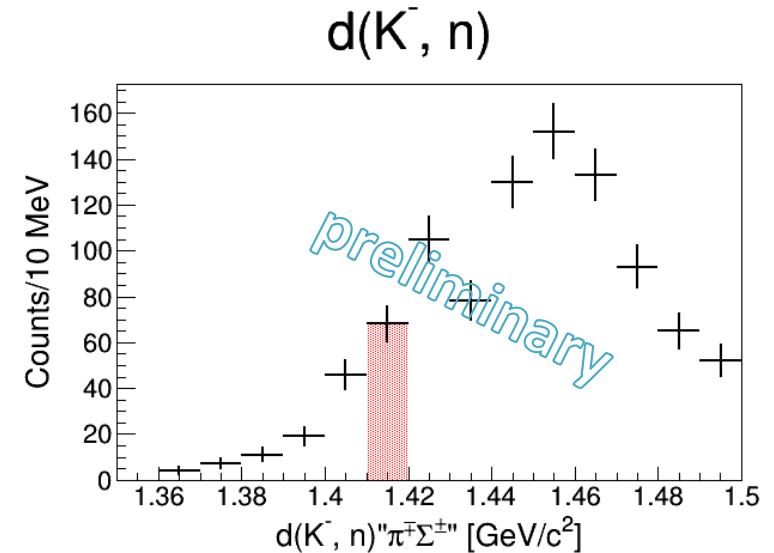
$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$



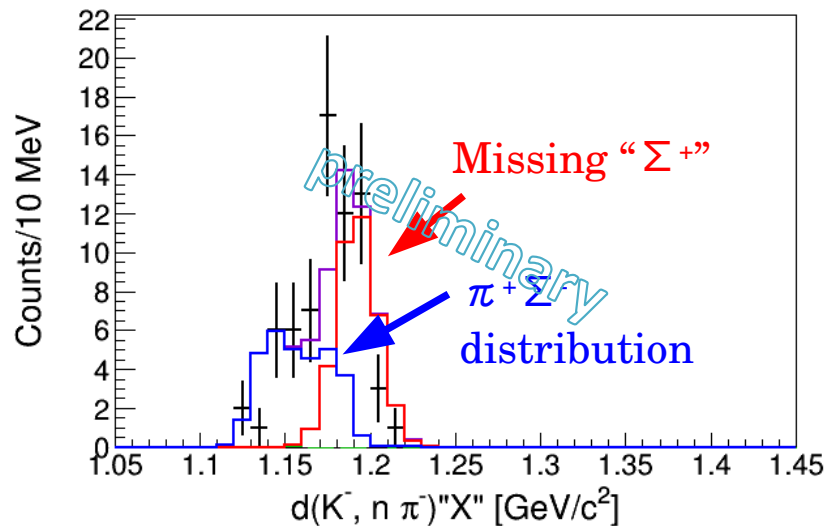
$\chi^2 : 29.1$
NDF : 18
 χ^2/NDF
 ~ 1.62

Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

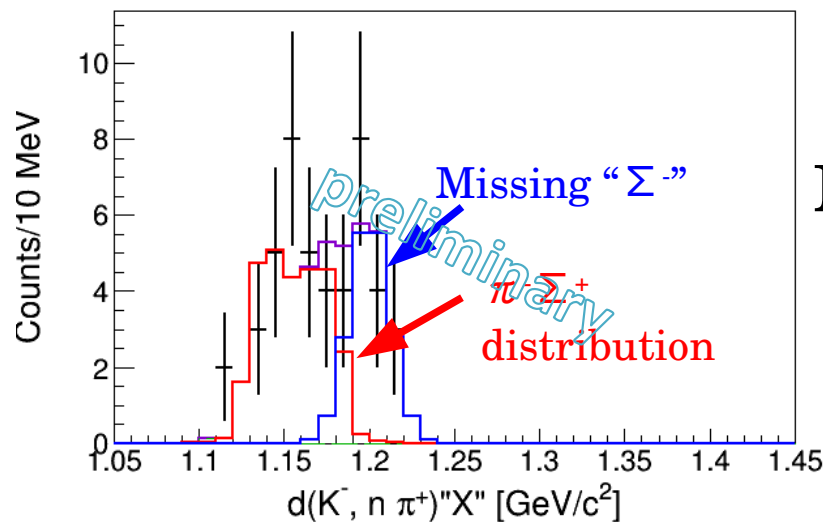
The fitting is done
bin by bin of $d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

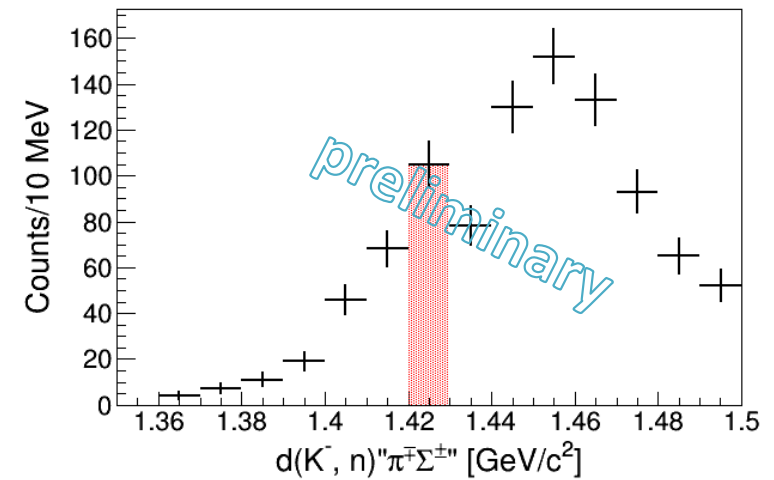


χ^2 : 25.5
NDF : 19
 χ^2/NDF
~1.34

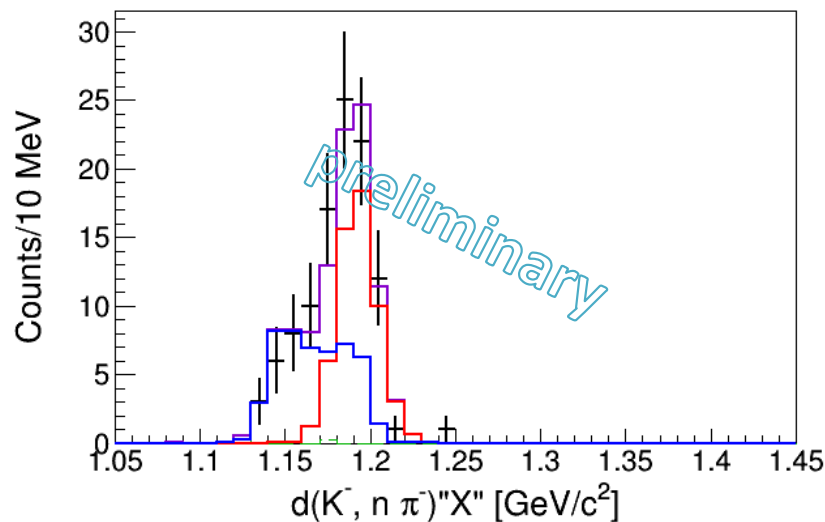
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

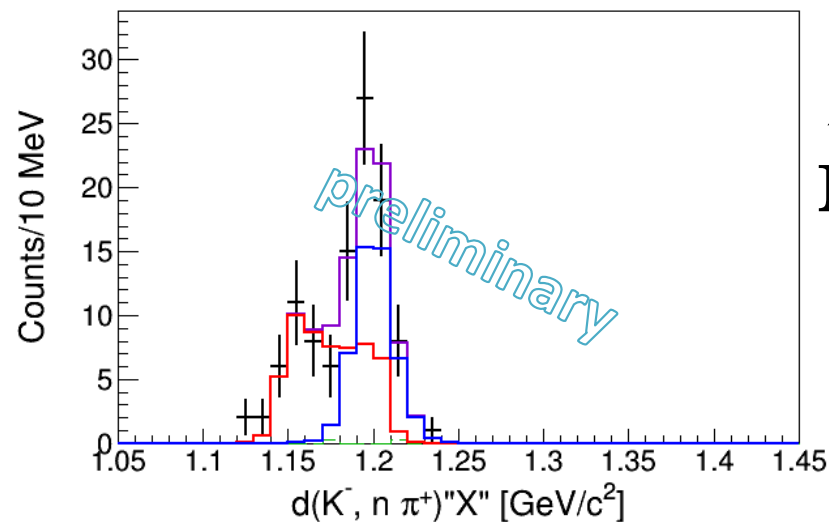
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

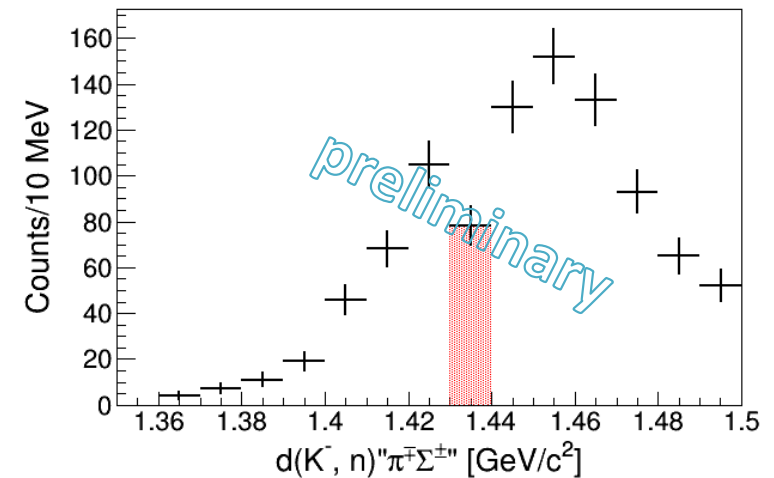


$\chi^2 : 25.5$
NDF : 19
 χ^2/NDF
 ~ 1.34

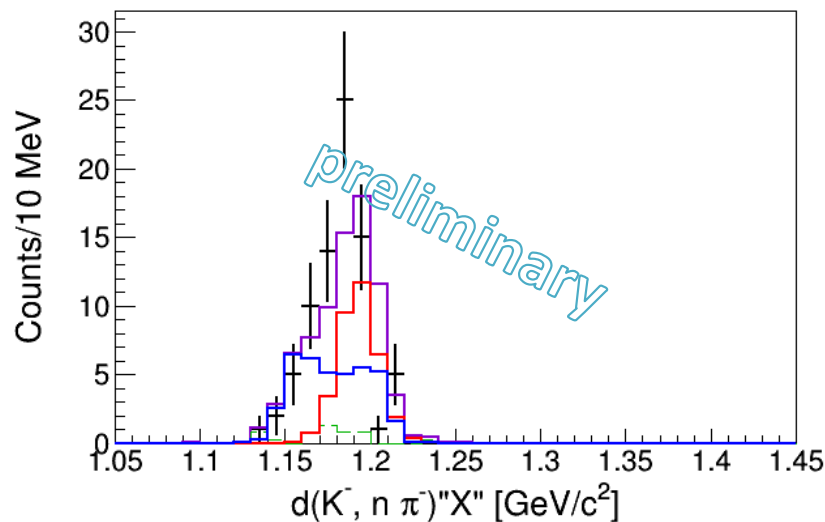
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

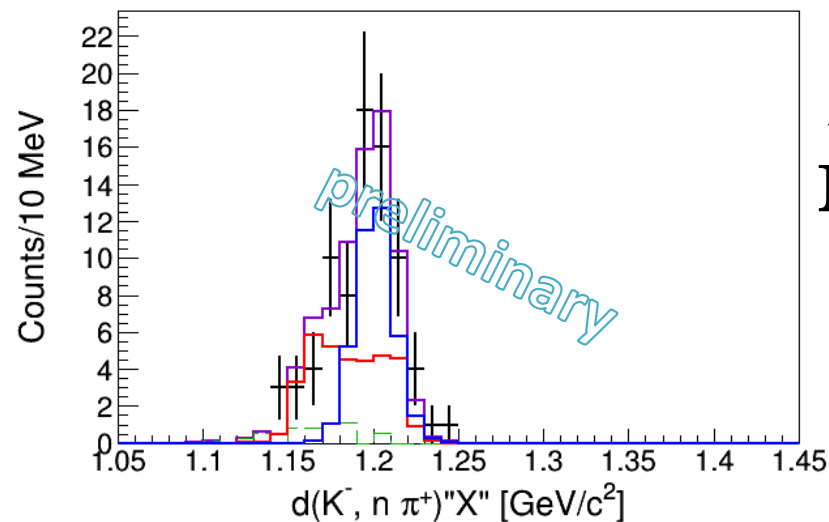
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

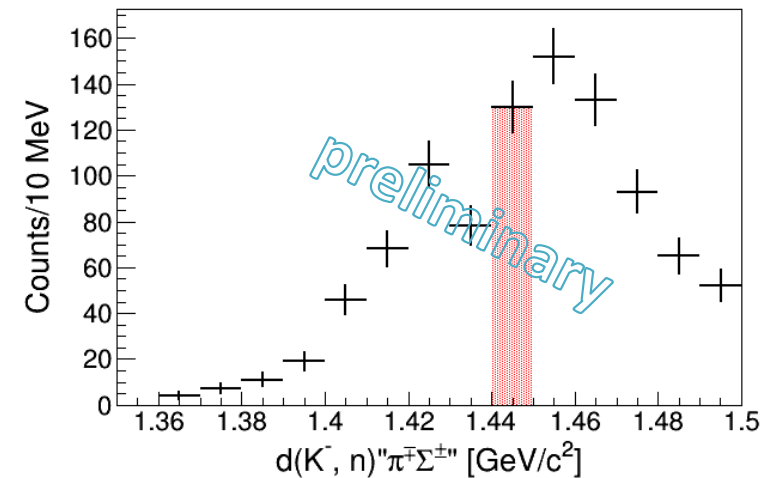


$\chi^2 : 42.6$
NDF : 18
 χ^2/NDF
 ~ 2.36

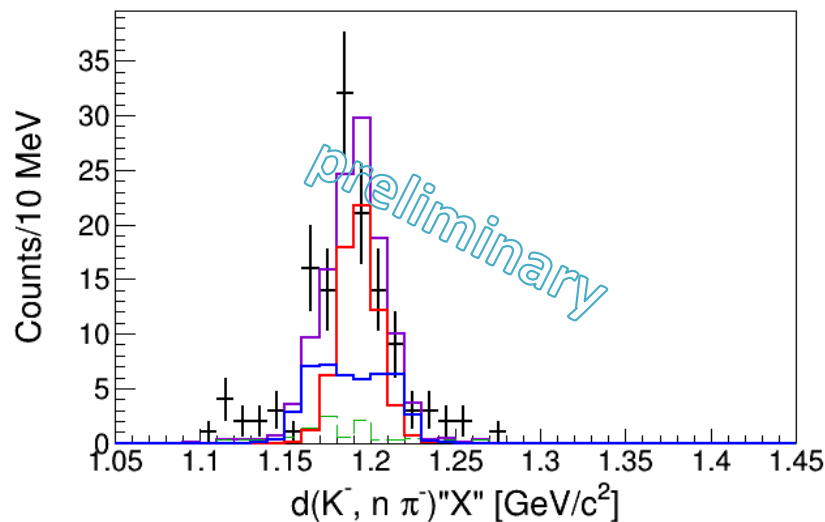
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

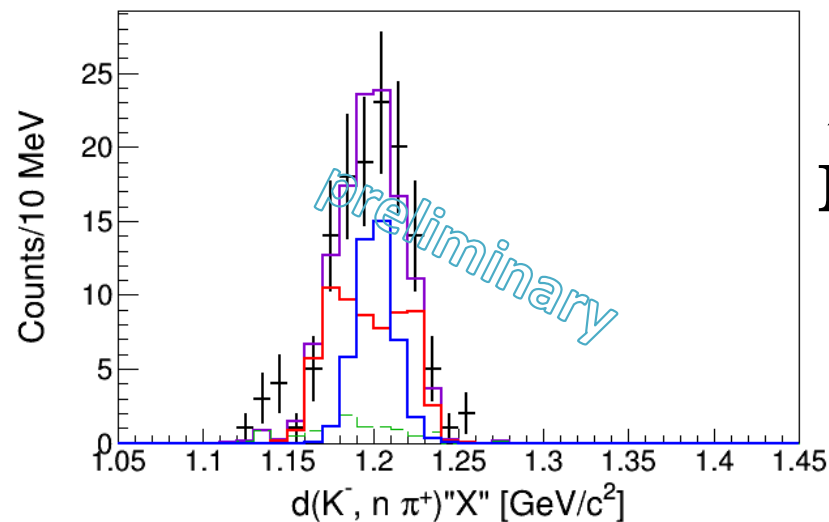
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

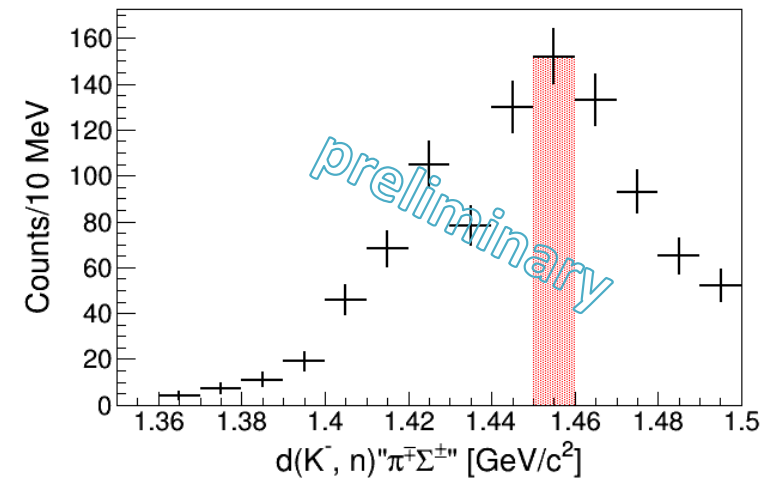


$\chi^2 : 76.7$
NDF : 29
 χ^2/NDF
 ~ 2.65

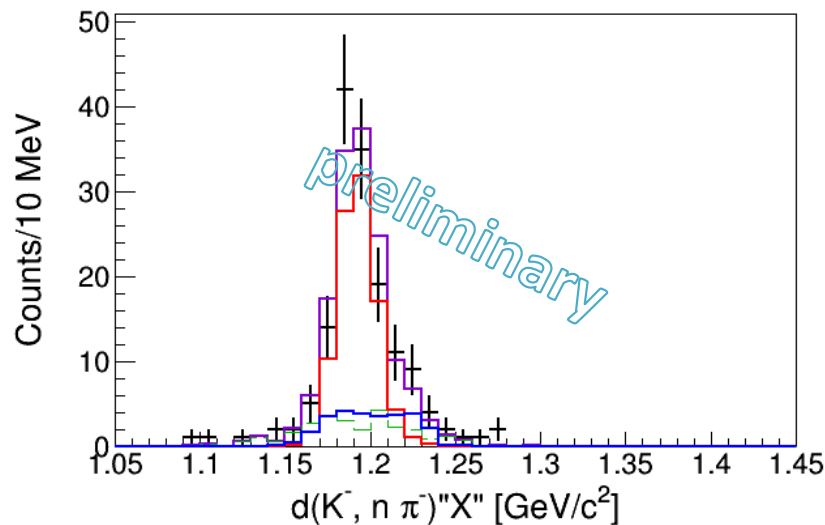
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

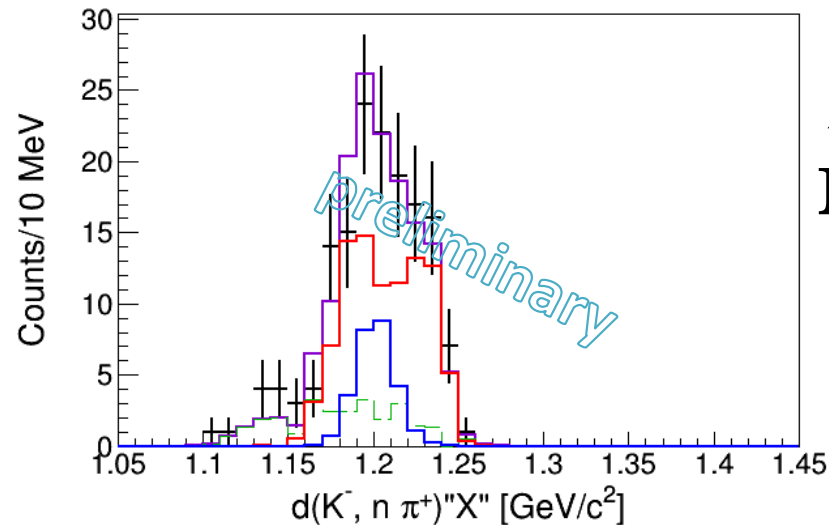
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

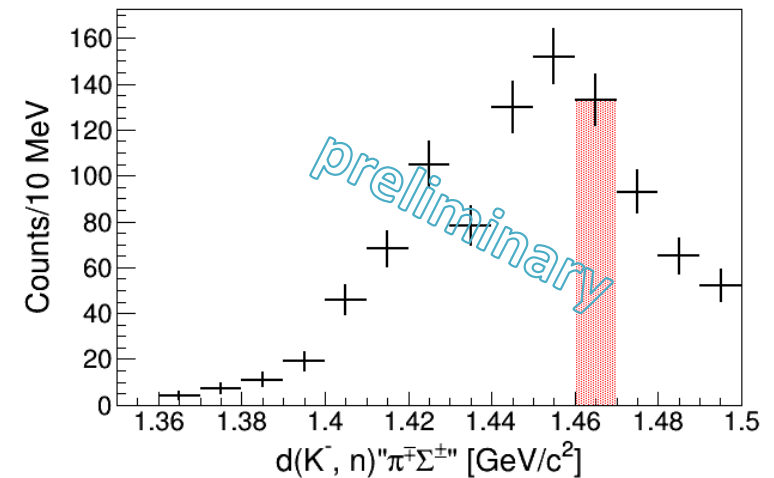


$\chi^2 : 33.2$
NDF : 30
 χ^2/NDF
 ~ 1.11

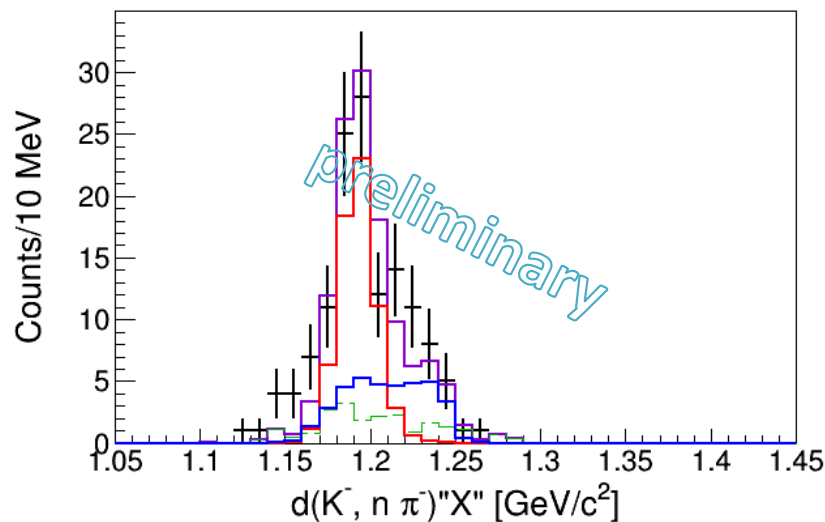
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

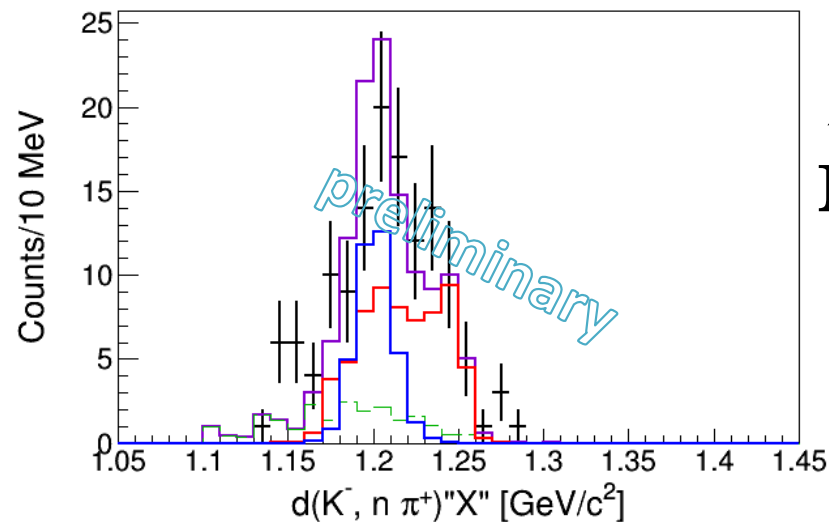
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

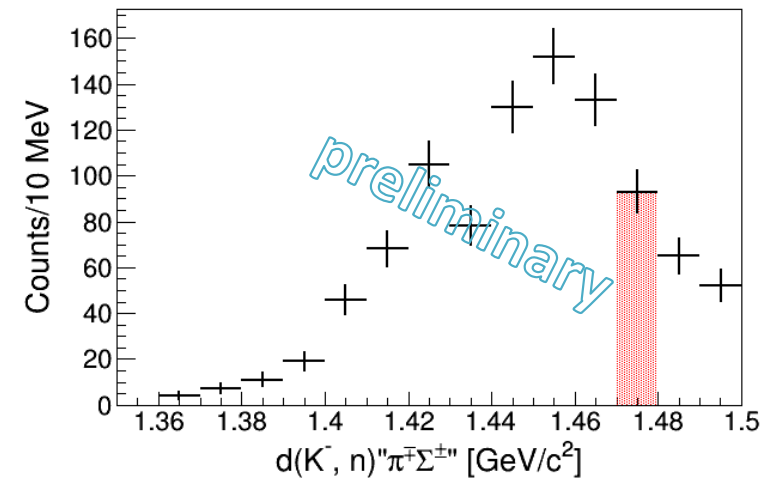


$\chi^2 : 63.9$
NDF : 29
 χ^2/NDF
 ~ 2.2

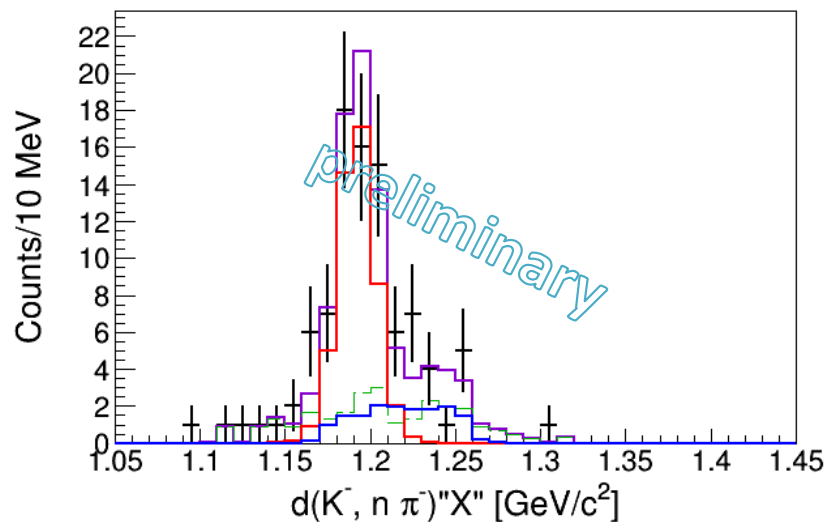
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

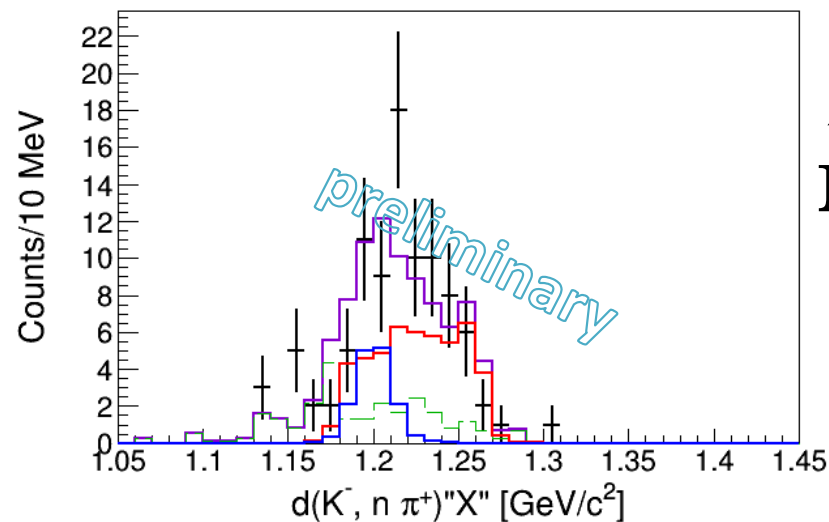
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

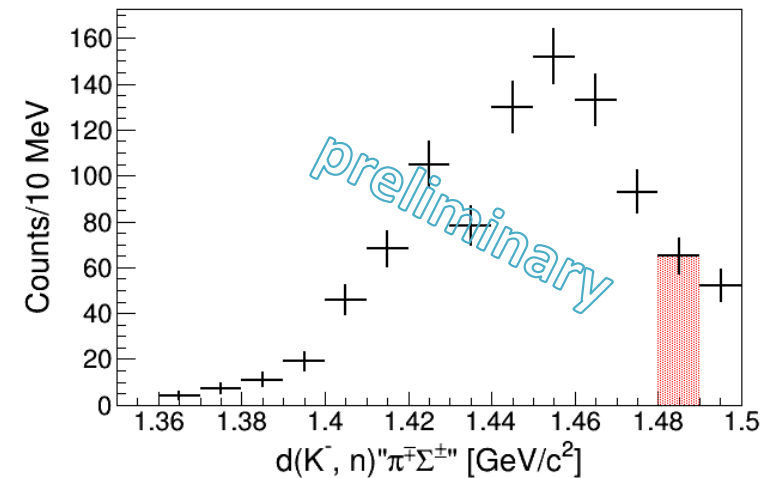


$\chi^2 : 53.2$
NDF : 30
 χ^2/NDF
 ~ 1.77

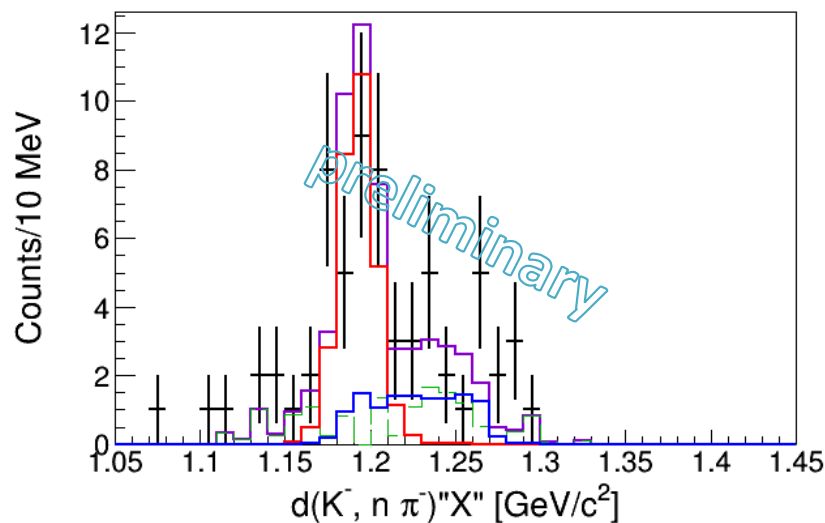
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

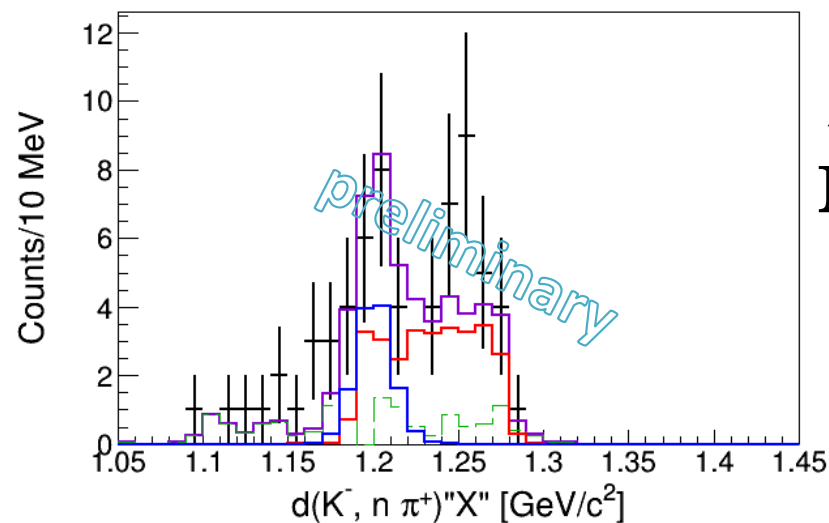
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$

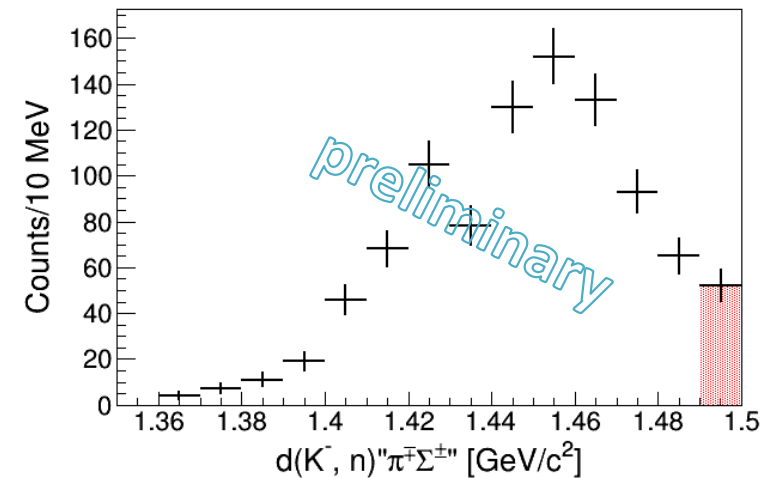


$\chi^2 : 59.1$
NDF : 36
 χ^2/NDF
 ~ 1.64

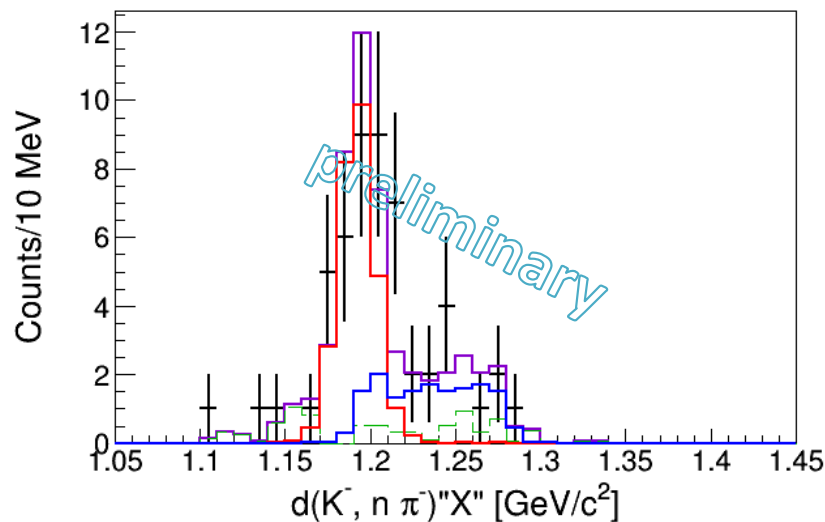
Decomposition of $\pi^- \Sigma^+$ and $\pi^+ \Sigma^-$

The fitting is done
bin by bin of $d(K^-, n)''X''$

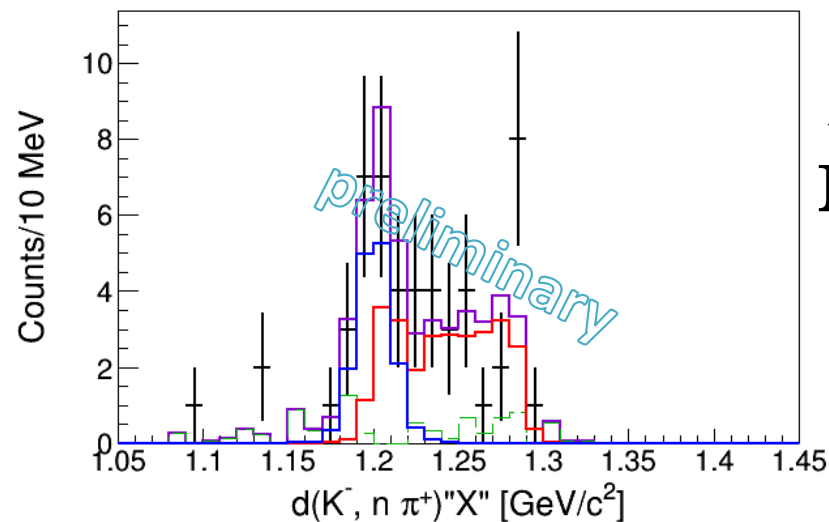
$d(K^-, n)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^-)''X''$



$d(K^-, n)''X''$ vs $d(K^-, n \pi^+)''X''$



$\chi^2: 46.1$
NDF : 28
 χ^2/NDF
 ~ 1.65